

JASTE2000

Steganography for JPEG2000 Coded Images

Domenico Introna, Francescomaria Marino
DEE, Politecnico di Bari, via Re David 200, 70125 Bari, Italy

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Abstract: The steganography is the concept of making invisible a communication, and not only incomprehensible its content (as cryptography does). This is generally achieved hiding a secret message into another one (“cover”), which appears as the only object of the communication. This paper proposes a steganographic method employing JPEG2000 images as “cover”. It reaches high embedding even introducing a low distortion. Experimental results have shown up to 35%-45% embedding rate, with 2 dB of distortion (in the worst case) at 0.5 bpp and 30%-40% with less than 4 dB at 1.0 bpp. Comparing these results with those achieved by JPEG2000-BPCS, it can be seen that our method produces considerably less post-embedding growth and distortion (in some case, they differ for more than 5 dB).

1 INTRODUCTION

The word *steganography* comes from two Greek words: *στεγανος* (i.e., *steganos*=hidden) and *γραφια* (i.e., *graphia*=writing). The join of these words describes the concept of a communication which hides not only its contents, but also its existence. This is well different from cryptography, which makes incomprehensible the meaning of a communication, though this one can be seen by everybody.

Steganographic techniques, usually exploit a second perceptible message (“cover”), having disjoined meaning by the secret message. The cover works as a “Trojan horse”, being a container of the secret message (F.A.P. Petitcolas, *et al.*, 1999; S. Katzenbeisser and F. A. P. Petitcolas, 2000).

The new technologies and, in special way, the Internet and the information networks, require more and more sophisticated strategies in order to prevent the message privacy. Even different steganographic techniques have been presented in literature, which are suitable for many media and standard coding involved with the Internet, at the best of our knowledge, only two steganographic algorithms dealing with the emerging JPEG2000 image standard coding (JPEG2000 website; M. D. Adams, 2001) have been proposed: the algorithm proposed

by Pochi-Su and C.-C. Jay Kuo, 2003 and JPEG2000-BPCS (Bit-plane Complexity Segmentation) by H. Noda *et al.*, 2002.

These two state-of-the-art methods follow different philosophies. Briefly, the method proposed by Pochi-Su and C.-C. Jay Kuo has the goal of keeping constant the size of the cover image file, pre and post the embedding. As a consequence, it is necessary bounded for what concerns the embedding capacity. Conversely, JPEG2000-BPCS aims at getting high capacity, even with a low distortion, though it gives less importance to the eventual post-embedding growth.

In this paper, we consider the features of the JPEG2000 standard coding, and how they can be exploited in order to efficiently hide information. We therefore define a technique for deciding which bits of a given codeblock (and not all of them without distinction) may be used for the embedding, and how such embedding can be “reversibly” performed, i.e., allowing the receiver of correctly recovering the hidden message.

We derive a flexible strategy which differentiates the number of bits to be hidden into a coefficient with respect to the absolute value of the same coefficient, bounding (in a “somewhat relative” sense) the introduced distortion. Its result is a high embedding/low distortion steganographic method which has been implemented in a software tool

(JASTEG2000 website) and experimentally evaluated. In the worst cases, it gets up to 35%-45% embedding rate with approximately 2 dB of distortion, and up to 30%-40% embedding rate with less than 4 dB of distortion, when applied on benchmarks coded at 0.5 bpp and 1.0 bpp, respectively. These results outperform those achieved by other existing methods. In particular, we will show that our method produces much less post-embedding growth, getting a considerably lower distortion, than JPEG2000-BPCS.

2 JPEG2000 STANDARD

JPEG2000 is a powerful coding technique for still images, standardized as ISO 15444 in 2001. It achieves impressive compression ratios even holding a good image quality, overcoming the classical JPEG. The key of this performance are the wavelets, which constitute, in JPEG2000, the counterpart of the Discrete Cosine Transform (DCT) in JPEG. Wavelets (S. G. Mallat, 1989) use complex base functions, with some coarse features akin to sine waves. They also contain some detailed features like pulse codes, thereby creating a set of fuzzy pixels with variable-sized features, as opposed to DCT's one-size-fits-all sine waves. Other interesting (sometimes innovative) features of JPEG2000 are:

- it offers both lossless and lossy coding;
- it allows of modifying and coding any region of the image, directly working on the compressed data stream;
- it introduces the concept of Region of Interest (ROI) of an image;
- it allows a flexible bitstream ordering;
- it has an improved error resilience of the codestream;
- it provides a localized random access into an image;
- it grants an efficient and accurate rate control.

More in detail, the processing steps of JPEG2000 are:

(a) DC-Shifting: This step is applied on the components having only positive values. It shifts the range of these components from $[0, 2^n-1]$ to $[-2^{n-1}+1, 2^{n-1}]$, n being the number of bits used for that component.

(b) Multi-Component Transform: This step is needed in case of color images. It un-correlates the color components either into YUV space (in case of lossless coding) or into YCbCr space (in case of lossy coding).

(c) Discrete Wavelet Transform (DWT): DWT is

the cornerstone of JPEG2000. The best way to represent a signal using wavelets is to scan the entire image for the "mother wave" that best represents that particular image. However, this "mother wave" would have to be attached to the image data, thereby increasing the size of the compressed file. Instead, JPEG2000 adopts an universal mother wave ahead of time, eliminating the need to send it along with the file. These ones are LeGall 5/3 (for lossless coding) and Daubechies 9/7 (for "lossy" coding).

(d) Quantization: Scalar and uniform quantization is applied on DWT coefficients. The standard does not specify thresholds values, since these ones can be decided by the user, basing on the particular case. Anyway, the standard proposes a method for determining them.

(e) ROI Scaling: This is an optional functionality in which, the wavelet coefficients related to regions that the user has indicated as "relevant" are scaled up. By this way, these *Regions Of Interest* (ROI) gain quality during the next coding steps.

(f) EBCOT (Tier 1): In JPEG 2000, coding is performed in two steps (tiers). In tier 1, the quantized coefficients of each subband are partitioned into codeblocks. These ones are independently coded using an *Embedded Bit-planes Coding with Optimized Truncation* (EBCOT).

(g) EBCOT (Tier2): Tier 2 optimally truncates the bit-stream of each codeblock minimizing the distortion due to the bit-rate constraint. Firstly, candidate truncation points are selected in the convex hull of the rate-distortion curve. Afterward, when some codeblocks are collected, and a statistic is available, the truncation point is selected among these candidates in order to minimize the distortion. *In JPEG2000, this step produces information loss, as well as quantization.*

3 A STEGANOGRAPHIC METHOD FOR JPEG2000

When steganography is applied to classical codecs (e.g., JPEG), the embedding is generally cascaded to the quantization, since this one is the main (and often, the unique) lossy step. Nevertheless, this approach is unsuitable for JPEG2000. In fact, in this standard, the quantized coefficients can successively be truncated in EBCOT Tier 2 in order to match a particular bit rate, that the user could have required. Therefore, steganography when applied to JPEG2000 cover images needs a "down-coding/up-decoding" scheme, as that one shown in Fig. 1. In it,

and in the following, we will adopt the terms:

- CI, i.e., the Cover Image;
- SM, i.e., the Secret Message object of the steganography;
- CICS, i.e., the Cover Image Code Stream (before the embedding);
- MECS, i.e., the Message Embedding Code Stream (after having embedded SM into CI).

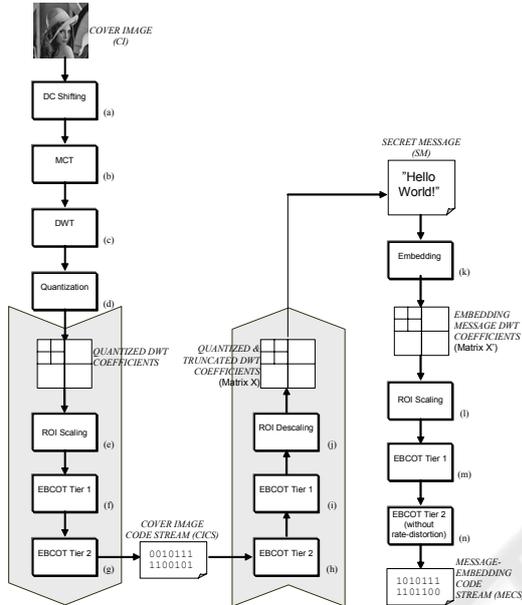


Figure 1: Steganographic approach to JPEG2000 cover images.

Basically, a “cover image” is firstly coded in JPEG2000 through steps (a)-(d), as described in Section 2. After Quantization (d), for those cases without bit-rate constraint (i.e., when the user has not required any bit-rate, or when the final achievable compression is not relevant), the Embedding (k) can be directly performed, as denoted by the dotted arrow, and the coding completed through steps (l)-(n), taking care of do not applying the rate distortion in step (n), since this could truncate parts of the secret message.

Conversely, in case of bit-rate constraint, the above mentioned “down-coding/up-decoding” scheme is required. Steps (e)-(g) are carried out (down-coding) in order to perform, in the EBCOT Tier 2 (g), a bitplane truncation matching the required bit-rate. These ones are then followed by the up-decoding steps (h)-(j) which get newly back the quantized and appositely truncated DWT coefficients, to be used for the embedding in step (k). Afterward, the final coding steps (l)-(n) are

performed, without applying now the rate distortion, in step (n).

The embedding constitutes the soul of a steganographic method. In particular, for JPEG2000, this step should define: 1) how to select the bits to be used as “hosts”, among those of the quantized and truncated DWT coefficients, and 2) how to embed in these host-bits the bits of the SM (making them perfectly recoverable).

A fundamental feature of the proposed method is constituted by its embedding technique. It not only exploits the resolutions and the subbands which are less sensible to the noise (as similar other approaches do), but selects the number of secret bits to be embedded into each coefficient, varying this number on the base of the module of the related coefficient: so doing, it “proportionally” corrupts any coefficient. As a result, our method gets higher PSNR than other steganographic methods, which embed secret bits indifferently from the value of the host-coefficients. Moreover, for what concerns the strategy for selecting the host-bits, it has been experimented in four different versions, providing the user with four different compromises between post-embedding growth and distortion. Because of the space limitation, here only the “version 4” of the method is described; details on the other versions of the method can be retrieved on (JASTEG2000 website).

In the following, the above two issues are discussed in detail.

3.1 Bits Embedding Technique

Let:

- α , a parameter input by the user and specifying the maximum number of bits that might be potentially modified in any DWT coefficient during the embedding (obviously, higher α , higher the embedding capacity and the introduced distortion);
- X , the matrix of the quantized and truncated DWT coefficients $x(i, j)$, constituting the input to the Embedding step (k) in Fig. 1;
- $PMS1(|x(i, j)|)$, the Position of the Most Significant “1” of $|x(i, j)|$, “0” being the position of the LSB.

Therefore, for any non-zero coefficient $x(i, j)$, we can define the Position of the Most Significant available Host Bit available for the embedding, as:

$$PMSHB(x(i, j)) = \min\{\alpha-1, PMS1(|x(i, j)|-1)\} \quad (1)$$

In this scenario, the embedding in $x(i, j)$ is performed simply replacing the $PMSHB(x(i, j))+1$ least significant bits of $x(i, j)$, with a same number of bits of the secret message, getting a post-embedding

value $x'(i, j)$ to be coded (the coefficients $\in \{-1, 0, 1\}$ having $\text{PMSHB}(x) \leq 0$ are not employed).

Note that since the embedding replaces the least significant bits, the EBCOT Tier 2 in step (n) would be performed without applying bit planes truncation, as previously remarked. Because of this strategy, the embedding modifies only the bits considered in the refinement pass, leaving unaltered the other coding passes. Moreover, because of (1), the number of bits embeddable in $x(i, j)$ – anyway, never more than α – grows with $|x(i, j)|$, bounding –in a “somewhat relative” sense– the introduced distortion.

In the recovering step, the receiver, knowing α and reading $x'(i, j)$, can easily determine $\text{PMS1}(x'(i, j))$ and $\text{PMSHB}(x'(i, j))$. Afterwards, suppose:

$$\text{PMSHB}(x'(i, j)) = \text{PMSHB}(x(i, j)) \quad (2)$$

(the case of $\text{PMSHB}(x'(i, j)) \neq \text{PMSHB}(x(i, j))$ is discussed later) the receiver can simply reconstruct the secret message, collecting the less significant bits of any $x'(i, j)$, up to the bit in position $\text{PMSHB}(x'(i, j))$.

For the sake of clarity, examples of embedding/recovering of secret bits **10010** into $\{-13, 4\}$, are provided in the following ($\alpha=4$):

Embedding:

$x = (-13)_{10} = (11110011)_{2\text{-complement}}$; $|x| = 00001101$;
 $\text{PMS1}(|x|) = 3$; $\text{PMSHB}(x) = 2 \Rightarrow$ 3 bits (**100**) can be embedded up to the position 2; this generates:

$x' = (11110001)_{2\text{-complement}} = (-15)_{10}$ to be coded;

$x = (4)_{10} = (00000100)_{2\text{-complement}}$; $|x| = 00000100$;
 $\text{PMS1}(|x|) = 2$; $\text{PMSHB}(x) = 1 \Rightarrow$ 2 bits (**10**) can be embedded up to the position 1; this generates:

$x' = (00000101)_{2\text{-complement}} = (5)_{10}$ to be coded;

Recovering:

$x' = (11110001)_{2\text{-complement}} = (-15)_{10}$; $|x'| = 00001111$;
 $\text{PMS1}(|x'|) = 3$; $\text{PMSHB}(x') = 2 \Rightarrow$ 3 bits can be recovered up to the position 2: **100**

$x' = (00000101)_{2\text{-complement}} = (5)_{10}$; $|x'| = 00000101$;
 $\text{PMS1}(|x'|) = 2$; $\text{PMSHB}(x') = 1 \Rightarrow$ 2 bits can be recovered up to the position 1: **10**

Recovered message: **10010**

Nevertheless, even (2) holds for positive values of $x(i, j)$, particular sequences of embedded bits (i.e., either a sequence of all '0' or a sequence of all '1'), might modify negative values of $x(i, j)$ into values $x'(i, j)$ causing:

$$\text{PMSHB}(x'(i, j)) \neq \text{PMSHB}(x(i, j)) \quad (3)$$

which is the negation of (2).

Obviously, these values, if effectively coded, will generate an incorrect message recovering. This is better evidenced by the following examples where the secret bits **001111** are embedded into $\{-6, -16\}$, causing an incorrect recovering:

$$x = (-6)_{10} = (11111010)_{2\text{-complement}}$$
; $|x| = 00000110$;

$\text{PMS1}(|x|) = 2$; $\text{PMSHB}(x) = 1$; after having embedded **00**: $x' = (11111000)_{2\text{-complement}} = (-8)_{10}$;

$$x = (-16)_{10} = (11110000)_{2\text{-complement}}$$
; $|x| = 00010000$;

$\text{PMS1}(|x|) = 4$; $\text{PMSHB}(x) = 3$; after having embedded **1111**: $x' = (11111111)_{2\text{-complement}} = (-1)_{10}$;

Recovering (in this case it will result incorrect):

$$x' = (11111000)_{2\text{-complement}} = (-8)_{10}$$
; $|x'| = 00001000$;

$\text{PMS1}(|x'|) = 3$; $\text{PMSHB}(x') = 2$; \Rightarrow 3 bits are supposed to be recovered up to the position 2: **000**

$$x' = (11111111)_{2\text{-complement}} = (-1)_{10}$$
; $|x'| = 00000001$;

$\text{PMS1}(|x'|) = 0$; $\text{PMSHB}(x') = -1$; \Rightarrow 0 bits are supposed to be recovered, i.e., this coefficient appears to be unused during the embedding.

Erroneously recovered message: **000**

Therefore, in all the cases verifying (3), a post-processing of $x'(i, j)$ is needed in order to assure a correct message recovering. This is made complementing the bit of $x'(i, j)$ in position $\text{PMSHB}(x(i, j)) + 1$, by this way, getting a new value verifying (2). It is worth to note that *this correction is carried out during the embedding*, by the “sender”, which well knows $\text{PMSHB}(x)$. For the sake of clarity, the examples previously considered became (after being post-processed):

$x' = (11111000)_{2\text{-complement}}$; after complementing the bit in position 2: $x' = (11111100)$ with $\text{PMSHB}(x') = 1$;

$x' = (11111111)_{2\text{-complement}}$ after complementing the bit in position 4: $x' = (11101111)$ with $\text{PMSHB}(x') = 3$;

As a proof of the effectiveness of the introduced corrections, it can be seen that now $\text{PMSHB}(x') = \text{PMSHB}(x)$, that will allow a perfect recovering.

3.2 Bits Selection Strategy

The “version 4” of our method selects the coefficients $x(i, j)$ starting from the HH orientation at the highest resolution, and continues as denoted by the order shown in Fig. 2.

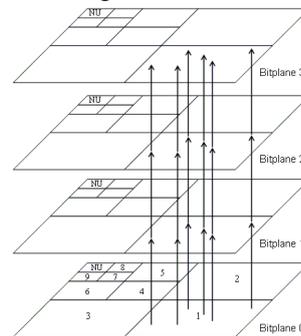


Figure 2: “Vertical” bits embedding (decomposition in 3 levels of DWT with 4 bitplanes. NU=Not Used).

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0. From the CI, build  $X$ , the matrix of coefficients, through the steps (a)-(j) of Fig. 1.
1. create and initialize a second matrix  $X' = X$ ;
2. while (there are secret bits to be embedded) AND (host-bits are available) do
3.   select a subband  $S$  according to the given order (Fig. 2);
4.   consider the next coefficient  $x(i, j)$  into subband  $S$ , according to a given scanning path;
5.   given  $\alpha$ , evaluate  $PMS1(|x(i, j)|)$  and  $PMSHB(x(i, j))$ ;
6.   modify  $x'(i, j)$  by replacing its  $PMSHB(x(i, j))+1$  less significant bits with secret bits;
7.   discard the just embedded  $PMSHB(x(i, j))+1$  bits of the secret message;
8.   if  $PMSHB(x'(i, j)) \neq PMSHB(x(i, j))$ 
9.     correct  $x'(i, j)$  by complementing its bit in position  $PMSHB(x(i, j))+1$ ;
10.  end while;
11. if (there are secret bits to be yet embedded) do
12.   output "SECRET MESSAGE TOO LONG - EMBEDDING NOT COMPLETED
        RETRY INCREASING EITHER  $\alpha$  OR THE BIT RATE OF THE COVER IMAGE"
13.  exit;
14. end if;
15. apply steps (1)-(n) of Fig. 1 on  $X'$  without bit planes truncation;
16. end.

```

(a)

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0. From the MECS, obtain  $X'$  performing the reverse EBCOT Tier2, reverse EBCOT Tier1 and ROI Descaling;
1. while there are secret bits to be recovered do
2.   select a subband  $S$  according to the given order (Fig. 2);
3.   consider the next coefficient  $x(i, j)$  into subband  $S$ , according to a given scanning path;
4.   given  $\alpha$ , evaluate  $PMS1(|x'(i, j)|)$  and  $PMSHB(x'(i, j))$ ;
5.   collect the  $PMSHB(x'(i, j))+1$  less significant bits of  $x'(i, j)$  into the recovered message;
6.  end while;
7.  output the recovered message;
8.  end.

```

(b)

Figure 3: Pseudo code. Message embedding (a); message recovering (b).

As soon as a coefficient $x(i, j)$ is considered, all its $PMSHB(x(i, j))+1$ least significant bits are replaced in a "vertical" fashion (i.e., along any bit plane) by a same number of secret bits, as shown by the arrows, starting from the least significant one.

Pseudo code of this version of our steganographic method is given in Fig. 3. In Fig. 3.a, lines 2-10 perform the embedding. The subband S in line 3 is selected according to the order shown in Fig. 2. The coefficient $x(i, j)$ is selected into S in line 4 according to any pre-established scanning path (raster or what ever); an additional possibility might be that one of discarding the pixels belonging to region of interest in order to do not deteriorate them during the embedding. Lines 11-13 terminate the procedure, sending a warning, in case the embedding cannot be completed because the available host-bits are less than the secret bits to be embedded.

4 EXPERIMENTAL RESULTS

In order to evaluate HELD, we have implemented the software tool "JASTEG2000". JASTEG2000 is a visual environment whose name is two-fold: 1) it is a tribute to the well known freeware JASPER (Jasper website), that we have used for developing the codec; 2) it recalls its main goal: "STEGanography for JPEG2000 cover images".

We have experimentally conducted some studies, in order to examine the post-embedding growth rate and distortion, using as benchmarks three well-known 512x512 pixels images ("Barbara", "Lena" and "Mandrill"). "Barbara" and "Lena" are grey-scale images at 8bpp; "Mandrill" is a true-color image at 24bpp.

These tests are described in paragraphs 4.1 and 4.2, respectively. Afterward, a comparative analysis, using as terms of comparison the other

steganographic approaches to JPEG2000 available in literature is reported.

4.1 Growth Rate

A first experiment evaluates the impact of the embedding in terms of growth of MECS, measuring the Growth Rate, defined as:

$$Growth\ Rate = \frac{MECS\ size - CICS\ size}{CICS\ size} \cdot 100\% \quad (4)$$

We randomly generated a sequence of bits (constituting the SM) and performed different tests, increasing, test after test, the amount of information to be hidden. Though the optimal value of α (i.e., the maximum number of host-bits per coefficient) should be tentatively found for each cover image and at any bit rate, we reduced the degrees of freedom, using $\alpha=4$ for the entire set of tests, after having verified that this choice represented a good compromise between embedding capacity and introduced distortion.

Fig. 4 shows the results of this experiment. It reports the ‘‘Growth Rate vs Embedded kbits’’ characteristics obtained by steganography performed onto the test images coded both at 0.5 and at 1.0 bpp, with 6 DWT resolutions, and after having applied the component transform on the colour image ‘‘Mandrill’’.

It is evident that the shown characteristic well fits a linear trend which makes our method particularly attractive, since the effect of the growth rate can be easily predicted.

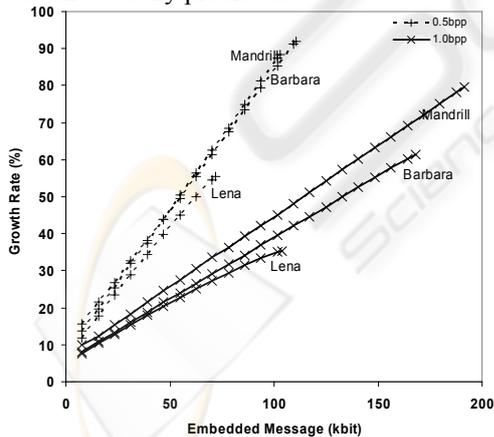


Figure 4: Growth Rate vs Embedded Message for Mandrill, Barbara and Lena coded at 0.5 and 1.0 bpp.

4.2 Post-Embedding Distortion

A second experiment focused on the distortion introduced by the steganography onto the cover

images. In order to produce measures comparable with those reported by their authors for JPEG2000-BPCS, we have considered the ‘‘PSNR vs the Embedding Rate’’ characteristic.

In this context, the Embedding Rate evaluates the integration of SM inside CI, and it is defined as:

$$Embedding\ Rate = \frac{SM\ size}{CICS\ size} \cdot 100\% \quad (5)$$

while PSNR measures the quality loss of the message-embedding image with respect to the cover image (i.e., the image itself, before the embedding), and it is defined (for colour and grey scale, respectively) as:

$$PSNR = \begin{cases} 10 \log_{10} \left(\frac{255^2}{(MSE(R) + MSE(G) + MSE(B))/3} \right) \\ 10 \log_{10} \left(\frac{255^2}{MSE(Y)} \right) \end{cases} \quad (6)$$

with:

$$MSE(c) = \frac{1}{M \times N} \sum_{i=1}^M \sum_{j=1}^N (P'(i, j, c) - P(i, j, c))^2 \quad (7)$$

where $M \times N$ is the size of the image, in pixels; and $P(i, j, c)$ and $P'(i, j, c)$ are the numerical values of the pixel (i, j) for the component c , before and after the embedding, respectively.

This experiment was conducted measuring PSNR and Embedding Rate in each one of the incremental test conducted in the previous experiment. The obtained results are shown in Fig. 5, where the points with embedding rate = 0 denote the quality loss due to the only compression.

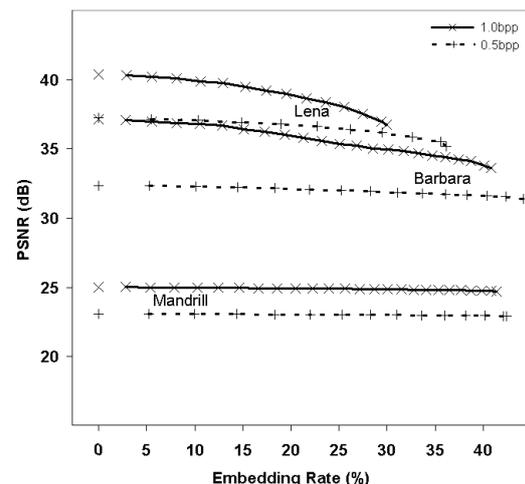


Figure 5: PSNR vs Embedding Rate for Mandrill, Barbara and Lena coded at 0.5 and 1.0 bpp.

We can observe that the PSNR, though slightly decreasing at higher embedding rates, remains almost constant in Mandrill, since it varies (in the considered interval of embedding rate: 0%-45%) in a range of only 0.16 dB and of 0.31 dB, for the coding at 0.5 bpp and 1.0 bpp, respectively. Conversely, a more perceptible decrement in the PSNR is visible for the images Barbara coded at 0.5 bpp ($\cong 1$ dB: from 32.34 dB at 0% down to 31.37 dB at 45%), and more pronouncedly for Lena coded at 0.5 bpp ($\cong 2$ dB: from 37.23 dB at 0% down to 35.15 dB at 36%). Instead, the curves related to Barbara and Lena (coded at 1.0 bpp) decrease according to a slightly convex and almost linear trend.

Concluding, in order to provide an evaluation even from a perceptive point of view, we show in Fig. 6 the test image Lena (the worst benchmark, in the sense of PSNR) in case of an embedding rate



Figure 6: Steganography onto Lena coded at 1.0 bpp (Embedding rate=30%). pre (top) and post the embedding (bottom).

of 30% (coding at 1.0 bpp). It can be seen that the

introduced distortion is not perceptible with respect to the quality loss already caused by the compression.

4.3 Comparative Analysis

Only two other steganographic algorithms have already been proposed for JPEG2000: JPEG2000-BPCS (H. Noda *et al.* 2002) and the method proposed by Po-Chyi Su and C.-C.J. Kuo, 2003.

It is worth to note that method by Po-Chyi Su and C.-C.J. Kuo follows a philosophy completely different from our method. In fact, its main goal consists of holding constant the size of the code stream after the embedding (size of MECS = size of CICS). Consequently, it allows good embedding capacity only at high bit-rates. Due to these different features, in this comparative analysis it is considered only for the sake of completeness.

Conversely, JPEG2000-BPCS, rather than holding constant the size of the code stream, aims at preserving a high PSNR, even getting a high embedding capacity. Its goal is the same of the algorithm proposed in this paper. Therefore, the comparison of our method vs JPEG2000-BPCS is more significant.

1) growth rate: The only available data for what concerns the growth rate reached by JPEG2000-BPCS are 29.8% and 32.8% caused when 2412 bytes and 7332 bytes are embedded into Barbara in case of coding at 0.5bpp and at 1.0bpp, respectively. These ones are well higher than those of our method (22.4% and 24.9%) at the same conditions.

As previously said, no growth (for any allowed dimension of the embedded message) is generated by the method by Po-Chyi Su and C.-C.J. Kuo, since it has been conceived appositely aiming at this goal.

2) post-embedding distortion: In Fig. 7 the characteristics of the steganographic algorithm proposed by Po-Chyi Su and C.-C.J. Kuo are reported. They have been obtained thanks to Dr. Po-Chyi Su, that has kindly provided the software implementing his method. As already said, this method does not allow high embedding rate at 1.0 bpp (only 6.8% for Lena and 3.4% for Barbara). Moreover, it decreases the PSNR, much faster than JPEG2000-BPCS and our method do. It pays this price in order to achieve a post-embedding “growth 0”.

A more significant comparison can be performed with respect to JPEG2000-BPCS. In Fig. 8 we propose the “PSNR vs Embedding Rate” diagram, related to the performance of JPEG2000-BPCS, as it was reported by their authors. Comparing this figure

with the Fig. 5, it can be seen that, for any test image, our method performs significantly better than JPEG2000-BPCS, inducing much lower distortion (in some case, more than 5 dB), and getting higher embedding rates than those reported in Fig. 8 for what concerns the images coded at 0.5 bpp.

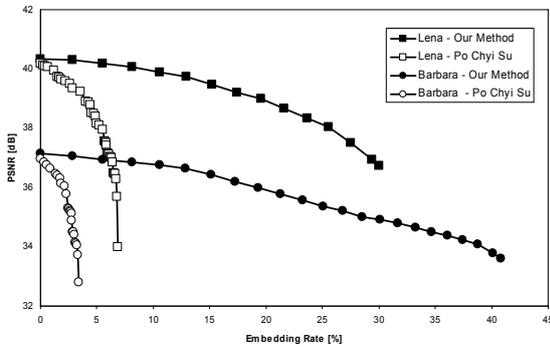


Figure 7: PSNR vs Embedding Rate in case of steganography by our method and by Po-Chyi Su and C.-C.J. Kuo Algorithm, performed onto Lena and Barbara coded at 1.0 bpp.

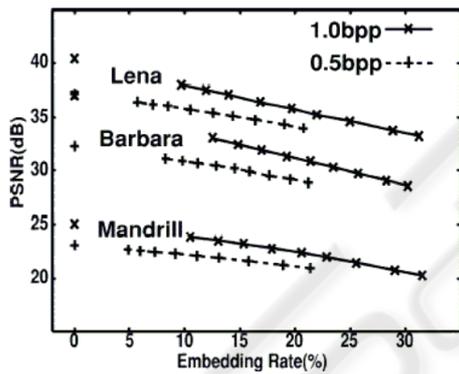


Figure 8: PSNR vs Embedding Rate in case of steganography by JPEG2000-BPCS, as shown in (H. Noda et al., 2002).

5 CONCLUSION

A new steganographic algorithm, suited for JPEG2000 cover images, has been introduced. It is based on an embedding technique that, not only corrupts the resolutions that are less sensitive to the noise, but also determines the number of bits to be embedded into a single DWT coefficient, basing on its magnitude.

This particular feature results in a low “relative” distortion. Its performances reachable by these four versions have been experimentally analyzed using well known benchmarks, and the post-embedding growth and distortion measured.

In particular, up to 35%-45% embedding rate with approximately 2 dB of distortion in the worst cases (for the benchmarks coded at 0.5 bpp), and up to 30%-40% embedding rate with less than 4 dB of distortion in the worst cases (for coding at 1.0 bpp) have resulted. Moreover, for what concerns the growth of the codestream, it gets a very interesting feature: it performs linearly, making the effect of this phenomenon easily predictable.

The proposed method has been compared also with other existing steganographic methods suited for the JPEG2000 standard, in particular with JPEG2000-BPCS, which similarly to our method, aims at getting high embedding, introducing low distortion. The comparison has put in result that our method:

- produces considerably less growth;
- gets higher embedding rates at low bit rate coding;
- induces lower distortion (in some case, it differs from JPEG2000-BPCS for more than 5 dB).

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REFERENCES

- F.A.P. Petitcolas, R.J. Anderson and M.G. Kuhn, 1999. Information Hiding – A Survey. *Proceedings of the IEEE*, vol.87, no.7, pp. 1062-1078.
- S. Katzenbeisser and F. A. P. Petitcolas, 2000. *Information Hiding Techniques for Steganography and Digital Watermarking*. Norwood, MA: Artech House.
- JPEG2000 website: <http://www.jpeg.org/JPEG2000.html>
- M. D. Adams, 2001. The JPEG-2000 still image compression standard. *ISO/IEC JTC 1/SC 29/WG 1, Tech. Rep.*
- Po-Chyi Su and C.-C.J. Kuo, 2003. Steganography in JPEG2000 compressed images. *IEEE Transactions on Consumer Electronics*, V. 49, N. 4, p. 824-832.
- H. Noda, J. Spaulding, M.N. Shirazi and E. Kawaguchi, 2002. Application of bit-plane decomposition steganography to JPEG2000 encoded images. *IEEE Signal Processing Letters*, V. 9, N. 12, pp. 410-413.
- JASTEG2000 website: <http://dee.poliba.it/dee-web/marinoweb/JASTEG2000.html>
- S. G. Mallat, 1989. A theory for multiresolution signal decomposition: The wavelet representation. *IEEE Trans. Pattern Anal. Machine Intell.*, vol. 2, Dec., pp. 674–693.
- Jasper website: <http://www.ece.uvic.ca/~mdadams/jasper/>