# PIECEWISE CLASSIFICATION OF ATTACK PATTERNS FOR EFFICIENT NETWORK INTRUSION DETECTION

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Abstract: This paper presents a new scheme to improve the efficiency of pattern matching algorithms. The proposed approach is based on a piecewise classification of patterns using the common substrings. The main idea is to split the whole set of patterns into small subsets in accordance to the common substrings and treat the subsets independently. To reduce the number of patterns to match, we use the common substrings as an index for the search. We show that are our algorithm is capable to outcome in term of performance other reference algorithms, such as Aho-Corasick.

### **1 INTRODUCTION**

With the increase of networks capacities and bandwidth, the problem of security is becoming even harder. Indeed, at this speed it is necessary to have very efficient mechanisms to detect attacks, virus and worms. During last years, Network based Intrusion Detection Systems (NIDS) have attracted significant interest as key enablers of network security. These systems present powerful tools used to guaranty high-level security to protect corporate networks.

A NIDS is a mechanism that tries to detect unauthorized access to a secure zone. This kind of access is usually an attempt to compromise the network and servers activities (Beale, 2007). The signature based NIDS engine that is used by these NIDS aims to verify if a set of known malicious patterns are contained in the inbound stream. Each pattern describes the signature of known attack that has been analysed previously. The matching process executed by the engine, also known as detection engine, is based on multi-string matching algorithms. The performance of this type of NIDSs is therefore highly determined by the performance of these algorithms. To deal with high throughput and increasing number of attacks, detection engines have to improve in performance to be able to verify all

elements of the monitored streams. For that multipattern matching algorithms are required.

In the multi-pattern matching problem, the objective is to find all occurrences of all the patterns in the target text. Let  $P = \{p_1, p_2, ..., p_m\}$  be the set of patterns and  $T = t_1, t_2, ..., t_N$  be a large text. Both  $p_i$  and T are strings of characters from a fixed alphabet  $\Sigma$ . Given P and T, the algorithm must locate the positions of all occurrences of any pattern  $p_i$  in T.

In this paper, we present a new design for the attack-pattern classification that is based on the common substrings principle. This approach aims to reduce the number of investigated patterns and to choose the best search method regarding the length of common substrings as well as the size of the pattern's subset.

The remaining of the paper is as follows, after this introduction to the paper, the Section 2 presents a state of art in the area of pattern matching. In Section 3, we present the problems related to the so called common substring problem. In the Section 4, we present our solution whereas Section 5 introduces the experimental results and discuss them. Finally, we conclude our work and give some future directions in section 6.

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### 2 RELATED WORK

The most well known algorithms for string matching are those proposed in 1977 by R. Boyer and J. Moore (BM) (Boyer, 1977) for single matching and in 1975 by Aho and Corasick (AC) (Aho, 1975) for multiple matching. The BM algorithm uses two heuristics: bad characters and good suffix that reduce the number of comparisons relatively to the naïve algorithm. BM is not efficient in multiple strings matching, because it has to perform iterative search for each pattern. In (Horspool, 1980), Horspool improved the BM algorithm by proposing a simpler and more efficient implementation that uses only the bad-character heuristic.

In contrast to BM, the AC algorithm is an efficient multi-pattern matching algorithm. Based on the finite-state automata constructed from the set of patterns, the AC algorithm can search for all the patterns in one pass. Flurry of works and enhancements related to the AC algorithm have been presented and are widely used in current information and communication technology.

In 2002 Fisk and Varghese (Fisk, 2002) designed the Set-wise Boyer-Moore-Horspool algorithm. It is an adaptation of BM to concurrently match a set of rules. This algorithm is shown to be faster than both AC and BM for medium-size pattern sets. Their experiments suggest triggering a different algorithm depending on the number of rules: Boyer-Moore-Horspool if there is only one rule; Set-wise Boyer-Moore-Horspool if there are between 2 and 100 rules, and AC for more than 100 rules. C. J. Coit, S. Staniford, and J. McAlerney proposed the AC\_BM algorithm (Coit, 2002), which is similar to the Setwise Boyer-Moore-Horspool algorithm.

Using the bad-character heuristic introduced in the BM algorithm, S. Wu and U. Manber designed in 1994 the WM multi-pattern matching algorithm (Wu, 1994). WM uses two or three suffix characters to generate shift table constructed by preprocessing all patterns. The algorithm uses a hash table on two characters prefix to index a group of patterns, used when the shift is zero. Finally, naïve comparison is applied to confirm if the pattern exist in the text. WM deals efficiently with large pattern set size, but its performance depends on the shortest pattern. Therefore, the maximum shift is equal to the length of the shortest pattern minus one.

G. Anagnostakis, E. P. Markatos, S. Antonatos, and M. Polychronakis proposed the E2XB algorithm. It is an exclusion-based pattern matching algorithm (Anagnostakis, 2003) based on the fact that mismatches are, by far, more common than matches. This algorithm was designed for providing quick negatives.

## 3 COMMON SUBSTRINGS PROBLEM

This section reviews the main ideas and definitions underlying the Common Substrings Problem (CSP) and the string classification problem. CSP is a very wide known problem in string set theory. Indeed, the most asked question about a set of string is: what substrings are common to a large number of strings? This problem is related to the problem of finding substrings that appear (occur) repeatedly in a large text (Gusfield, 1997). In this case, the large text represents the concatenation of all the strings in the CSP problem, so the common substrings represent the substrings that occur repeatedly in the concatenated text with a distance condition. The CSP can be used in file comparison, approximate string matching biological application such as similarity detection in DNA sequences.

#### 3.1 Formal Definition

The common substring problem can be derived from the k-common substring problem, which can be defined as follows:

Let  $S = \{s_1, s_2, ..., s_K\}$  be the set of K strings. For  $2 \le k \le K$ , we have to find the length and the longest common substring to k strings, at least. When k = K, we have the longest common substring for all the strings.

#### **Example:**

S = {athe, heat, athire, athis, wiathis}; K=5

k	Length	substrings
2	5	athis
3	4	athi
4	3	ath
5	2	at

Table 1: K-common substring solution.

The common substring is "at" (k = 5 = K).

#### **3.2 Problem Solution**

We can locate the length and position of the longest common substrings either by using the generalized suffix tree or by dynamic programming (Gusfield, 1997). The running time is, respectively, O(n) and O(p), where  $n=\Sigma|si|$  and  $p=\Pi|si|$ . We can note that the

suffix-tree approach provides a linear-time solution for the CSP. For that raison, we focus our work on it.

An efficient algorithm was proposed in (Gusfield, 1997) with a running time of O(n). The main idea is to build a generalized suffix tree, to concatenate all the strings with special separators that represent terminators, then to find the deepest internal nodes with a subtree that contains leaves from all the strings. The longest common substrings are the strings from the root to the deepest nodes.

The scheme figure 1 present a part of the generalized suffix tree for the set  $S = \{athe, heat, athire, athis, viathis\}; we use the separator $i for each string s<sub>i</sub> in S: athe$1, heat$2, athire$3, athis$4, viathis$5.$ 

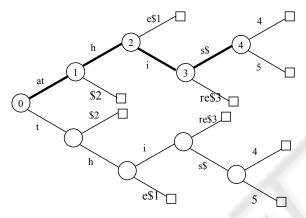


Figure1: Generalized suffix tree.

In this example, the subtree of the node 1 contains the terminators of all the strings, so the substring "at" is the longest common substring. Whereas, the node 2 gives the common substring of 4 strings (1, 3, 4 and 5), the nodes 3 and 4 give the substrings of 3 and 2 strings, respectively.

The result of the algorithm is a table that gives all the longest common substrings sorted by the number of strings covered. In our case, as we will explain in the next section, we change the algorithm output to give only the result for the maximum covered strings with a minimum length condition. In the previous example, if we take 3 as a minimum length so the maximum strings covered is 4.

## 4 PROPOSED APPROACH

The main idea of our proposal is that we will use the fact that many attacks patterns share generally common substrings, due to the similarities between attacks and their execution scenarios. For example, in the four SNORT rules with the SIDs: 6141, 6334,

6291 and 6304 (SNORT, 2009), we have the common substring "Server" for the four rules patterns: "R|00|SoftWAR Server", "R\_Server", "BackLash Server" and "from = JJB + Server" respectively.

So if we find "Server", we can activate the subsequent four different rules. Otherwise, we can eliminate them. This example shows the efficient of the exclusion method which the main driver of our proposal. We propose to use the common substring technique to generate a cover set of the whole known attack set.

Our approach includes two phases: a preprocessing phase, where pattern subset classes are generated, and a searching phase, in which we apply an adequate pattern-matching algorithm to detect patterns. The second phase consists of two separate researching methods: one on the common substrings set and the other on one of the sub-set of the pattern.

#### 4.1 **Preprocessing Phase**

The first phase of the approach includes two main functions. The first generates the common substrings set of the patterns, and the second splits the whole set of patterns on small groups based on common substrings. As illustrated in figure 2, the result of this phase is a subset partition of the pattern set. Each of the subset is indexed by a common substring. This phase is an off-line process, so it does not affect the detection speed.

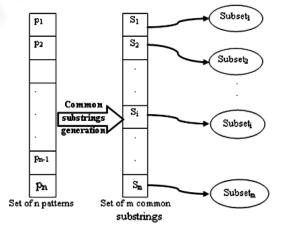


Figure 2: Common substrings based classification.

The common substring set is generated using the Algorithm 1.

Algorithm 1: Patterns Classification.		
<ul><li>Input: P a set of n patterns; K the sum of the patterns lengths; L the maximum length; min the minimum length</li><li>Output: S a set of m common substrings;</li></ul>		
01 While P is not empty and $L \ge min$		
<ul> <li>{</li> <li>02 Use the generalized suffix tree algorithm to generate T(1K - 1) the table of the <i>k</i>-common substrings;</li> <li>03 Find <i>i</i> where the length of the maximum common substring C in T(<i>i</i>) is L;</li> </ul>		
04 If <i>i</i> exist		
{ 05 add C to S; 06 Remove all the patterns concerned from P and add		
<ul> <li>them to the Subset<sub>j</sub>;</li> <li>07 Index the Subset<sub>j</sub> by C;</li> <li>08 Let <i>v</i> be the sum of lengths of all patterns removed;</li> </ul>		
09 $K = K - v;$ 10 $j = j + 1;$		
11 $L = L - 1$ ; // we have to change the maximum length whether we find <i>i</i> or not		
12 If $L < min // P$ is not empty		
13 For each patterns in P		
14 Let C be the string composed by the L+1 first chars of the current pattern; // we suppose that the minimum length in P is greater		
than <i>min</i> 15 Add C to S;		
16 Index the Subset <sub>i</sub> by C; // only one element		

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16 Index the Subset<sub>j</sub> by C; // only one element
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17 j = j + 1
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#### }

### 4.2 Searching Phase

The searching phase consists of two phases also. The first one is the detection of common substring in the text and the second is the matching of patterns indexed by common substrings detected in the first step. For the matching process, we propose to use existing algorithms. Depending on the size of sets and the mean length of either the common substrings or the subsets of patterns, we can choose the adequate pattern matching algorithm.

We propose to use three different algorithms: BM, AC and WM. The first algorithm (BM), can be used when we have only one pattern. It is the case generated by the steps 14, 15 and 16 in Algorithm 1. The two other algorithms (AC and WM) can be used when we have more than one pattern to search. AC can be used when the shortest pattern length in the subset is less than 5, otherwise we use WM. This choice is due to the fact that WM is based on the BM technique (bad-character shift), where the shortest pattern bounds the shift distance.

The searching method is specified using the pseudo-code in the algorithm 3.

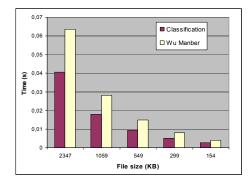
Algorithm 2: Searching method.		
<ul><li>Input: a text T of n characters, S the common substrings, ST the subset of the patterns.</li><li>Output: The set of the patterns found in T.</li></ul>		
01 Let <i>m</i> be the length of the shortest element in S;		
02 If $m \le 5$		
03 Aho-Corasick(T, S); //search using AC		
04 Else Wu-Manber (T, S); //search using WM		
05 For all S <sub>i</sub> matched		
{		
Let STi be the subset indexed by Si;		
07 If size(STi) = 1 Boyer-Moore(T, Si);		
//search for one pattern		
08 Else {		
09 Let <i>d</i> be the length of the shortest		
pattern in STi;		
10 If $d \le 5$ aho-Corasick(T, STi);		
11 Else Wu-Manber(T, STi);		
}		

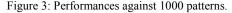
### **5 EXPERIMENTAL RESULTS**

In order to verify the effectiveness of our approach, we have conducted a set of experiments to compare the performance of our solution against the WM algorithm for several patterns sets. Both algorithms have been implemented in  $C^{++}$ .

The main goal of our experiments is the comparison of the algorithms performances against the pattern set size as well as the size of the files that contain the target text. Because of the system environment limitation, we have only used only six common substrings set. In our experiments, we considered detection time or scanning speed as performance indicators to compare the algorithms. Experiments were performed with a randomly generated text files where specific patterns have been randomly added in the text file.

In the experiments we use three sets of 1000, 2000 and 3000 patterns and six common substrings that generate six pattern subsets. We compare the results of our approach with those of the Wu-Manber algorithm; we show the results in figures 3, 4 and 5.





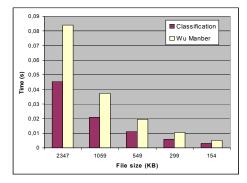


Figure 4: Performances against 2000 patterns.

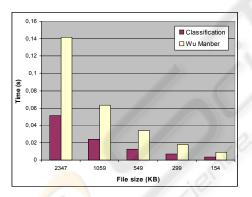


Figure 5: Performances against 3000 patterns.

These results show that the classification approach yields a better performance and gives good results. Our approach decreases the running time by 36%, 43% and 62% for the three cases, respectively 1000, 2000 and 3000 patterns.

# 6 CONCLUSIONS AND FUTURE WORK

In this paper, we proposed a scheme to improve the performance of the pattern matching algorithms. We

introduced a new classification method of the pattern set based on the common substrings. In our approach, we split the pattern set into small subsets according to the common substrings, where each of them will serve as an index to subset, so every subset represents a group of patterns with the same common substring.

Tested against several pattern sets, the results of the proposed approach are very promising, the performances are proportional to the size of the patterns file what represents a good alternative in the case of the attack data bases of the IDS which are very increasing. For a robust system evaluation and as a future work our architecture should be operated in a real system like the Snort detection engine.

The next step of our work is to implement the algorithm in an Xilinx Virtex T -5 LXT FPGA Gigabit Ethernet and test it with high speed access using the optical interfaces.

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