# TWO-LEVEL STRATEGY FOR IMAGE BOUNDARY DETECTION

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Abstract:

A new method for boundary detection in natural images is here proposed, consisting of two levels, or twostage sequential processes: embedded integration and post-processing integration. In the embedded integration, two different methods to measure homogeneity in region-growing technique are integrated, based on a global statistical property: the shape of the power spectrum of the image being analyzed. One homogeneity measure is the *J* value (provided by the classical JSEG algorithm) and the second measure is a multifractal measurement. This first step provides a region extraction. In the second level, edge information is extracted by a classical method, and integrated with region information. This structure, called KSS, eliminates false boundaries in the region map, guided by the edge map, and the noise in edge map as well, now guided by the region map, thus taking the advantage of their complementary nature. Experiments on a large dataset of natural color images show that the result of such two-level strategy matches the human perception better than the individual methods, quantitatively and qualitatively speaking.

# **1 INTRODUCTION**

Boundary detection is one of the most important tasks in computer vision. Traditionally, the techniques can be classified in region or edge approaches. There may exist gaps and noisy edges in edge-approach results, whereas region-approach results tend to be over-segmented with inaccurate boundaries. There are many proposals combining the outputs of region-growing and edge detection methods to improve the quality of their results. Muñoz, Freixenet, Cufĭ and Martí (2003) show seven different strategies for combining similarity (region) and discontinuity (edge) information. They were grouped in two classes: embedded integration and post-processing integration.

In this work, these two classes are considered in two sequential levels. In the embedded integration, the J value obtained by using the classical JSEG method (Deng and Manjunath, 2001) and a multifractal measurement are integrated, the integration being controlled by the shape of the power spectrum of the image under analysis. Such statistical property is also used to calibrate the threshold of the merging process. The segmentation obtained by merging the results of both individual methods (hereinafter referred to as MM-Frac method) is more informative than the result of each individual method, as it is shown ahead.

Till now, the region-growing result of MM-Frac and edge information are extracted parallely and separately. Our strategy is to put the two maps together, eliminating the false boundaries in the region map, based on edge information, and eliminating the noisy edges in the edge map, based on region information. Such method is hereinafter referred to as KSS (Komati, Salles and Sarcinelli-Filho, in press). In the sequel, we show that the resulting image is closer to human perception than any of the two images used as input for the postprocessing integration.

Quantitative performance comparison requires ground truth and well defined metrics. Both requirements can be found in "The Berkeley Segmentation Dataset and Benchmark" (BSDS) (Martin, Fowlkes, Tal and Malik, 2001). For each image in the BSDS, there are at least five handlabeled segmentations made by human beings, which constitute the ground truth. The standard metrics of BSDS are precision, recall and Fmeasure, determining how well the boundary map approximates the human ground truth boundaries (Martin, Fowlkes, and Malik, 2004).

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# **2** THE PROPOSED METHOD

## 2.1 First-Level of Integration

### 2.1.1 *J* value

The essence of the JSEG method is to separate the segmentation process in two independently processed stages: color quantization and spatial segmentation. The result of color quantization is a class-map which associates a color class label to each pixel belonging to a class.

In the spatial segmentation stage, a criterion to measure the distribution of color classes, the Jmeasure, is calculated. Essentially, it measures the distances between different classes, divided by the distances between the members within each class, an idea similar to the Fisher's multi-class linear discriminator. The J value can be calculated by using a local area of the class-map. Multi-scale Jimages are calculated changing the local window size. In the J-image, the higher the local J value is, the more likely the pixel is part of a boundary region, like a 3-D terrain map containing valleys and mountains. Then, a region growing method is used to segment the image. Finally, to overcome the oversegmentation problem, regions are merged based on their color similarities, by directly applying a Euclidean distance measure.

#### 2.1.2 The Multifractal Measurement

In this work, we will use the differential boxcounting method, proposed by Chaudhuri and Sarkar (1995), to estimate the multifractal measurement (MM) of the original image.

The MM of a single pixel is calculated in a small window surrounding it, generating a Fractal-image for each channel in Luv color space (Komati et al., 2010). The Fractal-images are also a 3D terrain maps, that is because the MM in the border regions of a texture is lower than the MM of a homogeneous region (Pentland, 1984). Each value in Fractal-image is converted to be higher in boundary regions and to have the same limits applied to a *J*-image.

### 2.1.3 1/f Spectra of Natural Images

Statistics of natural images have been found to follow particular regularities. Torralba and Oliva (2003), studying the statistics of real-world images, observed that the energy spectra of such images falls, in average, into a form  $1/f^{\alpha}$  with  $\alpha \sim 2$ . They also show that the shape of the power spectrum can

be used to categorize the different semantic of scenes (single objects, rooms, places, large outdoors and panoramic scenes).



Figure 1: Graphic of one image power spectrum (a) 3D (b) 2D.

Here  $\alpha$  represents the slope of the decreasing energy spectrum values, from low to high spatial frequencies, varying with the scene complexity. Figure 1(a) exemplifies a 3D power spectrum, where the slope is emphasized in red. Figure 1(b) shows the slope (red) in a 2D graphic and the interpolated slope (the dotted black line). The estimated - $\alpha$  value is then -2.31, or  $\alpha$  value is then +2.31.

Pentland (1984) showed that fractal natural surfaces (as mountains, forests) produce a fractal image with an energy spectrum of the form  $1/f^{\alpha}$ , where  $\alpha$  is related to the fractal dimension of the 3D surface (e.g., its roughness). Slope characteristics may be grouped in two main families, a slow slope  $(\alpha \sim 1)$ , for environments with textured and detailed objects, and a steep slope  $(\alpha \sim 3)$ , for scenes with large objects and smooth edges. Thus, the slower the slope is, the more textured the image is.

#### 2.1.4 MM-Frac

In this new proposal, the integration of two measurements, *J*-image and Fractal-image, is controlled by the value of  $\alpha$  as in the work of Côco, Salles, Sarcinelli-Filho (2009). Figure 2 shows a simplified architecture of the proposed MM-Frac

system. The global estimated value  $\alpha$  controls two process:

1) the local integration of the *J*-value and local Fractal-value. Each pixel of the 3D terrain map is now calculated as:

$$map_{ij} = J \text{-value} \times \alpha_{norm} + (1 - \alpha_{norm}) \times \text{Fractal-value}, \qquad (1)$$

where  $\alpha_{norm} = \alpha/max(\alpha_i)$ , *i* indexing the 200 images used as training set (provided by BSDS). For low  $\alpha$ values, the image presents more texture, and the multifractal weight is greater than that of the *J*value, as multifractal models textures in a better way than the *J*-value;

2) the threshold used in region merging is  $(0.4 \times \alpha_{norm})$ , where 0.4 is the default value for the JSEG method. The lower the threshold is, lesser regions will be merged, and the segmentation result will present more regions with a lower threshold, compared to a higher threshold. An image with high  $\alpha$  value presents large objects and smooth edges, so it is expected that the segmentation result will present just a few regions.



Figure 2: Simplified architecture of MM-Frac.

### 2.2 Second-Level of Integration

#### 2.2.1 Edge Detection

We considered here some classical edge detectors (Sobel, Prewitt, Laplacian and morphological gradient), which generates an output known as a soft boundary map, with each pixel valued from zero to one, where higher values mean greater confidence in the existence of a boundary. To choose a good edge detector, it was made a preliminary test and the morphological gradient presents the overall Fmeasure slightly better than the other detectors. Therefore, it was chosen as the edge detection method.

It is quite usual to smooth the image to eliminate noise before the edge detection. We choose a classical non-linear edge-preserving-smoothing filter, the Kuwahara filter with  $5\times5$  mask size. To process a color image, each of three color channels, RGB, is processed separately, and then all results are added into one image.

#### 2.2.2 Second-level of Integration: KSS

The integration method is independent of how the edge-map and region-map are processed. However, it is necessary that the region-map be a binary image and the edge-map be a soft map. Figure 3 shows a simplified architecture of the proposed KSS system. First, we will present the algorithm as a pseudocode:

1. Inputs: edge-map and region-map

2. Set image-result as the sum of edge-map and region-map

- 3. Build a weak-edge-map from edge-map
- 4. For each pixel

I. If (the pixel is marked as edge on region-map and the pixel is marked as a weak on weak-edgemap and the majority of neighborhood is marked as a weak on weak-edge-map). Then set non-edge in the pixel location in the resulting image.

II. If (the pixel is marked as a non-edge on region-map and the pixel is marked as a weak on weak-edge-map).

Then set non-edge in the pixel location in the resulting image.

In the step-2, the sum operation will enhance all boundary pixels that match in the two different input maps. In the rest of the code, the logic is to eliminate or reduce false information. In the step-3, the purpose is to detect the weak edges from the edge-map. To automate the threshold value, it was used an idea similar to the one in Rotem, Greenspan and Goldberger (2007), the value of the threshold is based on edge-map histogram h, and is given by

$$threshold_{weak} = \frac{\sum_{i=0}^{50} h_i}{\sum_{i=50}^{200} h_i},$$
 (2)

where i=[0,255] is the value of a pixel in the image.

A noisy edge-map will result in low values of *threshold*<sub>weak</sub> while a strongly defined edge-map will result in higher values. Step-4.I eliminates false boundaries provided by region-map and step-4.II

eliminates the noisy information provided by the edge-map source. The neighbourhood of KSS weak-edge-map was set to  $3 \times 3$  for all images.

The higher the *threshold*<sub>weak</sub> value is, more weakedges are obtained, and thus more information will be eliminated in the process. The result presents less edge information in the region-map and less weak information in the edge-map. The result seems cleaner, preserving only the strong edges of both maps. However, when the image is noisy, all information about both maps is preserved, with the strong edges emphasized. In such images, we notice that region-map information is more valuable than edge-map information.



Figure 3: Simplified architecture of KSS.

# 3 EXPERIMENTAL RESULTS AND DISCUSSION

We tested our proposed method with natural colored images provided by the BSDS image dataset, applying it to all one hundred images of the test dataset. The BSDS binarize the boundary map at many levels, according to the threshold parameter (the chosen value is 10).

Figure 4 shows some results, where (a) shows the input image, (b) the human benchmark and the

segmentation result of (c) corresponds to JSEG, (d) MM-Frac, (e) morphological gradient edge detection and (f) result of KSS process, already binarized in the best threshold computed by the BSDS. Each result has its computed F-measure metric.

In a qualitatively comparison, the original JSEG algorithm tends to over-segment images, splitting objects into several smaller regions. The MM-Frac approach, by its turn, significantly decreases oversegmentation. For an example, the trees in the background in the first image are not segmented as in the JSEG result. Moreover, the results present more accurate boundaries when compared to the human benchmark. In the second line, the boundary encompasses the entire body of the snake and not fragments.

In the fifth column, the results of edge detection are presented. The results are very noisy and this is mainly due to the fact that edge detection techniques rely entirely on the local information available in the image. The edge-map responds to all contrast variations over the texture regions, like in the sand area on the second line of Figure 4. At the same time, the method of edge detection is responsible for highlighting details such as the stick in the left in the snow area in the first line of Figure 4 and the insect near to the snake in the second image of Figure 4.

The results for the KSS method are presented in the last column. Details detected using edge detection method are kept, but the noise was attenuated and disappears after the binarization computed by BSDS. Now, the boundaries are more accurate and are closer to the human perception.

Deng and Manjunath (2001) pointed out that the major problem they observed in JSEG result is caused by the varying shades due to the illumination. For instance, the color of a sky can vary in a very smooth transition as in the image BSDS image 42049, the last line of Figure 4. Visually, there is no clear boundary. However, the JSEG result presents a circle region in the image. The human perception does not perceive this smooth varying of color as a different region. The result after KSS does not present this false boundary. The smooth is not perceived by the edge detection, and then the boundary is erased by the KSS method.

Quantitatively speaking, the metrics recall, precision and F-measure of each method computed by the BSDS are tabbed in the superior part of Table 1.

MM-Frac approach improves the recall metric without decreasing precision, thus raising the F-measure score a little bit. Edge detection looses in terms of precision, because of the noisy pixels.



Figura 4: (a) Input image (b) Human benchmark (c) JSEG result (d) MM-Frac result (e) Edge Detection result (f) KSS result in the best threshold.

After KSS method, the F-measure increases to 0.61, this is the closest value, comparing to the human perception.

Table 1: Metrics of each method computed by BSDS.

		Human	JSEG	MM-Frac	Edge Detection	After KSS
BSDS	Recall	0.70	0.61	0.63	0.65	0.69
	Precision	0.89	0.56	0.56	0.49	0.54
	F-measure	0.79	0.58	0.59	0.56	0.61
m e a n	Recall	0.70	0.61	0.63	0.69	0.73
	Precision	0.89	0.57	0.57	0.55	0.57
	F-measure	0.78	0.58	0.59	0.59	0.63

BSDS computes the maximum F-measure value across the precision-recall curve, for which each point corresponds to an image in the test dataset. Differently, bottom part of Table 1 shows the average value of the same three metrics, for the one hundred images available in the test dataset. From such average values, the advantage of the proposed two-level strategy becomes much clearer.

# 4 CONCLUSIONS

This work proposes a new two-level approach to boundary detection for natural color images. In the first level we embedded a MM in the classical JSEG algorithm. The integration, called MM-Frac, is controlled by the slope of the image power spectrum. One conclusion is that the MM improves the sensitivity to boundary regions, thus providing segmentation results that match the human perception better than the segmentation results associated with the original JSEG algorithm.

In the second-level, the post-processing integration, the main goal is to integrate the regiongrowing result from MM-Frac and edge information. Our strategy, called KSS, is to put together the two maps, eliminating the false boundaries in regionmap, based on edge information, and eliminating the noisy edges in the edge-map, based on region information. The KSS algorithm works well and solves the problem of false boundaries pointed out in other works. Furthermore, all strong edges of both input maps are held, improving the boundary detection. Unfortunately, the KSS results present broken edges, not keeping the contour closed.

The conclusion is that the two-level approach proposed here improves the boundary detection results, generating segmented images that match the human perception better than the results associated to the individual methods used in the architecture.

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