

# SENSOR FAULT DETECTION IN A REAL HYDRAULIC SYSTEM USING A CLASSIFICATION APPROACH

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**Abstract:** This paper focuses on the sensor fault detection of a hydraulic channel used for navigation. This system has the particularities to have large scale dimension, without slope, with several inputs and outputs, and thus difficult to be modelled according to classical modelling methods. For recent years, it was equipped with level sensors in order to have better knowledge of its behavior, to detect its state online and thus improve its management. However, level sensors are subjected to measurement or transmission errors, setting errors, and quick or slow drifts. In order to detect these sensor errors, a classification approach is proposed. It appears adapted to the fault detection of large scale hydraulic systems without model. The classification approach is used on data measured from 2006 to 2009. The first results and analysis show that the classification method is effective for addressing the problem of sensor fault detection.

## 1 INTRODUCTION

Hydrographical networks are large scale systems characterized by nonlinear dynamics and varying time delays. They are used for several human activities, especially navigation and transport. In the northern Europe, navigation channels assure the transport of goods with the objective, within a few years, of accommodating large broad gauge boats. The control of the water level in navigation channels becomes crucial. In order to achieve this objective, sensor networks have been implemented. These sensors allow the measurement of water levels or water discharges, and the implementation of level control algorithms for a local water management. At a larger scale, the level and discharge measurements are essential to provide an efficient water management of the navigation channel networks, by mainly characterizing their state online. However, sensor networks are impacted by measure errors, transmission faults, or drifts of operation. So, in order to improve the management of navigation channels, sensor fault detection techniques have to be employed.

Fault Detection and Isolation (FDI) techniques are largely proposed in the literature and employed

by following a systematic approach. The first step consists in characterizing the operating modes of the system to be supervised. Several model-based approaches were proposed (Frank et al., 2000), based on parameters identification technique (Weihua et al., 2003), parity equations method (Gertler, 1998), diagnosis observers (Akhenak et al., 2004), or Kalman filters (Xie et al., 1994). Even if these FDI techniques have proven to be as powerful and effective, they require an accurate model of the system by minimizing the uncertainties and the process noise. Very recently, fault detection methods based on residual generation, extended Kalman filter and finite memory observer are proposed in (Bedjaoui and Weyer, 2010), in order to detect and localize leak in an irrigation network. This detection method is based on physical hydraulic system model, in particular on the Saint-Venant partial differential equations (Chow et al., 1998). However, due to their physical characteristics, *i.e.* large dimensions, no slope, etc., navigation channels can not always be modelled using physical laws without requiring numeric models. In this way, traditional FDI techniques cannot reach the fault detection aims.

When the physical modelling of the system is not realizable, pattern recognition techniques consti-

tute an interesting alternative approach for fault detection problem. They consist in extracting information on the system state by using the signals collected from sensors (Hartert et al., 2010). The operating modes of the system are represented by classes which are built according to dynamic classification algorithms, as the CDL algorithm (Cluster Detection and Labeling), algorithms based on adaptive resonance theory (ART) networks (Su and Liu, 2005), (Eltoft and de Figueiredo, 1998), FMC algorithm (Fuzzy Min-max Clustering) (Mouchaweh et al., 2002) or AUDyC (Auto-Adaptive Dynamical Clustering) algorithm (Lecoeuche et al., 2004). In (Traore et al., 2009), the AUDyC algorithm is employed to supervise a thermo-regulator system subjected to slow and quick drifts in its dynamics.

This paper focuses on sensor fault detection of the Cuinchy-Fontinettes navigation channel. This system, located in the north of France, is characterized by large dimensions and no slope. Thus, it is not possible to be modelled according to physical approach. Thus, a classification approach is proposed to address the fault detection problem. In section II, the real hydraulic system and the problem of sensor fault detection are presented. The classification approach based on AUDyC algorithm is detailed in section III. This fault detection technique allows the determination of indicators characterizing the real-time drift of sensors. Finally, in section V, the proposed approach is applied on real data measured from 2006 to 2009, and its performance for the detection of sensor faults are highlighted.

## 2 PROBLEM STATEMENT

The channel studied is the reach Cuinchy-Fontinettes which is located in the North of France between the lock of Cuinchy at the East of the town Bethune and, at the Southwest of the town Saint-Omer, the lock of Fontinettes (see Figure 1). With 42.3 km long and 51.8 m large, this reach is part of the broad gauge river network of North of France. It is characterized by no significant slope. It can handle boats until 185 m long and 11.4 m large. This channel is entirely artificial. The first part of the channel, i.e. 28.7 km from Cuinchy to Aire sur la Lys, is called "canal d'Aire" and has been built in 1820. The second part of the channel, i.e. 13.6 km from Aire sur la Lys to Saint Omer, is called "canal de Neuffossé" and has been built in the eleventh century.

The Cuinchy-Fontinettes is managed by VNF (Voies Navigables de France). The role of VNF is to maintain the level of the channel at  $NNL = 19.52$

m to allow the navigation ( $NNL =$  Normal Navigation Level). The main issue for the management of this reach is to counterbalance the navigation flow of  $3 \text{ m}^3/\text{s}$  at Fontinettes. A part of the water comes from the navigation flow at Cuinchy which represents  $0.6 \text{ m}^3/\text{s}$ . The difference between the two navigation flows comes from the size of the lock at Fontinettes which is 13 m high whereas the lock at Cuinchy is only 2 m high. The counterpart of water comes from different hydrants and discharges. A high number of rivers are inverted siphon and pass under the reach but three of them feed directly the reach. Another solution to feed the reach is the Cuinchy gate. This gate allows a controlled feeding of the reach with the water of the Deûle river. In the same way, the gate called "Porte de Garde" at Aire sur la Lys allows controlled exchanges between the Lys river and the reach. Finally a high number of anthropogenic discharges (more than 320) feed the reach in an unknown way.

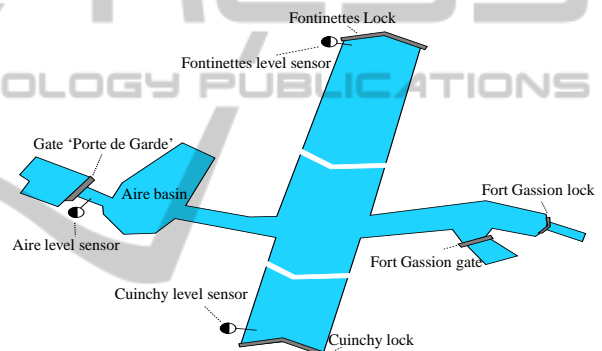


Figure 1: Scheme of the navigation canal Cuinchy-Fontinettes.

For recent years the reach has been equipped with level sensors in order to better know its behaviour. The level sensors used for this study are located downstream from the lock of Cuinchy, upstream from the lock of Fontinettes and in the Aire basin. The Cuinchy and Aire sensors are composed of an ultrasonic transducer linked with a level transformer. The Fontinettes sensor is a Probe with a transducer integrated. The technology used is based on ultrasonic sound and allows the processing of echoes. The data processing and transmission are realized by teleprocessing equipments. The three sensors deliver the mean of the levels measured every quarter hour. The waves due to navigation or Fontinettes lock operations are averaged.

Sensors are subjected to the weather and the environment and as every electronic device can break down or be impacted over time. Several types of errors can occur. A bad setting of the sensors can lead to systematic errors. Aberrant data are caused by local and temporal errors. Blockade of data can be due to

a transmission fault for example. Level sensor can be subjected to slow temporal drifts. In order to use reliable measured data, it is essential to propose a fault detection technique.

The main problem for the fault detection technique proposal is the major difficulty of modeling the Cunchy-Fontinettes channel without numeric approach. A fault detection technique by a pattern recognition approach is proposed in the next section in order to be freed from a model of the channel.

### 3 FAULT DETECTION BY A PATTERN RECOGNITION APPROACH

The fault detection method proposed in this paper is based on a classification technique. This classification technique consists in characterizing an operating mode of the dynamic system by a Gaussian model which constitutes a class. A class is determined according to pertinent selected data which present same similarities. According to these selected data, a Representation Space can be built, and the class can be represented in this space. Thus, the class of the normal operating mode, denoted  $C_n$ , can be determined (see Figure 2). A new class is create when a sufficient number of points is present in an area of the Representation Space. The new class, which is updated or created, is denoted evolutionary class  $C_e$ . It corresponds to a new operating mode.

When a measurement or transmission error occurs, a new point appears in the Representation Space far from the normal class  $C_n$  (see Figure 2.a). This point has to be detected and rejected if it is isolated. When the level sensor is subjected to slow drifts, the class updates online (see Figure 2.b). The characteristics of the normal class evolve during time. Finally, catalectic failures lead to a jump in the representation space (see Figure 2.c).

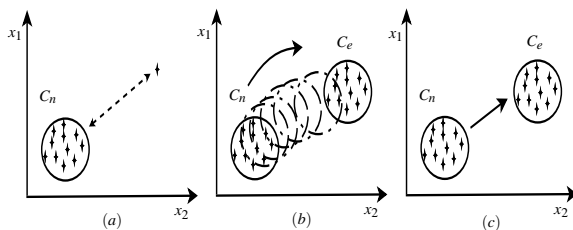


Figure 2: (a) Measurement or transmission errors, (b) slow drifts, (c) jump characterising catalectic failure, in a two dimensions representation space.

The classification technique which is proposed to

monitor slow drifts and jumps, is based on the AUDyC algorithm. AUDyC is an evolutionary data classification algorithm whose role is to model, in a continuous way, the operating modes of dynamical systems. The technique is inspired from the mixed Gaussian model (Lecoeuche et al., 2004). The Gaussian classes are represented by prototypes  $P^j$  characterized by a center and a matrix of covariance. The prototypes characteristics are adapted to each new observation  $X = (x_1, x_2, \dots, x_n)$ , with  $n$  the number of pertinent data, by using rules of recursive update on a sliding window of size  $N_{fen}$ , and by considering the totality of the prototype  $P^j$ , noted  $Card(P^j)$  on previous instant  $k-1$ , according to the algorithm described below. A new observation  $X$  is rejected if is too far from the current class. In other case, this observation is assigned to one of the  $N$  existing classes according to an adaptation procedure of the prototypes.

- If  $Card(P^j) = nb < N_{fen}$ : add information

$$\begin{cases} M_{P^j}(k) = M_{P^j}(k-1) + \frac{1}{nb+1}(X_k - M_{P^j}(k-1)), \\ \Omega_{P^j}(k) = \frac{nb-1}{nb}\Omega_{P^j}(k-1) + \\ \frac{1}{nb+1}(X_k - M_{P^j}(k-1))^T(X_k - M_{P^j}(k-1)). \end{cases} \quad (1)$$

- If  $nb \geq N_{fen}$ : add or retrieve information

$$\begin{cases} M_{P^j}(k) = M_{P^j}(k-1) + \frac{1}{N_{fen}}(\delta X^+ - \delta X^-), \\ \Omega_{P^j}(k) = \Omega_{P^j}(k-1) + \\ \Delta X \begin{bmatrix} \frac{1}{N_{fen}} & \frac{1}{N_{fen}(N_{fen}-1)} \\ \frac{1}{N_{fen}(N_{fen}-1)} & -\frac{(N_{fen}+1)}{N_{fen}(N_{fen}-1)} \end{bmatrix} \Delta X^T, \end{cases} \quad (2)$$

where

$$\begin{cases} \delta X^+ = X^{new} - M_{P^j}(k-1), \\ \delta X^- = X^{old} - M_{P^j}(k-1), \\ \Delta X = [\delta X^+ \quad \delta X^-], \end{cases} \quad (3)$$

with  $M_{P^j}(k)$  and  $\Omega_{P^j}(k)$  respectively the center and the covariance matrix of the prototype  $P^j$  at instant  $k$ ,  $N_{fen}$  the width of the slipping window,  $X^{new}$  and  $X^{old}$  new and old observation vectors, respectively.

This fault detection method based on AUDyC algorithm allows rejecting measurement or transmission errors, following slow drifts and catalectic failures. In order to detect drifts, fault indicators have to be calculated. A first indicator corresponds to the mean of the measured levels on the sliding window  $N_{fen}$ . It allows the visualisation of quick and slows drifts. A second indicator consists in computing the

distance between the evolutive class  $C_e$  and the normal class  $C_n$ . The normal class is taken as reference. A fault occurrence can lead to the drift of the evolutive class  $C_e$  from the normal class  $C_n$ . Increasing of this distance reveals, in some cases, the presence of faults. Amongst the several existing metrics, the Euclidian distance, denoted  $d(M_e, M_n)$ , is considered:

$$d(M_e, M_n) = \sqrt{(M_e - M_n)(M_e - M_n)^T}, \quad (4)$$

with  $M_e$  is the center of the class  $C_e$  and  $M_n$  the center of the normal class  $C_n$ . The center of the normal class  $M_n$  is fixed.

Moreover, by considering, for causal systems, that the outputs depend on the variation of the inputs, correlation indicators between the center of the evolutive class according to each direction of the Representation Space, denoted  $K_{i,j}$  for data  $x_i$  and  $x_j$ , can reveal a fault occurrence. That leads to compute correlation coefficients between the mean of each measured level on a sliding window of size  $N_{fen}$ . In a second step, error indicators are computed between the center of the evolutive class amongst each direction of the Representation Space also. The error indicators are denoted  $\varepsilon_{i,j}$  for data  $x_i$  and  $x_j$ . Finally, the quadratic error indicators  $\varepsilon_{i,j}^2$  are computed according to  $\varepsilon_{i,j}$ .

Quadratic error indicators  $\varepsilon_{i,j}^2$  are used in order to detect setting errors. Error indicators  $\varepsilon_{i,j}$  are used in order to detect slow drifts and to determine which sensor is faulty. Finally, correlation indicators  $K_{i,j}$  allow the detection of quick drifts and catalectic failures. The redundancy of the indicators and a cross-comparison lead to determine which of the sensors is faulty. The fault detection approach is applied in the case of the Cuinchy-Fontinettes Channel on data from 2006 to 2009. Results and analysis are presented in the next section.

#### 4 FAULT DETECTION IN THE CUINCHY-FONTINETTES CHANNEL

Measured data on the Cuinchy-Fontinettes Channel correspond to  $x_a$ ,  $x_c$  and  $x_f$ , for Aire in the middle of the channel, for Cuinchy at the upstream, and for Fontinettes at the downstream, respectively. These data are measured with a sample time equal to 15 minutes from 2006 to 2009. It represents more than  $135000 \times 3$  values. These data were not recorded at the same time. Indeed, there are discrepancies of few minutes between measurements. Then, the first step is to resynchronize all the data.

The second step consisted in building the Representation Space with the three measured data  $x_a$ ,  $x_c$  and  $x_f$ , and to represent the normal class  $C_n$  (see Figure 3). The normal class is built with accurate measured data from April to June 2006 according to a sliding window  $N_{fen}$  equal to 2500 values. The center of the class  $C_n$  is around zero (relative levels according to the>NNL), *i.e.*  $[-0.034 \ -0.058 \ -0.059]$ , and its covariance matrix is equal to:

$$\Sigma_n = \begin{bmatrix} 0.0060 & 0.0052 & 0.0055 \\ 0.0052 & 0.0055 & 0.0052 \\ 0.0055 & 0.0052 & 0.0065 \end{bmatrix}. \quad (5)$$

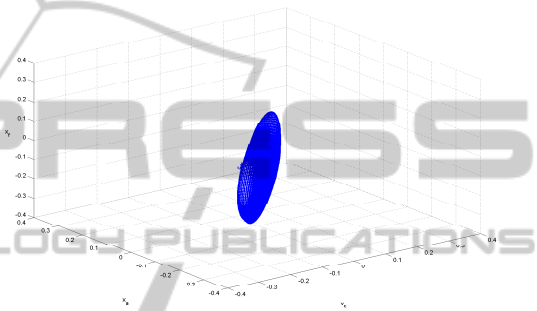


Figure 3: Normal class  $C_n$  in the Representation Space.

Although the total measured data was used, only years 2006 and 2009 were shown to highlight the performance of the proposed approach. Figure 4 shows the measured levels, *i.e.*  $x_c$ ,  $x_a$  and  $x_f$ , and the detection and isolation of wrong measured data during the year 2009. The wrong data are depicted by black cross in Figure 4. The classification approach allows to reject these points automatically.

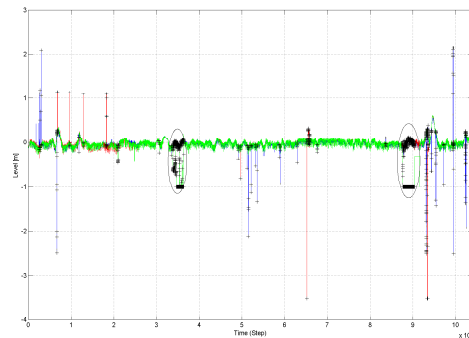


Figure 4: Data  $x_c$  (continuous line),  $x_a$  (dotted line) and  $x_f$  (dashed-dotted line) measured on 2009, and isolate wrong data (black cross).

Figure 5.a shows the measured levels in Cuinchy (blue continuous line), in Aire (red dashed line) and in Fontinettes (green dashed-dotted line) during 2009. The distance  $d(M_e, M_n)$  is depicted in Figure



5.b. The correlation indicators  $K_{c,a}$ ,  $K_{c,f}$  and  $K_{a,f}$ , the quadratic error indicators  $\epsilon_{c,a}^2$ ,  $\epsilon_{c,f}^2$  and  $\epsilon_{a,f}^2$ , and the error indicators  $\epsilon_{c,a}$ ,  $\epsilon_{c,f}$  and  $\epsilon_{a,f}$ , are computed between the mean of measured levels in Cuinchy and Aire, in Cuinchy and Fontinettes, in Aire and Fontinettes, respectively. Indicators between Cuinchy and Aire are depicted in blue continuous line, those between Cuinchy and Fontinettes in red dashed line, and those between Aire and Fontinettes in green dashed-dotted line, in Figure 5.c, 5.d and 5.e, respectively. A threshold defined equal to 0.7 is considered in order to detect fault when one of the correlation indicators is under this threshold (see Figure 5.c).

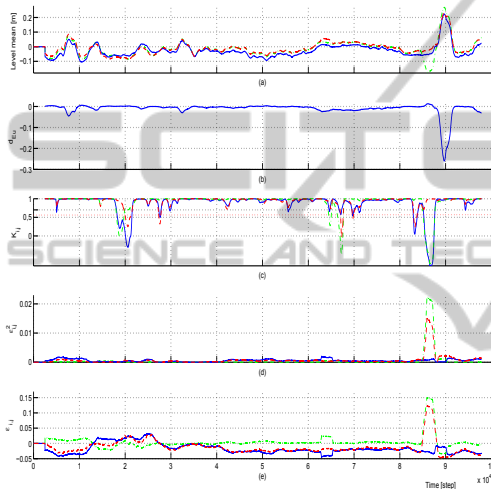


Figure 5: (a) Measured levels  $x_c$  (continuous line),  $x_a$  (dotted line) and  $x_f$  (dashed-dotted line), (b) Euclidienn distance  $d_{Eu}(M_e, M_n)$ , (c) correlation indicators  $K_{c,a}$  (continuous line),  $K_{c,f}$  (dashed line) and  $K_{a,f}$  (dashed-dotted line), (d) quadratic error indicators  $\epsilon_{c,a}^2$  (continuous line),  $\epsilon_{c,f}^2$  (dashed line) and  $\epsilon_{a,f}^2$  (dashed-dotted line), (e) error indicators  $\epsilon_{c,a}$  (continuous line),  $\epsilon_{c,f}$  (dashed line) and  $\epsilon_{a,f}$  (dashed-dotted line), measured on 2009.

During 2009, by considering the distance  $d(M_e, M_n)$  (see Figure 5.b), only one period around the 90000<sup>th</sup> step, is relevant to significant drift of the class  $C_e$ . However, around the 90000<sup>th</sup> sample, others indicators are close to their objective values. This means that there is no fault. In this period, the distance  $d(M_e, M_n)$  is increasing because there is a modification of the operating mode, which can be the consequence of flood (see measured levels in Figure 5.a). Figure 5.c shows three periods where correlation indicators are under the fixed threshold, i.e. around 20000<sup>th</sup>, 66000<sup>th</sup> and 88000<sup>th</sup> samples. For the two first periods, there are no significant errors  $\epsilon^2$  and  $\epsilon$  (see Figure 5.d, 5.e). During the third period around the 88000<sup>th</sup> sample, there are significant errors  $\epsilon_{c,f}^2$ ,  $\epsilon_{a,f}^2$ ,  $\epsilon_{c,f}$  and  $\epsilon_{a,f}$ . Errors  $\epsilon_{c,a}^2$  and  $\epsilon_{c,a}$  are close to

their objectives. This is relevant of slow drift on the level sensor in Fontinettes.

Figure 6 shows the measured levels, i.e.  $x_c$ ,  $x_a$  and  $x_f$ , during the year 2006. The detected wrong measured data appear during the period around the 55000<sup>th</sup> sample (see black cross).

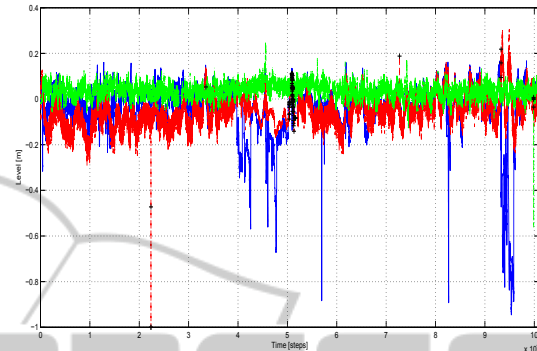


Figure 6: Data  $x_c$  (continuous line),  $x_a$  (dotted line) and  $x_f$  (dashed-dotted line) measured on 2006, and isolate wrong data (black cross).

The same indicators are determined for year 2006 and depicted in Figure 7, and the same conclusions can be obtained if the distance  $d(M_e, M_n)$  and correlation indicators are taken into account. The most interesting point to show is the detection of slow drift of the Cuinchy level sensor during all the year. From the beginning of year 2006 to the 26000<sup>th</sup> sample, quadratic errors  $\epsilon_{c,a}^2$  and  $\epsilon_{c,f}^2$  are constant and around 0.0025 and  $\epsilon_{a,f}^2$  is close to zero (see Figure 7.d). It means that there is a setting error on the level sensor in Cuinchy. The setting error is evaluated from 0.05 m according to the errors  $\epsilon_{c,a}$  and  $\epsilon_{c,f}$  (see Figure 7.e). Then from the 26000<sup>th</sup> sample to the 65000<sup>th</sup> sample, all the errors are close to zero. It is possible to assume that the Cuinchy level sensor is correctly set. Finally, from the 65000<sup>th</sup> sample, quadratic errors  $\epsilon_{c,a}^2$  and  $\epsilon_{c,f}^2$  are increasing. It is relevant of slow drift of the Cuinchy level sensor. Errors  $\epsilon_{c,a}$  and  $\epsilon_{c,f}$  are decreasing to reach  $-0.1$  m.

The fault detection method proposed in this article allows the detection of error setting, slow and quick drifts. It can be implemented online in order to detect these types of faults in real-time.

## 5 CONCLUSIONS

The sensor fault detection of real large scale systems without model is an interesting research problem. The well-known classical FDI techniques cannot be applied due to the difficulty of modelling. Thus, a fault detection approach without model is proposed in or-

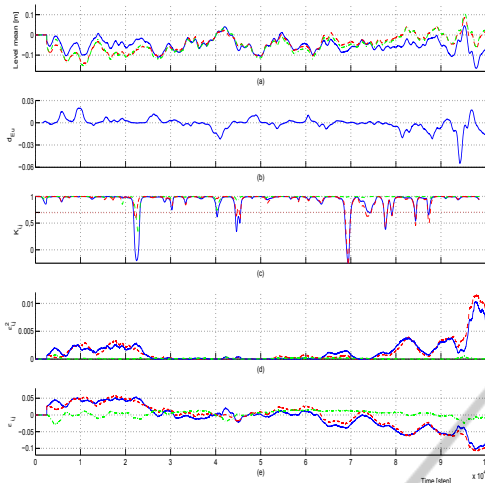


Figure 7: (a) Measured levels  $x_c$  (continuous line),  $x_a$  (dotted line) and  $x_f$  (dashed-dotted line), (b) Euclidean distance  $d_{Eu}(M_e, M_n)$ , (c) correlation indicators  $K_{c,a}$  (continuous line),  $K_{c,f}$  (dashed line) and  $K_{a,f}$  (dashed-dotted line), (d) quadratic error indicators  $\epsilon_{c,a}^2$  (continuous line),  $\epsilon_{c,f}^2$  (dashed line) and  $\epsilon_{a,f}^2$  (dashed-dotted line), (e) error indicators  $\epsilon_{c,a}$  (continuous line),  $\epsilon_{c,f}$  (dashed line) and  $\epsilon_{a,f}$  (dashed-dotted line), measured on 2006.

der to reach these objectives. The technique of supervision which is presented in this article is based on the Pattern recognition AUDyC algorithm. It has the advantage to limit physical knowledge of the system, and aims to modelling the operating modes of dynamical systems using only measured data. The characteristics of the operating mode are updated in real-time in order to follow the drifts due to sensor faults, and detect setting errors and measurement or transmission errors. The proposed technique is applied on a real hydrographical system with presents the particularities to not being modelled according to classical modelling methods. Fault indicators are determined according to levels which are measured since 2006. The first obtained results highlight the efficiency of the proposed fault detection method. However, these results have to be improved. The futur purposes consist in proposing more pertinent fault indicators by considering the measured upstream and downstream in the Cunchy-Fontinettes channel. It should be also interesting to take into account the unknown inputs which correspond to overflows in the channel. In future works, a prognosis approach will be proposed to predict the future state of the level sensors in order to detect as soon as possible sensor faults. Finally, an implementation of the proposed technique on the real system may be considered at term.

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