

Performability Modeling of Manual Resolution of Data Inconsistencies for Optimization of Data Synchronization Interval

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Abstract: For disaster recovery, many database systems with valuable data have been designed with database synchronization between main and backup sites. The data synchronization interval affects the performability of system which is a combined measure of performance and availability. It is important to determine the optimal synchronization interval in terms of performability so as to satisfy customers' requirements. However, existing techniques to identify the optimal synchronization interval do not consider the performability impacts of time-consuming manual resolution task for inconsistent data. To address this issue, this paper proposes a method to identify the data synchronization interval which optimizes performability by solving a stochastic reward net model describing the manual and automatic failure-recovery behavior of a database system. Several numerical examples are given to demonstrate the proposed method and its potential practical applicability.

1 INTRODUCTION

For disaster recovery, many database systems with valuable data have been designed with database synchronization between main and backup sites. A system designer needs to select a proper database synchronization method so as to satisfy customer's requirements such as performance, availability, recovery point objective (RPO) and recovery time objective (RTO). Hereafter, a system which synchronizes databases for backup and fast failover is called a database synchronization system, or shortly DB system.

In general, the system designer needs to determine a synchronization interval for the DB system by considering both of performance and availability, i.e., performability. For example, if high performance of processing requests from users is required, a primary server which processes the requests in the main site often needs to commit transactions without synchronization (writing the transactions in a disk of a secondary server in the backup site) for a relatively long time (some widely-used commercial relational database management systems, such as Microsoft SQL Server 2008 with high performance mode, exhibit this behavior.). In this case, as the synchronization interval becomes

longer, the performance of the DB system increases at the cost of that the probability of occurrence of data inconsistencies between the primary and secondary servers also increases. This is because that the transaction logs in the primary server are sent to the secondary server after a certain amount of transaction logs are accumulated, and the accumulated unsent transaction logs are at risk of lost due to DB system failure. On the other hand, if the system designer shortens the synchronization interval for higher availability, the primary server has to wait for the synchronization more frequently. This may result in lower performance, but the possibility of occurrence of data inconsistencies may decrease.

When the DB system fails, if data inconsistencies caused by the lost transaction logs are unacceptable in terms of RPO, a system operator needs to resolve data inconsistencies so as to satisfy the RPO before the DB system resumes its services. RPO is used to represent the maximum tolerable time interval in which data might be lost when system failure occurs. However, it is generally difficult to resolve data inconsistencies especially in large-scale enterprise DB systems. The system operator needs to determine and resolve data inconsistencies in order to resume services of the DB system. Since the determination and resolution of data inconsistencies

require manual system operations by the system operator, it takes long time to recover from the system failure. This long downtime of the DB system results in low system availability. Consequently, the probability of that the time interval in which data might be lost is within RPO is highly affected by the synchronization interval. The probability increases as the ratio of RPO to the synchronization interval increases. Meanwhile, as mentioned previously, the shorter synchronization interval leads to lower performance of the DB system.

In order to handle the trade-off between performance and availability, many techniques to determine the optimal checkpoint interval in terms of performance, availability and reliability have been studied. Many researchers proposed performance models based on periodic checkpoint (e.g., (Dohi, Ozaki and Kaio, 2002), (Young, 1974), (Chandy, 1975), (Baccelli, 1981), and (Gelenbe and Hernandez, 1990)). The aperiodic checkpoint placement methods to minimize execution time of programs or tasks were proposed in the literatures such as (Duda, 1983) and (Toueg and Babaoglu, 1984), and the methods to identify the optimal checkpoint placement in terms of cost could be found in (Fukumoto *et al.*, 1992), (Ling *et al.*, 2001), (Dohi *et al.*, 2002), (Ozaki *et al.*, 2004), and (Ozaki *et al.*, 2006). However, these existing works do not consider the effect of the time-consuming manual resolution of data inconsistencies on performability.

To address this issue, we propose a method to identify a synchronization interval which optimizes performability by taking into account the effect of the time-consuming manual resolution of data inconsistencies on performability. The proposed method identifies the optimal synchronization interval by solving a stochastic reward nets (SRNs) model (Trivedi, 2001) describing manual and automatic failure-recovery behaviors of the DB system with a given RPO. The proposed method is quantitatively investigated in numerical examples of identification of the optimal synchronization interval in terms of performability. The proposed method was studied as a part of a development project of an in-house model-based system design and non-functional property evaluation environment called CASSI (Izukura *et al.*, 2011). In design phase of a system, CASSI predicts performance and availability based on analytic models which are automatically synthesized from system design in the form of Systems Modeling Language (SysML). We proposed several techniques for the automatic model synthesis (e.g., (Machida *et al.*, 2011) and (Tadano

et al., 2012)) and proposed model in this paper is studied as an analytic model to improve the prediction for DB systems.

This paper is organized as follows. Section 2 proposes performability optimization method. Section 3 shows some numerical examples of the proposed method. Section 4 gives summary and future directions.

2 OPTIMAL SYNCHRONIZATION INTERVAL IDENTIFICATION METHOD

This section describes the proposed method to identify the optimal synchronization interval in terms of performability. In order to identify the optimal synchronization interval by taking into account the effect of the time-consuming manual resolution of data inconsistencies on performability, a performability model for representing the behavior of manual and automatic failure-recovery of the DB system is introduced.

2.1 Overview

The proposed method identifies the optimal synchronization interval based on the performability model. As shown in Figure 1, in the proposed method, the following steps are performed:

1. Input of parameters' values of the performability model
2. Performability model analysis
3. Identification of the optimal synchronization interval
4. Modification of design of the DB system

In Step 1, the system designer inputs parameters of the performability model according to the current design of the DB system.

In Step 2, the proposed method analyzes the performability based on the performability model with the input parameter values.

In Step 3, based on the analysis results, the proposed method identifies the optimal synchronization interval which maximizes performability.

In Step 4, the system designer modifies the design of the DB system based on the identified optimal synchronization interval.

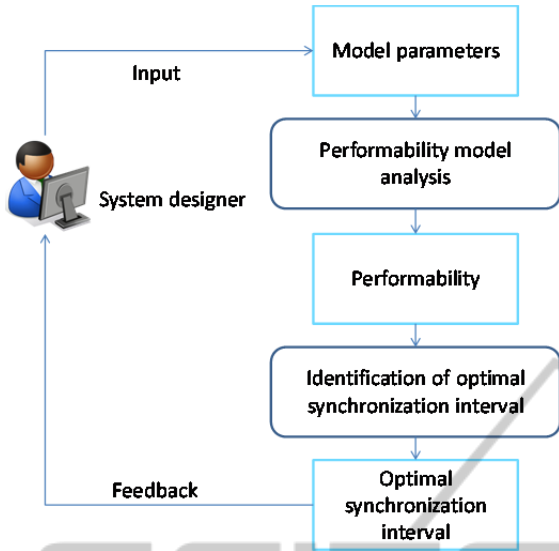


Figure 1: Overview of the proposed optimal synchronization interval identification method.

2.2 Target DB Systems

Figure 2 shows our target DB system including the primary and secondary servers in the main and backup sites. In the DB system, we assume the following four conditions.

1. When the DB system failed, if the time interval in which data might be lost is more than RPO, the system operator resolves data inconsistencies with the manual system operations. Otherwise, automatic failover to the secondary server is performed in time much shorter than that required for the manual resolution of data inconsistencies. In this case, the DB system automatically performs roll-forward of the database, system reconfiguration to resume its services and roll-back in the background (Such automatic recovery of database systems is performed in Microsoft SQL Server 2012 for example).
2. The time to resolve data inconsistencies caused by system failure increases, as the database synchronization interval increases. This is because the longer synchronization interval leads to the larger amount of the unsent, remaining transaction logs in the primary server.
3. Database synchronization always succeeds, and the DB system with a synchronization interval smaller than RPO always satisfies RPO. Therefore, in this paper we consider the synchronization interval larger than RPO only.

4. As the ratio of RPO to the synchronization interval increases, the probability at which the time interval in which data might be lost is within RPO increases, as mentioned in Section 1.



Figure 2: Target DB system.

2.3 Performability Model

To characterize the behavior of the DB system in terms of performability, we introduce a performability model in the form of stochastic reward nets (SRNs) which represents the behavior of occurrence of software failure, detection of the failure, and manual and automatic recovery from the failure in a DB system. In this paper, we define performability as average throughput over both up time and down time of the DB system.

Figure 3 shows the performability model of the DB system. In the performability model, each state of the DB system is described as a place represented by a circle as shown in Table 1. The performability model contains seven places: P_u , P_f , P_d , P_{rf} , P_{rc} , P_{rb} and P_{dr} . The current state of the DB system is represented by a place which has a token. Each transition from one state to another state is represented by firing of a transition, with transition rates/probabilities as shown in Table 2. Performance is defined as throughput of the DB system per unit time. Performance in each state is represented by a reward rate r_i associated with a place P_i ($i=u, f, d, dr, rf, rc$ or rb), as shown in Table 3. The performability model includes the following parameter values: six transition rates ($t_f, t_d, t_{rf}, t_{rc}, t_{rb}$ and t_{dr}), seven reward rates ($r_u, r_f, r_d, r_{rf}, r_{rc}, r_{rb}$ and r_{dr}), a value of RPO (t_{rpo}) and a range of a value of a synchronization interval (t_s). We define a as probability at which the target system satisfies the RPO (i.e., the time interval in which data might be lost is within RPO) when the system failed. Based on the assumptions mentioned in the previous subsection, the value of a is calculated by “RPO (t_{rpo}) / synchronization interval (t_s)”. Since we assume that roll-back can be performed in the background, the value of r_{rb} is set to non-zero value smaller than r_u . The reward rates other than r_u and r_{rb} are considered to be zero, because the DB system usually cannot process requests from users. As described earlier in the assumptions, t_{dr} increases as t_s increases. The values

of these parameters vary depending on the systems. These parameters' values are input by the system designer.

The behavior of the performability model is as follows. Initial marking in Figure 3 means that the DB system starts from a properly-functioning state, which is represented by the token in the place P_u . After a certain time interval, the DB system goes to a failure state, which is represented by firing of a timed transition T_f , and the token goes from P_u to P_f at a transition rate $1/t_f$. After a certain time interval (e.g. an interval of heartbeat or health check query), the token goes to a detected state represented by the place P_d . Immediately after that, the token goes to the place P_{dr} at a transition probability a , which represents a manual recovery state in which unacceptable data inconsistencies in terms of RPO are caused by the system failure and the system operator resolves it manually. Then the token finally returns to its initial place P_u at a transition rate $1/t_{dr}$. The value of t_{dr} depends on the size of the remaining logs in the primary server which could not send to the secondary server, and the system operator's skill. Otherwise, the system failed but data inconsistencies are small enough to be ignored and automatic recovery can be performed. In this case the token goes to the place P_{rf} for roll-forward, at a transition probability $1-a$. Then the token goes to the place P_{rc} for system reconfiguration, at a transition rate $1/t_{rf}$. Then the token moves to the place P_{rb} for roll-back, at a transition rate $1/t_{rc}$. Then the token finally returns to its initial place P_u at a transition rate $1/t_{rb}$. The values of transition rates and t_{rpo} vary depending on the systems.

The proposed method analyzes the performability based on the model by varying the value of t_s in the range specified by the system designer. Based on the analysis results, performability of the DB system is calculated. Let p be performability of the DB system, let r_i be a reward rate assigned to a place P_i ($i=u, f, d, dr, rf, rc$ or rb), and let π_i be the expected number of tokens in P_i in steady-state. p is calculated using the following formula:

$$p = \sum_i r_i \cdot \pi_i. \quad (1)$$

The optimal synchronization interval is identified as the value of t_s which achieves the largest value of performability. Based on the identified optimal synchronization interval, the system designer improves the design of the DB system to achieve higher system performability.

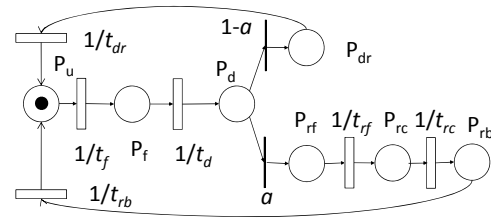


Figure 3: Performability model capturing the behavior of failure-recovery of DB system including manual resolution of data inconsistencies.

Table 1: Places of the Performability Model.

Place	Description
P_u	The DB system is properly-functioning
P_f	The DB system failed and the failure is not detected yet
P_d	The failure of the DB system is detected
P_{rf}	The DB system is performing roll-forward
P_{rc}	The DB system is performing reconfiguration
P_{rb}	The DB system resumed its service and is performing roll-back
P_{dr}	System operator is resolving data inconsistencies caused by the failure with the manual system operations

Table 2: Parameters of the performability model.

Parameter	Description
t_s	Synchronization interval of the DB system
t_{rpo}	Recovery point objective (RPO)
a	Probability at which the DB system does not satisfy the RPO when the DB system failed ($=t_{rpo} / t_s$)
t_{dr}	Time to resolve data inconsistencies caused by the failure of the DB system
t_f	Time to failure of the DB system
t_d	Time to detect the failure of the DB system
t_{rf}	Time to finish roll-forward of database of the DB system
t_{rc}	Time to re-configure the DB system
t_{rb}	Time to finish roll-back of the database of the DB system

Table 3: Reward rates of the performability model.

Reward rate	Description
r_u	Performance of the DB system per unit time during properly-functioning
r_f	Performance of the DB system per unit time from when the system failed to when the system failure is detected
r_d	Performance of the DB system per unit time from when the system failure is detected to when the recovery operation is started
r_{rf}	Performance of the DB system per unit time during rolling forward
r_{rc}	Performance of the DB system per unit time during reconfiguration of the system
r_{rb}	Performance of the DB system per unit time during rolling back
r_{dr}	Performance of the DB system per unit time during manual resolution of data inconsistencies by the system operator

3 NUMERICAL EXAMPLES

We analyze performability by solving the performability model of the DB system with given parameter values under several assumptions using SPNP (Hirel et al, 2000).

3.1 Assumptions

We computed performability under the following assumptions. Performance of the DB system in properly-functioning state decreases as the data synchronization interval increases. Roll-back is performed as background process after the failed DB system resumes its services. When performing roll-back, the performance decreases to a half of the performance when the system is properly-functioning. The transition rates are exponentially distributed.

3.2 Parameters Settings

The parameters' values are as follows. We set t_{rpo} , t_f , t_d , t_{rf} , t_{rc} , and t_{rb} to 1[h], 1440[h], 40[sec], 1[min], 1[min], and 2[min], respectively. Note that the parameters' values may vary with system configuration. For t_d and t_{rf} , we used default values of SQL server 2012. For other parameters, we used arbitrary but reasonably set parameters' values under the mentioned assumptions. Since the value of t_{dr} highly depends on systems (e.g., the ratio of RPO to t_s , frequency of data updates by users and complexity of data structure), we set t_{dr} to 1, 12, and 24 [h]. Since throughput during properly-functioning state decreases as the t_s increases, r_u is set to $1-c/t_s$ where c is a parameter representing the size of contribution of t_s to performance in the properly-functioning state. r_{rb} is set to $r_u/2$. Other reward rates are set to 0.

3.3 Analysis Results

Based on the parameters' values, we calculate performability, by varying the value of t_s in the range of [1.0-50.0] at a step 0.1. The details of the analysis results are as follows.

Figures 4, 5 and 6 show the analysis results where t_{dr} is 24, 12 and 1, respectively. The horizontal axis represents the synchronization interval t_s , and the vertical axis represents performability. The results indicate that with increasing c , performability decreases and the value of t_s which maximizes performability increases. Differences in performability for different values of

c decreases with an increase in t_s . When the value of t_s is infinity, theoretically performability for all values of c becomes the same, since no synchronization occurs in this condition. When t_s is smaller than the value which maximizes performability, performability sharply rises with an increase of t_s . Meanwhile, when t_s is larger than the value, change in performability becomes smaller.

Figures 7 through 11 show analysis results where c is 0.1, 0.3, 0.5, 0.7 and 0.9, respectively. The results indicate that the value of t_s which maximizes performability increases as t_{dr} increases. The larger value of t_{dr} leads to greater change in performability.

Table 4 summarizes the value of t_s which maximize performability and the maximum value of performability, for each value of t_{dr} and c . The results clearly indicate that as t_{dr} increases, the values of t_s which maximize performability decrease and the maximum values of performability also decrease, for all values of c .

In summary, the analysis results show that the value of t_{dr} is highly influential to performability. By taking into account the effect of t_{dr} on performability, the proposed method enables the system designer to identify the optimal synchronization interval in terms of performability. The identification would be useful for design improvement of the DB systems.

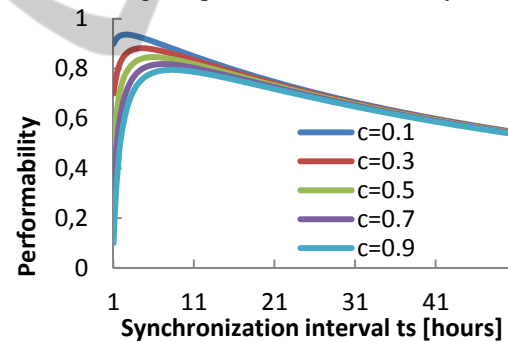


Figure 4: The relationship between performability and synchronization interval at $t_{dr} = 24$.

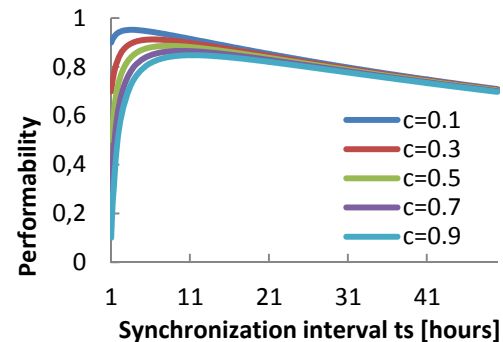


Figure 5: The relationship between performability and synchronization interval at $t_{dr} = 12$.

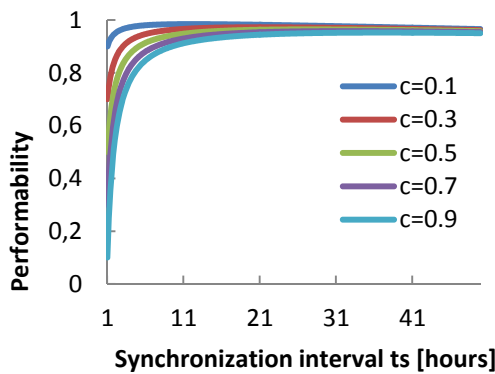


Figure 6: The relationship between performance and synchronization interval at $t_{dr} = 1$.

3.4 Discussion

In this section, we have solved the performance model capturing the time-consuming resolution of data inconsistencies. The analysis results indicate that with increasing t_{dr} , the values of t_s , which maximize performance decrease (i.e., overhead for synchronization increases) and the achievable values of performance decrease. As can be seen in the numerical examples, the value of t_{dr} has a large impact on performance. Therefore, for system design improvement, not only common methods to increase r_u such as to utilize broader bandwidth network between the main and backup sites, to upgrade hardware to enhance performance, to add servers to distribute load for processing the request from the users, but also methods to reduce t_{dr} such as to train the system operator for higher skill and to prepare scripts for various situations of failure-recovery in advance are considered important. The value of t_{dr} highly depends on the system operator's skill. The value of t_{dr} also would vary with many factors such as complexity of data stored in the DB system, system configuration, human errors under time pressure. We need to estimate the value of t_{dr} by properly taking the factors into consideration.

Although the proposed method is applicable to various DB systems, the limitation of the proposed method is that the value of t_s needs to be variable. If it is difficult or impossible to set the value of t_s to the optimal value obtained from the proposed method in the DB system (for instance, the synchronization interval cannot be reduced to the values less than a certain value because of limitation of network bandwidth in the DB system), the proposed method helps the system designer to determine the synchronization interval which maximizes performance within the allowable range of t_s .

In this paper, we focus on incorporating system designer's behaviour into the performance model, by considering the time-consuming resolution of data inconsistencies. In contrast, we do not consider the behaviour of users (clients) such as temporal trend of incoming requests from the users. For example, many failed systems tend to have sharp increase in access from the users immediately after service resumption, which might make the system unstable. Considering the trend of external load will be an issue in the future.

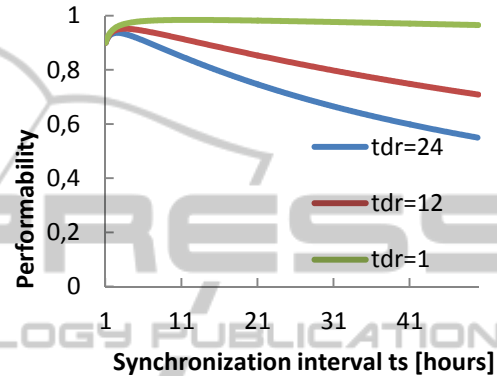


Figure 7: The relationship between performance and synchronization interval at $c = 0.1$.

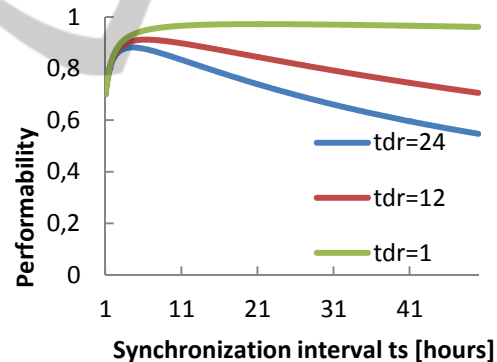


Figure 8: The relationship between performance and synchronization interval at $c = 0.3$.

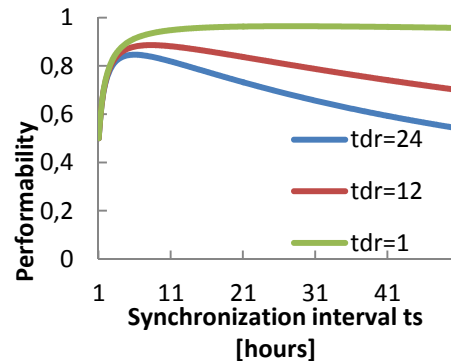


Figure 9: The relationship between performance and synchronization interval at $c = 0.5$.

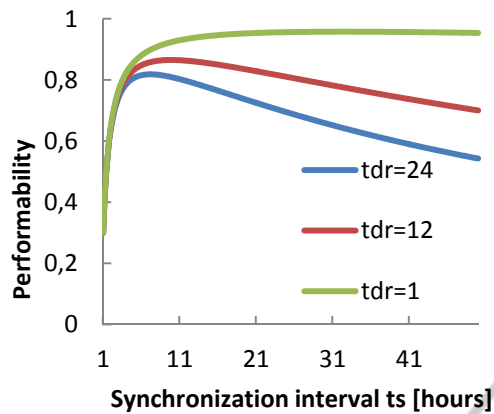


Figure 10: The relationship between performability and synchronization interval at $c = 0.7$.

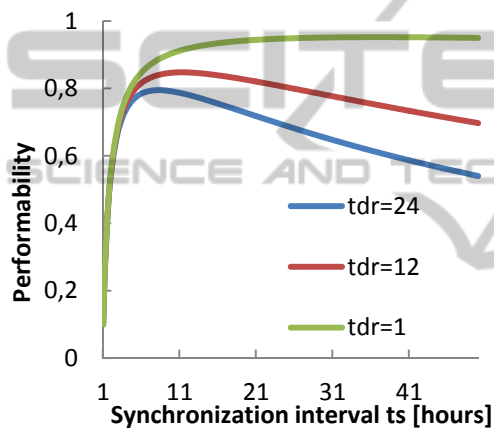


Figure 11: The relationship between performability and synchronization interval at $c = 0.9$.

Table 4: The values of t_s when the values of performability become largest.

c	t_{dr}	t_s	Performability
0.1	24	2.5	0.936566
	12	3.6	0.951588
	1	12	0.984139
0.3	24	4.5	0.881877
	12	6.3	0.912085
	1	21.1	0.972203
0.5	24	6	0.846143
	12	8.2	0.885862
	1	27.3	0.964069
0.7	24	7.2	0.818218
	12	9.8	0.86512
	1	32.4	0.957508
0.9	24	8.2	0.794852
	12	11.3	0.847593
	1	36.8	0.951871

4 SUMMARY AND FUTURE WORK

In this paper, we have proposed a method to identify the synchronization interval that maximizes performability by taking into account the effect of the time-consuming manual resolution of data inconsistencies on performability. The proposed method identifies the optimal synchronization interval by solving a SRN describing manual and automatic failure-recovery behaviors of a DB system under a given RPO. Our numerical results show that the value of the time to resolve data inconsistencies has a significant impact on performability. The proposed method enables system designers to identify the optimal synchronization interval in terms of performability.

We plan to improve the performability model by considering more human factors and external load, and to develop a method to obtain accurate values of the transition rates and the reward rates.

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