

# The Role of the Complex Extended Textural Microstructure Co-occurrence Matrix in the Unsupervised Detection of the HCC Evolution Phases, based on Ultrasound Images

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**Abstract:** The hepatocellular carcinoma (HCC) is a frequent malignant liver tumour and one of the main causes of death. Detecting the HCC evolution phases is an important issue, aiming the early diagnosis of this tumour and patient monitoring with maximum accuracy. Our objective is to discover the evolution stages of HCC, through unsupervised classification techniques, using advanced texture analysis methods. In this work, we assessed the role that the Haralick features derived from the Complex Extended Textural Microstructure Co-occurrence Matrices (CETMCM) have in the unsupervised detection of the HCC evolution stages. A textural model for these phases was also generated. The obtained results were validated by supervised classifiers, well known for their performance, such as the Multilayer Perceptron (MLP), Support Vector Machines (SVM), respectively decision trees and they were also compared with the previously obtained results in this domain. The final classification accuracy was about 90%.

## 1 INTRODUCTION

The hepatocellular carcinoma (HCC) is the most frequent malignant liver tumour, present in 75% of the liver cancer cases. It evolves from cirrhosis, after a liver parenchyma restructuring phase, towards the end of which dysplastic nodules that can turn into HCC result. Detecting HCC in early evolution stages presents a major importance. Also, accurately identifying the evolution stage is essential, in order to adopt the appropriate treatment (Sherman, 2005). Ultrasonography (US) is a safe method for patient examination, non-invasive, inexpensive, easy to apply and, thus, repeatable. Other medical imaging based examination methods, such as the computer tomography (CT), the magnetic resonance imaging (MRI), or the contrast enhanced ultrasonography (CEUS) are irradiating or expensive. In ultrasound images, HCC appears, in incipient phases, as a small lesion, having 3-4 cm in size. In more advanced stages, the most relevant characteristic of HCC is the heterogeneity, due to the co-existence of fibrosis, regeneration nodules, hepatocytic necrosis and fat

cells. Advanced HCC is also featured by a very complex structure of vessels. Thus, HCC is usually hypoechogenic and homogeneous in the incipient phase and during its evolution, it usually becomes inhomogeneous and hyperechogenic. The most frequent form of HCC is the focal, encephalic form. There are, however, multiple variants observed for the encephalic form of HCC, within the ultrasound images, most of them being associated to a certain evolution phase (American Liver Foundation, 2015). These forms are depicted in the figure below (*Figure 1*). The *Edmondson and Steiner* staging system stated the existence of four evolution stages for the HCC tumour (Atupelage, 2013). In our research, we aim to perform the detection of the HCC evolution phases based on textural features determined from ultrasound images. Thus, we analyse the capability that the ultrasound images have in order to reveal the HCC evolution phases and we study the properties of each phase through textural parameters. In order to derive new, subtle information, concerning the HCC evolution phases, we applied unsupervised classification techniques for the automatic staging of HCC, based on ultrasound images.

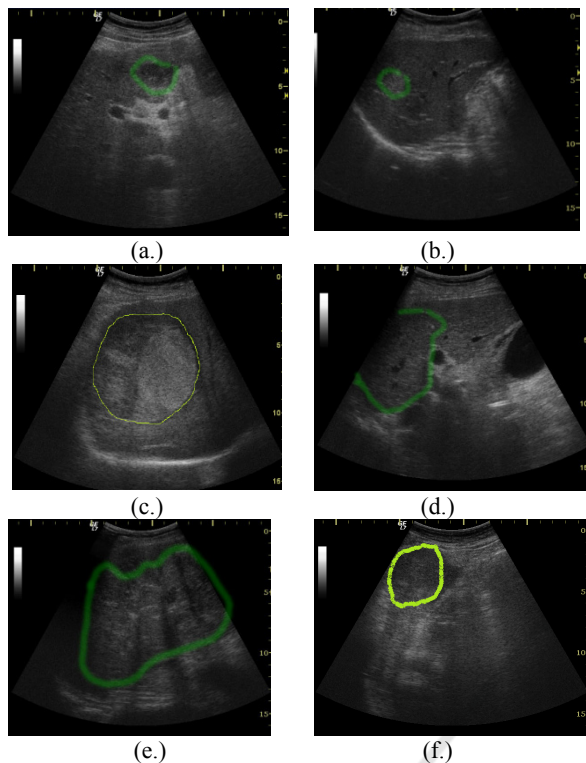


Figure 1: Visual forms of the HCC tumor, in US images: (a.) Incipient form, hypoechogenic aspect; (b.) Incipient form, hyperechogenic aspect; (c.) Encephalic form, hyperechogenic, inhomogeneous aspect; (d.) Encephalic form, isoechogenic, homogeneous aspect; (e.) Encephalic form, hyperechogenic, fibrolamellar aspect; (f.) Encephalic form, hypoechogenic aspect.

Concerning the computerized detection of the HCC evolution phases, several approaches exist, involving texture-based features and supervised classification methods (Atupelage, 2013), respectively histological features and a combination between supervised and unsupervised classification techniques (Ciocchetta, 2000), but no significant research exists regarding the automatic grading of the HCC severity, based on ultrasound images, in an unsupervised manner. Thus, in (Atupelage, 2013), the authors determined the evolution stages of HCC, in supervised manner, from histological images, using newly defined textural features, derived through multifractal analysis. A bag-of-features based supervised classifier was employed in order to identify one of the five evolution stages of HCC (four that conformed to the *Edmondson and Steiner* grading system, together with an additional stage, which preceded the malignity). The final resulted accuracy was 95%. Another approach combined the supervised and unsupervised classification techniques, in order to detect the HCC tumour in incipient phase, using

histological features (Ciocchetta, 2000). For performing supervised classification, a combination scheme based on the sum of the basic classifier outputs was implemented, while for unsupervised classification, a fuzzy-k-means clustering method was employed. Regarding the unsupervised classification of the malignant diseases, the authors assessed the role of the dimensionality reduction methods, in the context of the differentiation among the glioma brain tumour evolution phases, based on spectroscopic image (Resmi, 2010). Two techniques, the Laplacian Eigenmaps, respectively the Independent Component Analysis (ICA) were compared, the first method resulting as superior. A hierarchical classifier that performed agglomerative clustering was also implemented, the final accuracy being 91%. *In our work*, we discovered the evolution phases of HCC from ultrasound images, through computerized methods, in unsupervised manner, by using textural features and clustering techniques. We previously employed, for this purpose, existing, classical methods for texture analysis, as well as advanced, newly defined techniques, based on generalized, superior order co-occurrence matrices (Mitrea D., 2015). The Complex Extended Textural Microstructure Co-occurrence Matrix (CETMCM), based on Laws' and gradient features, was firstly defined in (Mitrea, D., 2014) and assessed in the context of the supervised classification of some abdominal tumours within ultrasound images. In this work, we highlighted the role that the CETMCM matrix had in the unsupervised detection of the HCC evolution phases. For the validation of the unsupervised classification results, appropriate supervised classification techniques were adopted (Witten, 2005). The results obtained in this work, due to the CETMCM parameters, were also compared with the previously obtained performances. The content of this paper is structured in the following manner: after the introduction, the state of the art is presented. Then, the proposed methods are described in details, followed by experiments and discussions. At the end, the conclusions are stated and some bibliographic references are proposed.

## 2 THE PROPOSED SOLUTION

The textural model of the HCC evolution stages consists of: (a) *the relevant textural features* for the differentiation among these stages and (b) *the specific values associated to each relevant textural feature*: arithmetic mean, standard deviation, and probability distribution. In order to build the textural model of the

HCC evolution stages a methodology consisting of the following steps was implemented: 1.) *A preliminary step*, when the appropriate images were gathered and regions of interest were marked inside the HCC tissue. 2.) *The image analysis phase* was performed then, consisting of feature computation, by applying specific methods for texture analysis. 3.) *The learning phase*, in order to discover the existing classes, to derive the set of the relevant textural features and their specific values. 4.) *The validation phase*, the purpose being to assess the model obtained during the previous phases, through supervised classification methods. The techniques corresponding to each step will be described in the next sections.

## 2.1 The Image Analysis Phase

The textural features were computed using both classical and newly defined texture analysis methods. Concerning the classical methods for texture analysis, we considered first order statistics of the grey levels, second order statistics of the grey levels such as the GLCM matrix and the autocorrelation index, edge-based statistics and gradient based features, statistics of the textural microstructures obtained after the application of the Laws' convolution filters, as well as the Shannon entropy computed after applying the wavelet transform recursively, twice (Meyer-Base, 2009). Also, more advanced texture analysis methods, described in our previous works, (Mitrea D., 2012) and (Mitrea D., 2015) were implemented, such as the following types of generalized co-occurrence matrices: the Grey Level Co-occurrence Matrix (GLCM), the Edge Orientation Co-occurrence Matrix (EOCM), the Complex Textural Microstructure Co-occurrence Matrix (CTMCM) based on Laws' features. In this work, we analysed the role that the Complex Extended Textural Microstructure Co-occurrence Matrix (CETMCM) had in the detection and characterization of the HCC evolution phases. The CETMCM matrix was defined as follows:

$$\begin{aligned}
 C_D(t_1, t_2, \dots, t_n) &= \#\{(x_1, y_1), (x_2, y_2), (x_3, y_3), \dots, (x_n, y_n)\} : \\
 A(x_1, y_1) &= t_1, A(x_2, y_2) = t_2, \dots, A(x_n, y_n) = t_n, \\
 |x_2 - x_1| &= |\bar{d}x_1|, |x_3 - x_2| = |\bar{d}x_2|, \dots, |x_n - x_{n-1}| = |\bar{d}x_{n-1}|, \\
 |y_2 - y_1| &= |\bar{d}y_1|, |y_3 - y_2| = |\bar{d}y_2|, \dots, |y_n - y_{n-1}| = |\bar{d}y_{n-1}|, \\
 \text{sgn}((x_2 - x_1)(y_2 - y_1)) &= \text{sgn}(\bar{d}x_1 \cdot \bar{d}y_1), \dots \\
 \text{sgn}((x_n - x_{n-1})(y_n - y_{n-1})) &= \text{sgn}(\bar{d}x_{n-1} \cdot \bar{d}y_{n-1})\}
 \end{aligned} \tag{1}$$

In (1), #S is the number of elements of the set S, while n is the matrix dimension. Thus, each element of this matrix,  $C_D(t_1, t_2, \dots, t_n)$ , is equal with the number of n-tuples of pixels, with the spatial coordinates  $(x_i, y_i)$ , having the values  $t_i$  for the

attribute  $A(x_i, y_i)$ . „A” stands for the attribute associated to each pixel, corresponding to the textons (cluster labels) resulted after the application of the improved k-means clustering algorithm, while  $t_1, t_2, \dots, t_n$  are the values of these attributes. The improved k-means clustering algorithm was applied upon the combined feature vectors resulted after the convolution with the Laws' filters, respectively with some representative edge detection techniques. In the case of the Laws' convolution filters, the 5x5 kernels (Laws', 1980) were taken into account:  $L_5L_5, E_5E_5, S_5S_5, W_5W_5, R_5R_5$ , together with the combined kernels,  $S_5R_5, R_5S_5$ , which provided good results in our experiments (Mitrea D., 2012). Concerning the edge detection techniques, we considered the Sobel filters for detecting horizontal and vertical edges, the Kirsch Compass filters in order to detect edges with different orientations (multiples of 45°), as well as the Laplacian convolution filter (Meyer-Base, 2009). In practice, the probability matrix was employed (Davis, 1981). The spatial relation between the pixels  $(x_i, y_i)$  was defined by the set of the displacement vectors provided in (2)

$$\vec{d} = ((\bar{d}x_1, \bar{d}y_1), (\bar{d}x_2, \bar{d}y_2), \dots, (\bar{d}x_{n-1}, \bar{d}y_{n-1})) \tag{2}$$

We computed the second and third order CETMCM matrix (for  $n=2$  and  $n=3$ ) and we determined the Haralick features, as in (Mitrea D., 2012). We also considered some features referring to the n-dimensional spatial representation of the CETMCM matrix which were not experimented before in our research: cluster shade (equivalent to the skewness of the histogram associated to the co-occurrence matrix); cluster prominence (equivalent to the histogram kurtosis); the maximum area for the intersection of the co-occurrence matrix with a horizontal plan in the 3D case and the corresponding extension to the n-dimensional case. The mathematical expressions of these features are provided in (3), (4) and (5).

$$\begin{aligned}
 CI_{Shade} &= \sum_{x_1=0}^{G-1} \sum_{x_2=0}^{G-1} \dots \sum_{x_n=0}^{G-1} \{x_1 + x_2 + \dots + x_n - \mu_1 - \mu_2 - \dots - \mu_n\}^3 * \\
 pCETMCM(x_1, x_2, \dots, x_n)
 \end{aligned} \tag{3}$$

$$\begin{aligned}
 CI_{Prom} &= \sum_{x_1=0}^{G-1} \sum_{x_2=0}^{G-1} \dots \sum_{x_n=0}^{G-1} \{x_1 + x_2 + \dots + x_n - \mu_1 - \mu_2 - \dots - \mu_n\}^4 * \\
 pCETMCM(x_1, x_2, \dots, x_n)
 \end{aligned} \tag{4}$$

$$MaxAreaH = Max_N \{ |(x_1, x_2, \dots, x_n)|, CETMCM(x_1, x_2, \dots, x_n) = N \} \tag{5}$$

In the case of the second order CETMCM computation, the following directions were considered: 0°, 90°, 180°, and 270°. For the third

order CETMCM, the current pixel was considered in the central position and together with the other two pixels, they were either collinear, or formed a right angle triangle, the current pixel being situated in the position of the right angle. The following combinations of orientations were taken into account for the two displacement vectors:  $(0^\circ, 180^\circ)$ ,  $(90^\circ, 270^\circ)$ ,  $(45^\circ, 225^\circ)$ ,  $(135^\circ, 315^\circ)$  in the case of the collinear pixels;  $(0^\circ, 90^\circ)$ ,  $(90^\circ, 180^\circ)$ ,  $(180^\circ, 270^\circ)$ ,  $(0^\circ, 270^\circ)$ ,  $(45^\circ, 135^\circ)$ ,  $(135^\circ, 225^\circ)$ ,  $(225^\circ, 315^\circ)$ ,  $(45^\circ, 315^\circ)$ , in the case of the right angle triangle. The displacement vectors had the absolute value 2, in both cases. We determined the CETMCM and the pCETMCM matrices for all the considered direction combinations, the final Haralick feature values resulting as an arithmetic mean between the values of the Haralick features of the individual matrices.

## 2.2 The Learning Phase

Each of the clustering methods described below was applied and assessed individually, before and after relevant feature selection. Then the number of the clusters in the data was decided, based on the combination of the results provided by the three methods (a majority voting procedure). The results were validated through supervised classification.

### 2.2.1 Clustering Methods

The method of *Expectation Maximization (EM)* is a powerful technique that iteratively estimates the desired parameters, by maximizing the log-likelihood of the model (Witten, 2005). The parameters estimated in our work through this technique were the number of clusters and the sample distributions within the clusters. The *X-means clustering method* was employed as well, being an improved version of k-means clustering (Pelleg, 2000). The method of X-means clustering expects a maximum and a minimum value for the  $k$  parameter and performs the following steps: (1.) Run conventional k-means (Witten, 2005) to convergence, for a certain value of  $k$ . (2.) Decide whether new cluster centroids should appear or not, by splitting the old centroids into two. (3.) If  $k > k_{max}$ , then stop and report the best model identified during the algorithm, according to the Bayesian Information Criterion – BIC (XMeans). The BIC criterion is used both for deciding which centroids to split, respectively in order to identify the best model. The overall algorithm performance is estimated by the distortion, computed as the average squared distance from the points to their centroids, for the best model. The method of *Particle Swarm Optimization (PSO)*

aims to optimize the solution of a problem by simulating the movement of a particle swarm and by determining the best position for each particle (Das, 2008). Each particle has associated a position and a velocity. The velocity of a particle  $k$  increases from an iteration to another. The speed is influenced by a cognitive component, which refers to the distance from the personal best position, as well as by a social component, referring to the distance from the best global position. The optimal particle positions are determined through an evaluation function, defined according to the specific of each problem. Considering our problem, of unsupervised classification through clustering (grouping), a particle is represented by a certain cluster configuration, respectively by the way the cluster labels are associated to the input data, for a given number of clusters. We combined the PSO technique with the k-means clustering method. The initial configuration of the swarm resulted after the application of the k-means method upon the initial data. We defined the evaluation function using the specific metrics for assessing the unsupervised classification performance, in the case of the k-means clustering method, meaning, the Within Cluster Sum of Squares (WCSS). The maximum difference between the cluster proportions, as well as the number of insignificant clusters (having a proportion less than 10%), were also taken into account. Thus, the evaluation function, in our case, was a weighted mean, as described in (6). All the terms of this weighted mean were normalized between 0 and 1.

$$Eval = 0.5 * WCSS + 0.2 * \max\_dif\_clust\_prop + 0.3 * no\_insignifiant\_clust \quad (6)$$

### 2.2.2 Relevant Textural Feature Selection

Our method for relevant feature selection aims to achieve best class separation, in the context of the unsupervised classification. Thus, the overlapping area between two neighbouring clusters must be as small as possible. For each textural feature  $f$ , a relevance score was defined, as described below:

$$Relevance(f) = \sum_{i,j} (1 - Overlapping\_reg\_size_{i,j}) \quad (7)$$

In (7),  $i$  and  $j$  are neighbouring clusters. The relevance of  $f$  depends on the sizes of the overlapping regions that exist between each pair of Gaussian distributions of  $f$  corresponding to each pair of neighbouring clusters. The overlapping region size was computed as in (Mitrea D., 2015).

### 2.2.3 The Specific Values of the Relevant Features

The arithmetic mean of the relevant textural features, corresponding to the cluster centres were computed for each cluster. The Graphical representation of these arithmetic means, for all the detected clusters, was performed, in order to analyse the correlation of the feature values with the evolution of HCC. The specific variation intervals per class, for each relevant feature, were also determined, using the probability density tables obtained after applying the Bayesian Belief Networks method (Witten, 2005).

### 2.3 The Validation Phase

In order to evaluate the model resulted during the learning phase, the relevant textural features were provided at the inputs of some supervised classifiers, well known for their performance. The following supervised classification techniques, which provided the best results in our experiments, were adopted: Multilayer Perceptron (MLP), Support Vector Machines (SVM), the C4.5 algorithm of decision trees, and also a specific multiclass meta-classifier, in combination with these basic learners. The multiclass meta-classifier reduced the classification process to a combination of binary classifications and was used in conjunction with the Exhaustive Correction Code strategy (Weka, 2015). For classification performance evaluation, we used the recognition rate (accuracy), the average sensitivity (average TP rate) and the area under the ROC curve (Witten, 2011).

## 3 EXPERIMENTS AND DISCUSSIONS

The experimental dataset consisted of 200 HCC cases, three B-mode ultrasound images being taken into account for each case (patient). All the patients underwent biopsy, for diagnostic confirmation. The images were acquired with an ultrasound machine of type Logiq 7, under the same settings: 5.5 MHz frequency, gain of 78, depth of 16 cm. A region of interest (ROI), having 50x50 pixels in size, was selected on each image, inside HCC. The textural features were determined for each ROI, independently on orientation, illumination and ROI size. The texture analysis methods were applied using our own modules, implemented in Visual C++. The clustering methods, the supervised classifiers and the Bayesian Belief Networks were implemented using

the Weka 3.6 library (Weka, 2015). The PSO method was implemented in *Matlab* using a specific framework (Biswas, 2013).

### 3.1 The Learning Phase

#### 3.1.1 Discovering Clusters in the Data

First, the individual clustering techniques: Expectation Maximization (EM), X-means clustering (XMeans), respectively Particle Swarm Optimization (PSO) combined with k-means clustering were applied, before and after feature selection. The unsupervised classification performances obtained after performing feature selection, using the algorithm described within the 2.2.2 section, was usually better than the performance obtained before feature selection. Then, the estimation concerning the number of clusters within the data was performed, by combining the individual results of the adopted methods. For the XMeans method, the Euclidean distance was considered. For each unsupervised classification method, the parameters representing the number of clusters (for EM and PSO combined with k-means), respectively the minimum and maximum number of clusters (in the case of XMeans), were set to consecutive, integer values ranging for 2 to 6, in order to identify the best cluster configuration.

Table 1: The performance of EM.

No. Clusters	Log likelihood	Score
2	-139.87	0.41
3	-131.95	0.51
4	-117.87	0.74
5	-112.42	0.94
6	-109.027	0.5

In the case of the EM method, the log likelihood was estimated and a score was computed, as well, using the following formula:  $Score = 0.5 * \log\_likelihood + 0.3 * (1 - n) + 0.2 * (1 - dif)$ , where  $n$  is the number of small clusters, while  $dif$  is the maximum difference between the cluster proportions. When computing this score, the values for  $\log\_likelihood$ ,  $n$  and  $dif$  were normalized between 0 and 1. As we notice from Table 1, the maximum score was obtained in the case of 5 clusters, so, according to the EM method, there are 5 clusters within the data.

In the case of the X-means clustering technique, the *distortion* measure was estimated and an index was computed as follows:  $Index = 0.5 * distortion + 0.3 * n + 0.2 * dif$ , where  $n$  is the number of small

clusters, while  $dif$  is the maximum difference between the cluster proportions. All the terms ( $distortion$ ,  $n$  and  $dif$ ) were normalized between 0 and 1. Thus, the smallest index value indicated the best solution in this situation. This index had a minimum value for 5 clusters, so there exist 5 clusters within the data, according to the X-means clustering technique.

Table 2: The performance of PSO+k-means clustering.

No. Clusters	WCSS	Index
2	1.256e+012	0.27
3	7.392e+011	0.62
4	5.312e+011	0.34
5	4.172e+011	0.23
6	1.333e+011	0.32

In the case of PSO combined with k-means clustering, the  $WCSS$  measure, specific for the evaluation of the k-means technique, was considered, and also an index was computed, corresponding to the best values of the evaluation function, as described in (6). Thus, also in this situation, both the  $WCSS$  parameter and the  $index$  must take minimum values in the best case. According to Table 2, the  $index$  took the smallest value in the case of 5 clusters. Considering the results provided by each of the three adopted clustering methods, we can conclude that there are, most likely, 5 distinct clusters within the data, corresponding to the HCC evolution phases.

### 3.1.2 The Relevant Textural Features

The relevant textural features were detected by the algorithm described in 2.2.2, for each clustering method. Only the features that had a relevance index above the threshold (0.6) were taken into account. The three resulting relevant feature sets were intersected, yielding the final set, depicted in (8).

$$\begin{aligned}
 \text{Relevant\_features} = \{ & \text{Max\_grey\_level,} \\
 & \text{EOCM\_Homogeneity, EOCM\_Energy,} \\
 & \text{EOCM\_Corelation, GLCM3\_Energy,} \\
 & \text{GLCM5\_Variance, Directional\_grad\_variance,} \\
 & \text{Mean\_level, Mean\_Laws\_edges, Spot\_Frequency,} \\
 & \text{CETMCM\_Max\_AreaH,} \\
 & \text{CETMCM\_Cluster\_Shade, CETMCM\_Cluster} \\
 & \text{\_Prominence, CETMCM3\_Energy,} \\
 & \text{CETMCM3\_Homogeneity} \}
 \end{aligned} \quad (8)$$

Besides the classical textural features, we notice the presence of the CETMCM based features: the homogeneity and the energy, derived from the third order CETMCM, stood for the homogeneity

decrease, respectively for the echogenicity increase, towards the advanced HCC evolution phases; the second order CETMCM cluster shade and cluster prominence, respectively the maximum area for the interesection with a horizontal plan, revealed a sparse distribution of the complex extended textural microstructures during the initial evolution phases, respectively an increased density of these microstructures towards the advanced HCC evolution phases. We also remarked the increased values for the mean relevance index associated to the parameters  $CETMCM\_Cluster\_Shade$  and  $CETMCM\_Max\_AreaH$ , of 0.97, respectively 0.85. The homogeneity, energy and variance, derived from the EOCM matrix, as well as from the third and fifth order GLCM, were also included in the relevant feature set, expressing again the heterogeneous, complex structure of the HCC tissue that corresponded to the advanced HCC evolution phases. We also remark the presence of the first order statistics concerning the gradient based features and the textural Laws' microstructures, standing for the variations in the tissue structure complexity, as well as of the correlation computed from the EOCM matrix, emphasizing differences in granularity between various HCC evolution phases.

### 3.1.3 The Specific Values of the Relevant Textural Features

In *Figure 2*, the values of the arithmetic means that corresponded to some of the relevant textural features, considered for each cluster, were graphically represented. According to the a-priori existing knowledge concerning the decrease in homogeneity, respectively the increase in echogenicity during the evolution of HCC, the second cluster,  $c_2$ , corresponded to the incipient phase, having the most decreased value for the grey levels, respectively the maximum GLCM homogeneity, while cluster  $c_5$  corresponded to the most advanced evolution phase for the HCC tumor, presenting the most increased value of the gray levels, respectively the minimum value of the GLCM homogeneity. The other clusters,  $c_1$ ,  $c_3$  and  $c_4$  corresponded to intermediary evolution phases:  $c_1$  was closer to the incipient evolution phase, while  $c_3$  and  $c_4$  were closer to the advanced evolution phases. The arithmetic mean values of other features, such as the energy of the third order CETMCM and the cluster prominence derived from the second order CETMCM, were also analyzed.

We notice, from *Figure 2*, that the third order CETMCM energy had low values for the incipient phases and high values for more advanced phases,

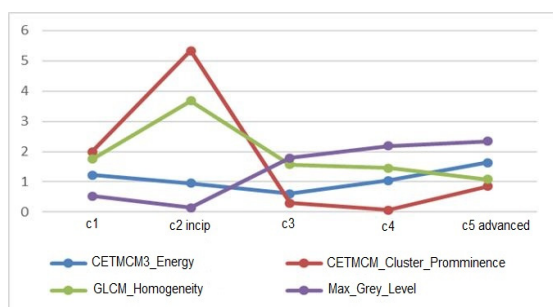


Figure 2: The mean values of the relevant textural features for each HCC evolution phase.

denoting an increase in the density of the complex extended textural microstructures during the HCC evolution. The cluster prominence of the CETMCM matrix, corresponding to the 3D histogram kurtosis, had maximum values during the incipient evolution phase and small values during the advanced evolution phases, due to the fact that, during the incipient phase, many small values of the complex extended textural microstructures and few increased values of these microstructures occur. The probability distributions generated by Bayesian Belief Networks confirmed these results.

### 3.2 The Validation Phase

During this phase, the values of the relevant textural features were provided at the inputs of some powerful supervised classifiers and meta-classifiers, as described before. The SMO method, standing for the SVM classifier, with a 3<sup>rd</sup> degree polynomial kernel was considered; the MLP classifier was also adopted, with a learning rate of 0.2, a momentum ( $\alpha$ ) of 0.8, and the number of nodes from the single hidden layer equal with  $a = (nr\_input\_features + nr\_classes)/2$ ; the J48 method, the Weka equivalent of C4.5, was employed as well. Also, we adopted the

*multiclass* meta-classifier of Weka 3.6 (Weka, 2015). The instances were labeled according to the results provided by PSO combined with k-means clustering. The following situations were compared: the case of using only the previous textural features; the case of using the former textural features, combined with the recently defined Haralick features, derived from the CTMCM matrix, based on Laws' features (Mitrea D., 2015); the case of using the former textural features combined with the newly defined CETMCM features. For the last case, both situations of 5 and 6 clusters were considered, as, for 6 clusters, increased values of the usual unsupervised classification performance parameters were obtained, but, however the size of some resulted clusters was very small. The comparison of the recognition rates is depicted in Figure 3.

It results that the CETMCM features led to the best recognition accuracy, in most of the situations. The values obtained for 5 clusters were superior to those obtained in the case of 6 clusters. The average recognition rate obtained in the first case was 88.95%, while the average accuracy obtained in the second case was 78.63%. This confirms the results obtained in the previous subsection, so there exist 5 clusters in the data. When considering the combination between the former textural features and the CETMCM features, the maximum recognition rate, of 93.35%, together with the maximum sensitivity (average TP rate), of 93.14%, respectively the maximum value of the AUC, of 98.3%, resulted in the case of the MLP classifier.

The obtained results, indicating a 90% accuracy, were comparable with the already obtained accuracy for the supervised and unsupervised classification of the HCC evolution phases (Atupelage, 2013), (Ciocchetta, 2000). In addition, in our research, five evolution stages of HCC were discovered, noninvasively, through unsupervised classification methods, from ultrasound images.

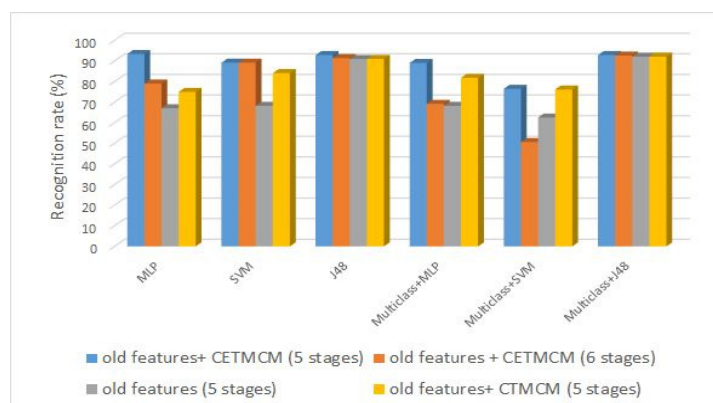


Figure 3: Evaluation of the CETMCM textural features through supervised classification methods.

## 4 CONCLUSIONS AND FUTURE WORK

The textural features, based on the CETMCM matrix, provided satisfying results in our study, leading to the discovery of 5 HCC evolution phases and to an increase in accuracy in comparison with our previously obtained results in this domain (Mitrea D, 2015). The newly considered textural features, associated to the spatial representation of the CETMCM, were selected as relevant and indicated differences concerning the complexity of the tissue structure during the evolution of HCC. The obtained results were validated through supervised classification, achieving classification accuracies around 90%. In our future work, the newly defined features will be compared with other existing textural features, such as the Local Binary Pattern (LBP). We also aim to further increase the accuracy of the texture analysis methods by employing more multiresolution features. Larger datasets will be considered as well and data representation techniques, such as Self Organizing Maps (SOM) will be also employed. (Yin, 2008).

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