

Research and Application of Target Tracking Algorithm

Bailin Lin¹, Zheng'an Xiao¹

School of Physics and Mechanical & Electrical Engineering, Hubei University of Education, Wuhan, China

Keywords: Particle filter, mean shift, target tracking.

Abstract: This paper studies the principle of particle filtering and mean shift algorithm, analyzes the influence of particle number on particle filter, and carries out tracking experiments on the target of the sports ship. Using the method of polynomial fitting, the actual motion trajectory of the ship was manually sampled and compared with the method trajectory of this article. The real-time performance of the algorithm is analyzed and the experimental results are given.

1 INTRODUCTION

The purpose of video target tracking is to analyze the video sequence captured by the sensor and correlate the same moving target in different frames of the image sequence to obtain the complete motion track of each moving target. The essence of target tracking is to analyze the video sequence captured by the image sensor and calculate the position, size and movement speed of the target in each frame of the image. As a main branch of the field of computer vision, the research of video target tracking method is increasingly applied to security, intelligent video surveillance, intelligent traffic management, military robot vision and other fields. This article takes sports ship target tracking as an example to carry out relevant algorithms and experimental research. The system that is formed is shown in Figure 1.1. The shipping monitoring system collects images or video and transmits it to image processing equipment, detecting targets according to ship template matching, and Track your goals.

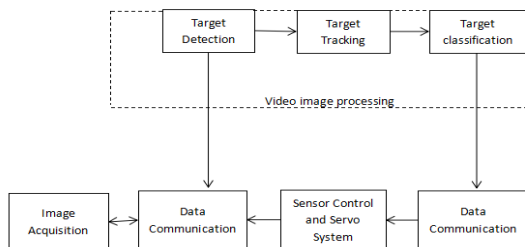


Figure 1.1 Block Diagram of Ship Automatic Tracking System.

In this paper, the sports ship is taken as the tracking target, and each frame of image in the video is taken as the object of processing, and the image is enhanced. Then, the target ship is tracked by Kalman and particle filter respectively.

2. ALGORITHM PRINCIPLE ANALYSIS

2.1 MeanShift Algorithm

Mean Shift is a typical algorithm for the offset vector. In the target tracking, the probability density function is used to iteratively search for the target color feature to track the target. Now commonly referred to as Mean Shift algorithm belongs to the search and match category in the tracking. According to the maximum similarity of the tracking template, the mean value of the current point and the mean value of the shifted point are automatically found in the neighboring area. This is a relatively simple density estimation model. Constant search until the calculated offset point is the last pixel to scan the entire image. [1,2]. The specific process of the algorithm is as follows:

(1) The target model of the initial frame

In the target search window space, the interval is divided into K equal intervals, and the central pixel coordinate of the search window in the initial frame is set as the coordinate of the i -th pixel in the image

space area. In addition, $k\left(\|x\|^2\right)$ is used to represent the kernel function selected during processing and the window width is h . Then the probability of the u -th eigenvalue can be expressed by formula (5.1):

$$\hat{q} = C \sum_{i=1}^n k\left(\left\|\frac{x_0 - x_i}{h}\right\|\right) \delta[b(x_i - u)] \quad (2.1)$$

In (2.1), the membership of the color corresponding to the characteristic value u in the coordinates can be judged by b and, in the color space, C as the constant coefficient makes probability and normalization:

$$\sum_{i=1}^n \hat{q} = 1 \quad (2.2)$$

(2) Current frame model

According to the establishment of the initial frame model, the probability of the u -th feature value of the search window in the current frame can also be expressed as:

$$\hat{p}(y_0) = C_h \sum_{i=1}^n k\left(\left\|\frac{y_0 - x_i}{h}\right\|\right) \delta[b(x_i - u)] \quad (2.3)$$

In equation (2.3), the central pixel coordinates corresponding to the current frame search window in the initial frame model correspond to C in equation (2.1).

(2) Similarity function

The similarity between the target model and the current frame model in the initial frame can be described by a similarity function, which is defined as Equation (2.4):

$$\rho(\hat{p}(y), \hat{q}) = \frac{1}{2} \sum_{u=1}^m \sqrt{\hat{p}_u(y) \hat{q}_u} + \frac{C_h}{2} \sum_{i=1}^{n_h} w_i k\left(\left\|\frac{y - x_i}{h}\right\|\right)^2 \quad (2.4)$$

among them
$$w_i = \sum_{i=1}^m \sqrt{\frac{\hat{q}_u}{\hat{p}_n(y_0)}} \delta[b(x_i - u)]$$

In the feature interval, the desired MeanShift vector can be obtained when the similarity function $\rho(y)$ is at the maximum value[3]:

$$m_{h,G}(y) = y_1 - y_0 = \left[\frac{\sum_{i=1}^{n_h} x_i w_i g\left(\left\|\frac{\hat{y} - x_i}{h}\right\|\right)}{\sum_{i=1}^{n_h} w_i g\left(\left\|\frac{\hat{y} - x_i}{h}\right\|\right)} \right] - y_0 \quad (2.5)$$

2.2 Particle Filter Fundamentals

The basic idea of particle filtering is to first generate a set of random samples in the state space based on the empirical conditional distribution of the system state vectors. These samples are called particles, and then the weights and positions of the particles are continuously adjusted according to the measurements, and the particles are adjusted. The information corrects the initial distribution of experience conditions. The essence of this approach is to approximate the associated probability distributions using discrete random measures consisting of particles and their weights, and recursively update the discrete random densities according to the algorithm. When the sample size is large, this Monte Carlo description approximates the true nonlinear stochastic system of the state variable, and the precision can be approximated to the optimal estimate. It is a very effective nonlinear filtering technique [4].

Particle filtering, also known as sequential Monte Carlo method (SMC), refers to finding a series of random samples that can approximately express the probability density function $p(x_k | z_k)$ in the state space, and replacing the integral operation with an arithmetic mean value to obtain the state minimum variance. The process of estimation. These random samples are called "particles."

The particle filter algorithm is as follows:

Combining the SIS with the particle resampling method, a complete particle filter algorithm can be obtained. Specific steps are as follows:

1) Initialization

Based on the distribution, random sampling in the vicinity to obtain a series of particles

2) SIS

Usually the importance distribution $q(x_k | x_{0:k-1}, z_{1:k})$ can be simplified to sample N particles accordingly $x_k^i \propto p(x_k | x_{k-1})$

3) Calculate weights

Calculate the weight of each particle $w_k^{(i)}$ and

normalize it $w_k^{(i)} = w_k^{(i)} / \sum_{i=1}^N w_k^{(i)}$.

4) A posteriori probability estimate

Output a set of weighted particles $\{(x_k^i, w_k^i), i = 1, 2, \dots, N\}$, according to the weighted average or maximum posterior probability

of the particle, to obtain the posterior probability estimate of the current time k .

5) Particle resampling

According to the particle weights, the sample set is re-sampled, the large-weighted particles are divided into multiple particles, the small-weighted particles are deleted, and the new N particles are obtained.

6) State transfer

When $k+1$ arrives, record the observations and repeat from 2 to 6.

3. SPORTS SHIP TRACKING EXPERIMENT

3.1 Mean Shift Tracking Algorithm

The traditional Mean Shift algorithm was used for target tracking in the experiment. The first is the initialization of the target tracking, which can be used to obtain the circumscribed rectangle of the initial target that needs to be tracked. However, the main research focus of this paper is to track the algorithm and not focus on the target detection module, so the manual selection method is selected by the mouse. Then calculate the histogram distribution of the search window weighted by the kernel function, and use the same method to calculate the histogram distribution of the corresponding window of the N th frame; use the principle of maximum similarity of the distribution of the two target templates to maximize the search window along the density increase. Move in the direction to get the true position of the target. The tracking steps are as follows:

- 1) Calculate the probability density of the target template, the target estimated position and the nuclear window width h ;
- 2) Using the target position of the initial frame to calculate the candidate target template;
- 3) Calculate the weight value of each point in the current window;
- 4) Calculate the new position of the target

$$y_1 = \frac{\sum_{i=1}^m x_i w_i g\left(\left\|\frac{y_0 - x_i}{h}\right\|^2\right)}{\sum_{i=1}^m w_i g\left(\left\|\frac{y_0 - x_i}{h}\right\|^2\right)} \quad (3.1)$$

The Mean Shift algorithm continuously iterates and finally finds the optimal position of the target in the image sequence.

In the experiment, the tracking window is first determined, the tracking target model of the initial frame is set, the target to be tracked is selected in the first frame, and a rectangle, that is, the ship feature search window containing the ship's target is framed, also called the tracked target area, and cut This area is shown in Figure 3.1. After the end of the tracking, observe the record tracking results, as shown in Figures 3.2 to 3.5.

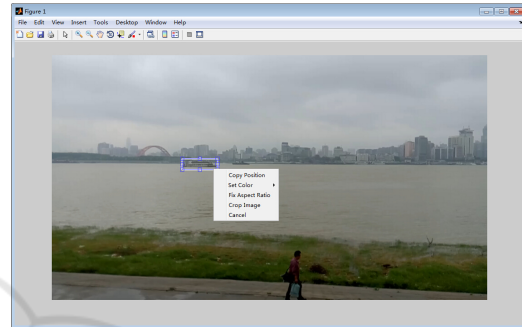


Figure 3.1 Image Selection.



Figure 3.2 Frame 20.

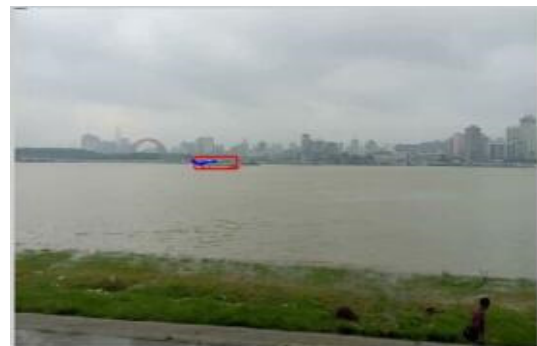


Figure 3.3 Frame 50.



Figure 3.4 Frame 70.



Figure 3.5 Frame 100.

From the experimental results, it can be seen that the two ships are staggered at the 50 frames, but the tracking frame is slightly shifted at a video around the middle 100th frame, but after that, the tracking frame is restored accurately until the final 273th frame. Observe the tracking trajectory is basically in line with the movement, but the occurrence of up and down jump, on the one hand, there is tracking error, but the main reason is that there is no use of a tripod in the video capture process, the image jitter, it is acceptable error range.

3.2 Ship Tracking Based on Particle Filter

Particles used in target tracking usually refer to target status information, including target position, size, color, and motion information. The specific implementation steps are as follows [5]:

1) Initialization

The initial position of the target X_0 is selected and N particles are randomly distributed near X_0 .

2) Get particle weight

Assuming the system is in a state such as X_1, X_2, \dots, X_n , Any X_i , $i = 1, 2, \dots, n$, we call a particle that represents a particle-centric image block. Each particle's position, color, edge, and other information together form the current state of the moment. Z is the observed value of the system at this time, and $p(z_{1:k} | x_k)$ is obtained based on historical information. To estimate the exact position of the target X , it is necessary to operate on the particles. Each particle X_i corresponds to a rectangular frame, and the color in the frame is counted to obtain a 16-dimensional color histogram vector H_i . Each color histogram has 16 bins containing 16 grayscale values (0~255/16). After the statistics are finished, The H_i is normalized so that the sum of the squares of each bin is 1, which is a 16-dimensional unit vector.

The weight W_i of each H_i can be understood as the inner product of the color histograms H and H_i of the target template, that is, the quantities of each bin are multiplied and added. This represents the similarity between the image region represented by the current particle and the target template. The higher the weight, the more similar the particle is to the target. The X_1, X_2, \dots, X_n weight W_1, W_2, \dots, W_n calculated from $p(z_{1:k} | x_k)$, where $\langle H, H_i \rangle$ represents the inner product operation.

3) Predict the current position

From the weighted average of the obtained particles X_1, X_2, \dots, X_n and the corresponding weight W_1, W_2, \dots, W_n , the system state can be estimated:

$$X = X_1 * W_1 + X_2 * W_2 + \dots + X_n * W_n, \text{ where}$$

X_i represents the location information of the center of the area. The resulting X is approximately equal to the posterior probability estimate and predicts the current position of the target.

4) Particle resampling

As the number of tilts of the video increases, the weights will become more and more concentrated on a small number of particles. Most of the other particles have very small weights. Before entering the next iteration, the particle weights are redistributed to make them all the same. Therefore, the particles need to be re-sampled, ie, N particles

X'_1, X'_2, \dots, X'_n are regenerated. The regenerated particles all come from the original particle set X_1, X_2, \dots, X_n , in which the large particles generated by the weights generate more new particles, and the particles having the smaller weights correspond to fewer new particles.

5) State transfer

At the next moment, the particles are updated, that is, X'_i becomes X''_i . Since the probability that the state transition from X'_i to X''_i can be obtained from the state matrix is $p(x_k | x_{k-1})$, the probability of changing from X'_i to X''_i is equal to $p(x_k | x_{k-1})$.

6) Repeat 2 to 5.

In the experiment, the number of particles was selected as 200. The particle filter algorithm of this paper also adopts the method of manually selecting the tracking target. First, the initial frame is displayed, and a rectangle, that is, the ship feature search window containing the ship's target is selected by using the selection box, and the ship's

edge is cut as far as possible, and right-cut. Use the `[temp,rect]=imcrop(I)` format to cut, the image matrix of the ship model is saved in the temp variable, and then a histogram is calculated for the variable; the initial position coordinates of the ship are stored in the rect variable for calculation. The center coordinates of the ship.

3.3 Error Analysis

In this paper, the distance between the tracking center point and the actual movement center point is calculated to calculate the error of comparing the two algorithms. The center point of the actual movement uses the manual selection method, writes a program, selects 9 frames, and determines the coordinates of the center point; then uses a polynomial fitting method to perform 6 fittings to fit the actual motion trajectory; then it calculates the two tracks separately. The error between the curve and the trajectory is measured by the error and variance of the average per frame. The error calculation result shows the MATLAB running screenshot, as shown in Table 1.

Table 1 Comparison of tracking errors.

	Average per frame error (pixels)	Average gap between two algorithms per frame (pixels)
Particle filter method	3.7212	5.7782
Mean shift method	2.3213	

From the above tracking results, it can be seen that both algorithms have jitter in the tracking process, but the overall trend is correct, and the mean error using the mean shift method is smaller than the particle filter method, and the difference between the two methods does not exceed 6 pixels.

3.4 Real-time Analysis

Use the tic and toc commands to output the total running time of the program. The results are shown in Table 2.

Table 2 Runtime Comparison.

Tracking algorithm	Running time (s)
Particle filter algorithm	48.151951
Mean shift algorithm	115.003216

It can be seen that the operation time of the particle filter algorithm is far less than the mean shift algorithm, and the real-time performance is better. This aspect is the reason for the algorithm, and on the other hand, it is the reason for the design of the program itself.

3.5 Effect of Particle Number on Particle Filtering Tracking

Set the number of particles to 100, 200, 500, 1000, and 2000, and observe the effect on the program.

The change in the running time is shown in Table 3.

The error is shown in Table 4.

Table 3 Effect of Particle Number on Running Time.

Number of particles	Running time (s)
100	35.889891
200	48.151951
500	63.085486
1000	121.126432
2000	196.054916

Table 4 Effect of Particle Number on Tracking Error.

Number of particles	Average per frame error (pixels)
100	3.9718
200	3.7212
500	3.0853
1000	2.7546
2000	2.3691

It can be seen that the number of particles increases, the amount of calculation increases, the running time of the program becomes longer, and the real-time performance becomes worse; the tracking effect seems to be better intuitively, but the actual error change is not obvious, which is related to the number of times of polynomial fitting, Select manually when the target is selected. The initial template is inconsistent.

4 CONCLUSIONS

The tracking accuracy and real-time performance of the two algorithms are compared. It is found that the accuracy of the particle filter tracking algorithm is lower than that of the mean-shift algorithm, but the real-time performance is better. Afterwards, the effect of particle number on particle filtering was studied. It was found that as the number of particles increases, the tracking accuracy increases, but the running time becomes longer and the real-time performance becomes worse.

REFERENCES

1. Zhu shengli. Study on MeanShift and related algorithm in video tracking [D]. Hangzhou: zhejiang university,2007
2. Cheng Yi Zong. MeanShift, Mode Seeking, and Clustering[J]. IEEE transactions on pattern analysis and machine intelligence, 1995, 8, 17(8): 790-798
3. Collins Robert T. MeanShift blob tracking through scale space[J]. IEEE Computer Society Conference on Computer Vision and pattern Recognition, 2003, 2: 234-240
4. Zhu zhiyu. Particle filtering algorithm and its application [M]. Beijing: science press, 2010: 27-28
5. Hans R. Künsch. Particle filters[J]. Statistics, 2013