

Fast Encryption Scheme with Logic Gate and Linguistic Algorithm

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Abstract: User data is not safe in the world because hackers are doing their best and advanced approaches to get user-sensitive data. There are available different keys for unlocking security systems. The keys are produced by generating different situations and the relation of keys to the encryption scheme is independent or not independently decided by the selection of the encryption scheme. Higher security is demanding a more protectable scheme of encryption for protecting user data. A fast Encryption Scheme is achieving a quick response in milliseconds which is not given time for hackers. The key exchange scheme help to make authentication between end users by the linguistic algorithm with a discrete distribution scheme to find an unreadable bit of end-user data. The presented scheme proofing the fast security scheme and explored different kinds of attacks also proves to make a strong and fast conversion scheme in a secure environment.

1 INTRODUCTION

The development of the protection of user data is the most essential part of research in the world. It generates a race to make more strong protection of data. All the transmission media is not safe in the world for authenticated access. The dynamic keys exchange scheme is presented by many researchers. It is making sure the authentic process used the Diffie-Hellman key exchange scheme in (Pan et al., 2022). Find the best approach for MANETs Networks media by multiplicative key exchange scheme in (Manjula, et al., 2021).

The key exchange scheme can help to generate the security of sensitive medical information of patients and process for generating encryption keys (Ermatita, et al., 2020). A brief study explored the Diffie-Hellman key exchange scheme to make sure authentic steps in unsafe media (Mishra, et al., 2019). The Diffie-Hellman scheme is implemented for reliable key exchange in transmission media (Aryan, et al., 2017). The MITM attack is proven by the authentication scheme in (Knezevic et al., 2020; Pavicic, (2021)).

The encryption scheme is based on many different patterns that are based on linear or non-linear schemes in cryptanalysis. The non-linear confusion-based encryption scheme is explored in (Munir, et al., 2021). The S-box scheme in the cryptography of substitution is improved with the Latin square scheme

and S-box application defined in different applications in (Hua, et al., 2021).

2 PROPOSED SCHEME

The proposed scheme is preceded by an encryption and decryption scheme. It is pointing below:

Encryption Scheme:

1. Take data M and get length $L = L + 1$. And get the ASCII value and store as D_n .
2. Generate keys exchange scheme Diffie-Hellman
3. Choose private key X_{PDa} where $X_{PDa} < q$.
4. And find a public key by the scheme $Y_{Da} = (\alpha)^{X_{PDa}} \text{ mod } q$.
5. Check authentication by generating a K value with the help of a shared public key. K value is calculated by $K = (Y_{Db})^{X_{PDa}} \text{ mod } q$;
6. If authentication is successful then generate a function $Dc(n)$ by the formula $Dc(n) = (Dc_n + D_n \times R_n) \text{ mod } 251$; If $n=1$ then $Dc(n) = (Dc_n + D_n)$ and hide by the formula $DcE(n) = (Dc(n) + R_n) \text{ mod } 251$;
7. Convert $Dc(n)$ by formula $DcE(n) = (Dc(n) + R_n) \text{ mod } 251$;

8. Generated keys by method $Rk_n = C_n \times Rk_n (Rk_n - 1)$; If $(Rk_n > 255)$ then $Rk_n = Rk_n \text{ mod } 251$; The Rk_n keys are calculated of 7 key values.
9. Generate encryption scheme by two steps logic gates:
 - a. $AD_n = Rk_n \text{ XOR } Dc (n)$.
 - b. $BD_n = AD_n \text{ XOR } D_n$.
 - c. The Encrypted value $DEnc = DB_n$.

Where, private key = XP_{Da} , public key Y_{Da} , $C_n = (1, 2, 3, \dots, n)$; R_n = Random Number by discrete Distribution scheme, D_n = ASCII values.

Decryption Scheme:

1. Take encrypted data $D2n = \text{ASCII} (DEnc)$ and get length $L = L$.
2. Generate keys exchange scheme Diffie-Hellman
3. Choose private key XP_{Db} where $XP_{Db} < q$. And find a public key by the scheme $Y_{Db} = (\alpha)^{XP_{Db}} \text{ mod } q$.
4. Check authentication by generating a K value with the help of a shared public key. K value is calculated by $K = K = (Y_{Da})^{XP_{Db}} \text{ mod } q$.
5. Convert $DcE(n)$ by formula $Dc(n) = (DcE (n) - Rn) \text{ mod } 251$;
6. Generated keys by method $Rk_n = C_n \times Rk_n (Rk_n - 1)$; If $(Rk_n > 255)$ then $Rk_n = Rk_n \text{ mod } 251$; The Rk_n keys are calculated of 7 key value.
7. Generate decryption scheme by two steps logic gates:
 - a. $ADI_n = Rk_n \text{ XOR } Dc (n)$.
 - b. $BDI_n = ADI_n \text{ XOR } D2_n$.
 - c. The Decrypted value $Data = BDI_n$.

Where, private key XP_{Db} , public key Y_{Db} , $C_n = (1, 2, 3, \dots, n)$; R_n = Random Number by discrete Distribution, $D2_n$ = ASCII values.

3 CRYPTANALYSIS OF ATTACKS

The proposed scheme security can be verified by cryptanalysis of attack. The scheme is stepped by breaking the code of the method and generating the possible keys and user data as well. All the results are presented in tabular form as expected examples.

3.1 Cipher Text Only Attack

Given Parameters ($q=7, L = 7, R_n = 12, C_n=5$).
 Keys = (158, 244, 141, 41, 202, 153, 47).
 Given: Encryption steps DE1, DE2:- $Enc_1 = E_{K1} (D1), Enc_2 = E_{K2} (D2) \dots \dots \dots, Enc_i = E_{Kq} (D_i)$ where $q=1:7, DE_{Kq} = DE1, DE2 (K_q)$
 Deduce: - Either $D_1, D_2 \dots D_i$;
 $RK_1, RK_2, RK_3, RK_4, RK_5, RK_6, RK_7$;

In Table 1, if any value is repeated one or more times in the information, then the converted data is generating a difference for the same value U. The converted data of value U first value is unlike from U finding as N time value in the data.

3.2 Known Plain Text Attack

Given Parameters ($q=7, L = 7, R_n = 12, C_n = 5$).
 Keys = (158, 244, 141, 41, 202, 153, 47).
 Given: Encryption steps DE1, DE2:- $Enc_1 = E_{K1} (D1), Enc_2 = E_{K2} (D2) \dots \dots \dots, Enc_i = E_{Kq} (D_i)$ where $q=1:7, DE_{Kq} = DE1, DE2 (K_q)$
 Deduce: - Either $RK_1, RK_2, RK_3, RK_4, RK_5, RK_6, RK_7$;

Table 1: Cipher Text Only Attack.

$D_1 = U$ then	$Enc_1 = E_{K1} (D_1) = E_{158}$	U = ^a
$D_2 = UU$ then	$Enc_2 = E_{K1,2} (D_2) = E_{158,244}$	UU =ç•
$D_3 = UUU$ then	$Enc_3 = E_{K1,2,3} (D_3) = E_{158,244,141}$	UUU =÷•ä
$D_4 = UUUU$ then	$Enc_4 = E_{K1,2,3,4} (D_4) = E_{158,244,141,41}$	UUUU =•í•0
$D_5 = UUUUU$ then	$Enc_5 = E_{K1,2,3,4,5} (D_5) = E_{158,244,141,41,202}$	UUUUU =•ý• Ñ
$D_6 = UUUUUU$ then	$Enc_6 = E_{K1,2,3,4,5,6} (D_6) = E_{158,244,141,41,202,153}$	UUUUUU =š'ó
$D_7 = UUUUUUU$ then	$Enc_7 = E_{K1,2,3,4,5,6,7} (D_7) = E_{158,244,141,41,202,153,47}$	UUUUUUU =•Ý□ ã°

Table 2: Known Plain Text Attack.

$D_1=W$ then	$Enc_1=E_{K_1}(D_1)=E_{158}$	$W=\text{â}$
$D_2=WW$ then	$Enc_2=E_{K_{1,2}}(D_2)=E_{158,244}$	$WW=\text{•ÿ}$
$D_3=WWW$ then	$Enc_3=E_{K_{1,2,3}}(D_3)=E_{158,244,141}$	$WWW=M'^{\wedge}$
$D_4=WWWW$ then	$Enc_4=E_{K_{1,2,3,4}}(D_4)=E_{158,244,141,41}$	$WWWW=ev\grave{O}$
$D_5=WWWW$ then	$Enc_5=E_{K_{1,2,3,4,5}}(D_5)=E_{158,244,141,41,202}$	$WWWWW=\text{•w}^{\circ}I$
$D_6=WWWWW$ then	$Enc_6=E_{K_{1,2,3,4,5,6}}(D_6)=E_{158,244,141,41,202,153}$	$WWWWW=\grave{E}g\hat{U}\cdot\grave{I}$
$D_7=WWWWW$ then	$Enc_7=E_{K_{1,2,3,4,5,6,7}}(D_7)=E_{158,244,141,41,202,153,47}$	$WWWWW=\grave{a}\circ W'çQ$

In Table 2, it is explored known plain text attacks with given 7 examples. It is hard to calculate the keys or the scheme that is used for encrypting data for decryption. The converted data of text W got as the first value isn't the same as the value W got as the N time value in the data.

3.3 Chosen Cipher Text Attack

Given Parameters ($q=7, L=7, R_n = 12, C_n = 5$).
 Keys = (158, 244, 141, 41, 202, 153, 47).
 Given: Encryption steps DE1, DE2:- $Enc_1, D_1 = Dec_{K_1}(Enc_1), Enc_2, D_2 = Dec_{K_2}(Enc_2), \dots, Enc_q, D_q = Dec_{K_q}(Enc_q)$, where $q=1:7, Dec_{K_q} = Dec_1, Dec_2(K_q)$.
 Deduce: - Either $RK_1, RK_2, RK_3, RK_4, RK_5, RK_6, RK_7$;
 Example: $Enc_1 = \text{â}$ then Encrypted Text $D_1 = Dec_{K_{1,2}}(Enc_1) = Dec_{158,244}(\text{â}) = WU$
 $Enc_2 = \text{•ç}$ then Encrypted Text $D_2 = Dec_{K_{1,2}}(Enc_2) = Dec_{158,244}(\text{•ç}) = UW$
 The random keys are calculated by the 3 dissimilar parameters L, Rn, and Cn which are very sensitive and different from each other, so it is very hard to deduce the random keys by awarding the encrypted data and decrypted original data.

4 COMPARATIVE ANALYSIS OF THE PROPOSED SCHEME

The experimental analysis is generated in changed test patterns of the proposed scheme and compared the experimental result with existing popular schemes. All the experimental analysis is presented in related parameters and environment using Intel® Core(TM) i3-6006U CPU @ 2.0GHz, 4 GB Random Access Memory, 64-bit operating system, x64-based

processor and programming platform used in MATLAB.

4.1 Analysis of Execution Running Time

The comparative table is shown comparative results between the proposed scheme, Advanced Encryption Standard & RSA method plain data "PETCYXNVDKYUIWS*" with decimal values "80, 69, 84, 67, 89, 88, 78, 86, 68, 75, 89, 85, 73, 87, 83, 42". The algorithm running time is concerned with key generation, encryption process, and all the related terms of the proposed scheme and existing method.

The experimental result is presented in Table 3 between the proposed scheme, Advanced Encryption Standard, and RSA algorithm. The experimental result displayed fast encryption running time and algorithm running time in comparison to existing methods AES and RSA.

Table 3: Compared Execution Running Time.

	Algorithm	Encryption Time in second	Algorithm Runtime in second
1	AES	0.059130	0.097861
2	RSA	0.089786	0.181050
3	Proposed-Scheme	0.007437	0.034629

4.2 Algorithm Process Time

All the process times are added in algorithm process time like key generation process and encryption running time also. This processing time is achieved at the time of the process of the scheme. The proposed scheme is compared with the RSA scheme with 10 dissimilar sizes of data files and the file size is taken from 0.51 kb to 10.70 kb.

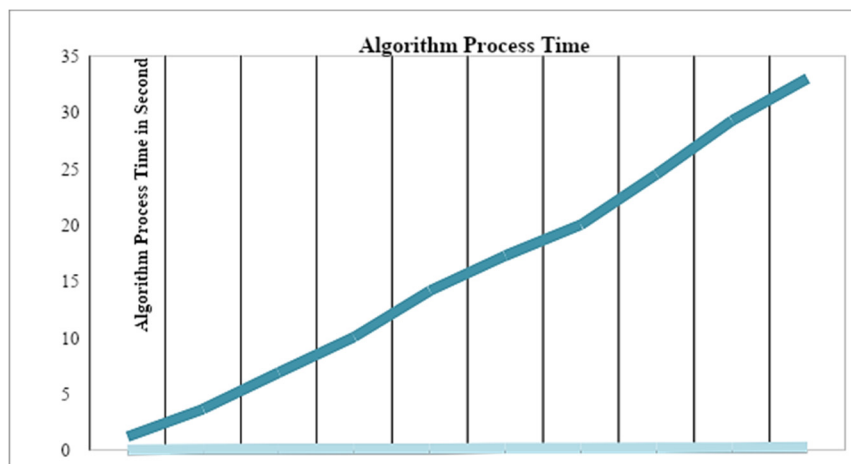


Figure 1: Analysis for the Process Time.

A linear graph is shown in Fig 1 with ten different sizes of data files and results compared between RSA and the proposed scheme. The linear results are shown as the best result of the proposed scheme which achieved a fast process time with all the key points in comparison RSA method.

5 CONCLUSION

User data is the first essential point in the whole world. The proposed scheme is preceding quick response for hiding user data. The logic gate bit-XOR is making too fast an encryption process in milliseconds. The MITM attack is prevented in this proposed scheme by the key distribution scheme and data is converted into an unreadable form by the suggested linguistic scheme for generating a secure and fast transmission. Cryptanalysis attacks are proofing for the protection of different kinds of attacks which is representing the best result of attacks. The fast access time is presented with encryption time and algorithm running time in different sizes of data. A comparative result is to generate a more secure and fast access time after adding the proposed scheme. Future work will be enhanced the scheme and improve the result of security and privacy key points by modern data hiding schemes.

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