

Evaluating the Relative Importance of Product Line Features Using Centrality Metrics

Fathiya Mohammed¹, Mike Mannion², Hermann Kaindl³ and James Paterson²

¹*School of Computing, Engineering & Physical Sciences, University of West of Scotland, Paisley, U.K.*

²*Department of Computing, Glasgow Caledonian University, 70 Cowcaddens Road, Glasgow, G4 0BA, U.K.*

³*Institute of Computer Technology, TU Wien, Austria*

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Abstract: A software product line is a set of products that share a set of software features and assets, which satisfy the specific needs of one or more target markets. One common artefact of software product line engineering is a *feature model*, usually represented as a directed acyclic graph, which shows the product line as a set of structural feature relationships. We argue that there are benefits to considering a feature model as a directed graph and an undirected graph, respectively. One element of managing the impact of a change to these models, as they increase in complexity, is to evaluate the relative importance of the features. This paper explores the application of *centrality metrics* from social network analysis for the identification of the relative importance of features in feature models. The metrics considered are degree centrality, closeness centrality, eccentricity centrality, eigenvector centrality and between-ness centrality. To illustrate, a product feature model is constructed from a real-world GSMA AI-mobile phone product line requirements specification.

1 INTRODUCTION


A software product line is a common platform to develop a family of products at lower cost, reduced time to market and with better quality (BS ISO 2017). The discipline of systematically planning, constructing, evolving and managing that set of products is known as Software Product Line Engineering (SPLE). In SPLE, a product line feature model consists of a hierarchy of features with some additional cross-cutting relationships.


Over time, within a product line organisation, as the volume and variety of products increase in scope and scale, and personnel come and go, the risk of the organization *not* fully understanding the product line increases. Feature model analysis methods and tools can help mitigate that risk. Feature models are usually represented as (directed acyclic) graphs. Graphs can represent application problems in many fields e.g. city networks, biological networks, social media. Feature model analysis can benefit from graph


analysis theory.


There can be different purposes for analysing a feature model. (Benavides, 2010) provides a review of automated approaches to analysis for discovering *valid* product configurations and managing them effectively. Other purposes include conducting an impact analysis of a change to the model, planning the introduction of a new product, or making a comparison of products configured from the model.

Within most product lines, some features are often perceived by different stakeholders as having a different level of importance than others. A high *relative importance* might be attributed, for example, to a feature being a key differentiator in its market sector, of significant value to a key customer, a significant conduit for communication between other features, or as start of a set of features whose design will be allocated to an external third party. Often, during feature model analysis, the greater the relative importance of a feature, the more attention it receives and the more influence it has on the analysis outcome.

^a  <https://orcid.org/0009-0004-7563-5614>

^b  <https://orcid.org/0000-0003-2589-3901>

^c  <https://orcid.org/0000-0002-1133-0529>

^d  <https://orcid.org/0000-0002-6955-1009>

Some characteristics that contribute to the calculation of a feature’s relative importance can be determined by its semantic properties e.g. its significance to a key customer. Other characteristics can be determined by its structural properties within the model e.g. how many features depend on it. For a product line that contains thousands of features the calculation of relative importance values is only practical when done automatically.

Different structural graph analysis metrics afford an insight into the scope and scale of an application problem. They are a useful aid when the scale and scope of the graph make visual inspection unwieldy. In social network analysis (Scott, 2017) *centrality metrics* provide an assessment of each vertex’s structural relative importance within a graph i.e. its “centrality” to the graph.

This paper explores the application of several centrality metrics to help identify the relative importance of different features in a product line feature model. The metrics considered are: degree centrality, close centrality, eccentricity centrality, eigenvector centrality and between-ness centrality.

Our research question is:

RQ1: What are the effects of different metrics for calculating a feature’s relative importance in a software product line?

We address this question by constructing a feature model from a real-world product line requirements specification and examining the value of the metrics.

Section 2 reviews the representation of a product line feature model as a graph to make this paper self-contained. Section 3 introduces a real-world product line specification for next generation mobile phones. Section 4 shows the calculations for centrality metrics. Section 5 presents the application of the metrics to the mobile phone specification. Section 6 discusses the the findings. Section 7 refers to related work. Section 8 draws some conclusions.

2 SPL FEATURE MODELS

Feature models are often large and complex and many factors affect their design e.g. graphical notation, language rigour, tool support availability, ease of comprehension, navigation difficulty, encoding simplicity, analysis complexity, and product configuration process. A feature model is often constructed as a set of structural feature relationships organized in a hierarchical graph with some *abstract features* that aid modelling but are unimplemented. The most popular graphical representation of a

feature model is a *tree* with additional crosscutting relationships between nodes (Appendix 1), resulting in an *undirected acyclic graph*.

Expressing crosscutting relationships between features in different parts of the graph is hard and often done separately in text. In (BS ISO, 2017) such relationships are restricted to *requires* and *excludes*. Sometimes, these relationships are so complex that product-preserving transformation mechanisms are needed to convert them into a feature modelling language (Knuppel et al, 2017) to make processing easier albeit longer.

Product configuration is the task of selecting features for a product from the feature model. During selection, the feature model can be traversed using different methods. Regardless, selection decisions are largely governed by a feature’s *variability type*. This property anticipates that not all features will appear in every product. Domain engineers who construct and maintain a feature model allocate values to feature variability-type properties based on the existing product portfolio and product roadmaps. Over the lifecycle of a product line, for any individual feature, the value of its variability-type property may also change as features move in and out of popularity.

Table 1 shows four commonly used variability types (BS ISO, 2017). When a feature is selected and its variability type is Mandatory, it is automatically selected. When a feature is selected and its variability type is Exclusive-OR then only one of the set of mutually exclusive features must be selected. When a feature is selected and its variability type is Inclusive-OR then one, some or all must be selected. When a feature is selected and its variability type is Optional, then it can be selected or not.

Table 1: Description of Variability Type.

Variability Type	Description
Mandatory	A mandatory feature is automatically selected.
Exclusive-OR	A set of choices which are mutually exclusive and only one must be selected
Inclusive-OR	A set of choices of which one, some or all must be selected
Option	A single choice which may or may not be selected

A feature model is sometimes implicitly considered a *directed graph* because some features are regarded as parents and some as children, In an undirected graph, edges represent a two-way connection between features. Deciding if a product line feature model an undirected or a directed graph can vary depending on the purposes of the modelling.

3 GSMA APPLICATION

The Global Systems for Mobile communications Association (GSMA) is a worldwide industry trade body to support and promote the interests of hundreds of mobile operators. Its purposes include easing cooperation between countries deploying GSM technology, facilitating protocols and standards, supporting interoperability, and encouraging innovation across the mobile ecosystem.

In July 2023, to accelerate the deployment of AI technology across the industry, GSMA published a non-confidential Artificial Intelligence (AI) Mobile Device Requirements Specification (GSMA, 2023). In effect, it specifies a set of product line requirements. Actual products derived from this specification will have some but not all of the features this specification points to. In the specification, readers are directed to (Bradner, 1997) to understand the interpretation of the keywords “MUST”, “MUST NOT”, “REQUIRED”, “SHALL”, “SHALL NOT”, “SHOULD”, “SHOULD NOT”, “RECOMMENDED”, “MAY” and “OPTIONAL”.

We used this specification to construct a feature model. We introduced some *abstract features* in the model to aid modelling and understanding, but they would not be implemented in any product. We gave each requirement an identifier. A full list showing how we labelled each requirement in the specification and where we introduced some abstract requirements is at <https://figshare.com/s/1475000bed40c6f7bc56>.

We did not have access to the authors of this document so in structuring the feature model and allocating a variability type for each feature (using Table 1) we used our own interpretation and do not claim it to be the best.

Appendix 1 shows a feature model. It uses the notation of the tool it was constructed with, *pure::variants* (Pure Systems, 2024). Many feature models are implicitly assumed to be directed graphs because they adopt the guidance in (Lee et al, 2002) i.e. the model captures structural or conceptual relationships among features e.g. a *composed-of* relationship, a *generalization-specialization* relationship, an *implemented-by* relationship which in turn assumes information flow direction. In practice, when analysing a feature model the comprehension process is iterative and includes viewing the model as a directed and an undirected graph.

To illustrate product configuration, let us assume for simplicity that the GSMA feature model is traversed depth-first starting at Feature 0. Feature 1 is considered first and selected automatically because it is Mandatory a. Next, one or more of Features 2, 3, 4,

5 are selected because their variability type is Inclusive-OR. Feature 6 is selected automatically because it is Mandatory. Then, one or more of features 7, 8, 9, 10, 11 are selected because their variability type is Inclusive-OR. Feature 12 is selected automatically because it is mandatory. Then either Feature 13 or Feature 14 is selected because their variability-type is Exclusive-OR. The process continues until all selections have been made.

4 DETERMINING A FEATURE'S RELATIVE IMPORTANCE

The process of allocation of a relative importance value to a feature is undertaken before feature analysis takes place. Importance is normally represented by attaching a weight to a feature and/or to the edges connecting it. Maintaining agreement on weights allocation is difficult for many reasons including the different perspectives of organizational stakeholders, changes to the model, having people who work on the product line come and go over time. Collectively, they motivate seeking an automatic weight allocation method.

Social Network Analysis (Scott, 2017) is the discipline of analyzing the relationships of interaction among actors in a social network. A network is arranged as a graph with vertices and edges connecting the vertices. Important vertices are typically those which maintain the graph's cohesiveness, or are significant information conduits from lying on pathways through which other vertices are reached. Normally, the higher the connectivity of a feature the greater is its relative importance.

In a product line feature model, a vertex is a feature. Centrality metrics can provide an assessment of each feature's relative importance within a feature model. There are many centrality metrics, each one a function of the number of connections a feature has to other features and the strength of each connection. Connectivity can be measured in different ways, reflecting an understanding that a feature might be strongly connected locally within the graph but weakly connected globally, or vice-versa. Some metrics also consider connectivity to highly important features wherever they are in the graph. Such features may exist a priori from the graph structure e.g. the root of a tree, or are designated by an engineer.

In large feature models, the manual allocation of weights is not tenable and an agreed algorithm for the automatic allocation of weights needs to be established. We do not address this issue in this paper.

Degree Centrality: The connection strength of a feature F can be formed by calculating the *degree* of each feature (vertex) on a graph i.e. the sum of the

total number of edges going into the feature (in-degree) and the total number of edges coming out of the feature (out-degree). Eq. (1) shows that for an undirected graph, the Degree Centrality (DC) of a feature F is the sum of the connection strengths FG_i for each F directly connected to a feature G_i (i.e. “one-hop”) where D_F is the total number of connections to feature F. Normalisation between 0 and 1 is achieved through division by $(N-1)$ where N is the total number of features in the graph-

$$DC(F) = \frac{\sum_{i=0}^{D_F} FG_i}{(N-1)} \tag{1}$$

Closeness Centrality: The overall connection strength of a feature F can be formed by calculating the average shortest distance from each feature to every other feature G_i where N is the total number of features in the graph (Eq. 2). For undirected graphs inward and outward edges are included in the calculations. For directed graphs, only the out-degree is included. If there is no (directed) path from F to G_i then the distance is 0. If the sum of the distances for a feature is small then its closeness is high. The higher the closeness the quicker a feature can communicate to other features across the graph. Closeness Centrality can be a useful measure of identifying global connectivity but in a highly connected network, many features can have similar scores and are less distinctive in their global relevance. Closeness Centrality can also help with finding influential features in an isolated large cluster.

$$CC(F) = \frac{1}{\sum_{i=0}^{D_F} FG_i(\text{avg shortest path distance})} \tag{2}$$

Eccentricity Centrality: The overall connection strength of a feature F can be formed by calculating the maximum distance (longest path) between the feature and any other feature G_i in the graph. Eq. 3 shows Eccentricity Centrality to be the inverse of the maximum distance i.e. the shorter the distance the greater the relative importance. Eccentricity can be a useful indicator of the absolute centrality of a feature within a graph. For undirected graphs, inward and outward edges are included in the calculations. For directed graphs, only outward edges are included, and if there is no outward edge e.g. on leaf features, then the eccentricity score is 0.

$$EC(F) = \frac{1}{\sum_{j=0}^{D_F} FG_j(\text{max distance})} \tag{3}$$

Eigenvector Centrality: The overall connection strength of a feature F can be formed by calculating if it has an outgoing connection to features that in turn have outgoing connections or if it has incoming

connections from features that themselves have incoming connections. Eq. (4) shows that the Eigenvector Centrality of F connected to G_i is a function of the eigenvector centralities of the features that G_i is connected to. For undirected graphs inward and outward edges are included in the calculations. For directed graphs, only outward edges are included. Eigenvector centrality can be a useful measure of global relevance. For directed graphs, a feature’s importance derives from the centrality of the features that point to it; for undirected graphs, a feature’s importance combines the centrality of features that point to it and those to which it points where D_F is the set of features directly connected to F and where λ is a constant.

$$EGC(F) = \frac{1}{\lambda} \sum_{i=0}^{D_F} EGC(G_i) \tag{4}$$

Between-ness Centrality: The overall connection strength of a feature F can be formed by calculating the number of times it lies on one of the shortest paths between two other features P_i and Q_j (Eq. 5). For undirected graphs inward and outward edges are included in the calculations. For directed graphs, only the out-degree is included. Features with high between-ness centrality are important because they typically connect different groups of features. Features with a low between-ness centrality are less important and are often located at the periphery of a network. To normalize the value between 0 and 1 divide by $(N-1)(N-2)$ where N is the total number of features in the graph. For directed graphs divide by $(N-1)(N-2)/2$.

$$BC(F) = \frac{\sum_{i,j,i \neq j}^{D_F} \text{No. shortest paths in } P_i Q_j \text{ going through } F}{\text{No. of shortest paths in } P_i Q_j} \tag{5}$$

Table 2 summarises the Centrality Metrics used

Table 2: Summary of Centrality Metrics.

Metric	Benefits
Degree Centrality	a measure of a feature’s local connectivity (“one-hop” connections)
Closeness Centrality	a measure of how quickly a feature can communicate to other features across the graph– the closer the better
Eccentricity Centrality	a measure of a feature’s distance to the absolute centre point of the graph
Eigenvector Centrality	a measure of a feature’s connectivity to other important features
Between-ness Centrality	a measure of a feature’s connectivity to disparate groups of features

The metrics in Eqs. (1-5) assume that the connection strength value (“weight”) of the connecting edge between features is the same throughout the network and equal to 1, effectively “unweighted”.

5 GSMA MODEL

Using the GSMA feature model we calculated values for each of the five centrality metrics in Section 3. Table 3 and 4 show the top 10 ranked features for each centrality metric when considering the feature model as an *unweighted undirected* graph. and an unweighted *directed* graph.

Full tables are available at: <https://figshare.com/s/1475000bed40c6f7bc56>.

Table 3: Centrality Metrics for Feature Model as an Unweighted *Undirected* Graph.

Feature Rank	Unweighted Undirected Graph				
	DC	CC	EC	EGC	BC
1	82	15	0	16	15
2	16	0	15	15	0
3	36	77	77	82	77
4	30	16	1	0	82
5	47	30	6	30	47
6	53	47	12	77	30
7	0	6	70	47	16
8	6	12	16	26	53
9	15	65	30	27	36
10	77	68	47	28	70

Table 4: Centrality Metrics for Feature Model as an Unweighted *Directed* Graph.

Feature Rank	Directed Graph				
	DC	CC	EC	EGC	BC
1	82	1	2	21	15
2	16	6	3	24	82
3	36	12	4	38	47
4	30	17	5	39	53
5	47	20	7	45	30
6	53	23	8	55	36
7	0	26	9	56	16
8	6	27	10	58	77
9	15	28	11	59	89
10	77	37	13	60	95

When comparing metrics on the same graph, the feature rank is more helpful than the absolute value because the calculations are different. Absolute values can be helpful when comparing the structure of two different graphs with the same metric (using normalised values between 0 and 1). Table 5a and 6b show the frequency with which a feature appears in the Top 10 rankings in Table 3 e.g. in Table 3 Feature 15 appears in the Top 10 for all five metrics.

For the unweighted *undirected* graph, the most prominent six features that appear in each metric list are: Features, 0, 15, 16, 30, 47, 77. Appendix 1 shows these features occupy prominent roles in the upper echelons of the model. Interestingly, Features 16, 30 and 47 are all Optional which raises the question of whether they actually should be Optional. In other cases, where a feature appears in the Top 10 of only

one metric, consideration might be given to whether these features are connected appropriately within the model. For example, consider Features 26 and 27 concerning device unlocking and application login, respectively. Given that access to many functions is dependent on if a device is locked or not and whether a user is logged in or not, one might review if these features should be situated higher up the model.

Table 5: Frequency of Top Features in Centrality Metrics for Unweighted Graphs (a) Undirected (b) Directed.

Undirected (Table 3)		Directed (Table 4)	
Feature	Top 10 Ranking Frequency	Feature	Top 10 Ranking Frequency
0	5	6	2
15	5	16	2
16	5	36*	2
30	5	47	2
47	5	53	2
77	5	77	2
6	4	82	2
82	3	89*	2
12,36,53,70	2	95*	2

*These 3 features also share the highest value for Closeness Centrality with 16 other features so arguably are slightly more important.

For the unweighted *directed* graph, several prominent features are also prominent in the undirected graph i.e. Features 6, 16, 36, 47, 77, 82, but their Top 10 ranking frequency is lower, which seems to be less helpful. Similarly, Feature 15, which appears prominently in the undirected graph, does not appear in the directed graph principally because it is not in the top 10 rankings for the closeness, eccentricity or eigenvector metrics. However, representing a feature model as a directed graph helps identify “root nodes” and “leaf nodes”. Root nodes have only outward connections i.e. their in-degree value is 0. Leaf nodes have only inward connections i.e. their out-degree is 0, and the closeness, betweenness and eigenvector centrality metrics will be 0.

6 DISCUSSION AND THREATS TO VALIDITY

Product line feature models evolve over time and can include changes to their topology and to each feature’s properties and its relative importance. Relative importance metrics offer clues to where significant impacts might occur as a model evolves and are computationally straightforward.

Any analysis of a feature model using metrics requires the normal degree of caution and prudence about relying on any one metric. A single individual metric is likely to be of greater value to managers and

engineers when it is placed against other sources of evidence. The practices of reflection, relying on intuition and any visual inspection of the graphical version of a feature model, if available and practical, remain valuable methods to deploy alongside metrics.

Relative Importance here refers only to a feature's prominence within the model and may be affected by other perspectives of the supplier or a customer, captured in a feature's semantic properties. Future work might explore the value of other centrality metrics as well as combining them with semantic property values. The usefulness of a metric is often determined by the running time of the algorithm that implements it. We did not explore the running times of each of these metrics on very large feature models.

Allocating weights to features and edges in a feature model can offer additional insight into the relationships between features. In large feature models, weights allocation is untenable without the use of an automated algorithm. We did not address automatic weight allocation in this paper. Future work might also consider whether weights should be adapted to reflect different influences that features might have on one another when models are scrutinised for different purposes e.g. examining the impact of proposed changes on different customers, exploring design or implementation considerations, or considering outsourcing arrangements.

We used the open-source tool Gephi version 0.10.1 (Gephi, 2024). We observed that the calculation for *degree centrality* includes both inward and outward edges whether the graph is directed or undirected. However, when calculating the other four metrics in a directed graph, Gephi only includes outward edges. We also noted that if there are weights attached to edges, Gephi includes these in its calculations for *degree centrality*, but ignores them for the other four metrics. We have not explored how other tools behave.

7 RELATED WORK

Many graph metrics have been proposed to identify important vertices in a graph, across many different fields. Selecting the most suitable for specific applications remains a challenge. To address this problem a culling method is proposed (Chebotarev et al 2003) that involves forming a set of candidate measures, generating the minimum number of graphs needed to distinguish each measure, constructing a decision-tree survey for experts, and identifying the measure consistent with the expert's view.

Centrality metrics have been investigated for diverse applications. For internet topology analysis, (Wills et al, 2020) made a comparison of commonly used graph metrics and distance measures to discern between common topological features found in both random graph models and real-world networks. They proposed a multi-scale picture of a graph structure to study the effect of global and local structures on changes in distance measures. In (Wan et al, 2011) a small number of centrality metrics are discussed in their application and performance for solving various computing and engineering problems in networks based on extensive simulation experiments. A comparative overview of metrics for evaluating network robustness is presented in (Oehlers et al, 2021). Other applications include mobile social network applications (Zhou et al, 2018), visual reasoning in online social networks (Correa et al, 2012), water distribution networks (Narayanan et al, 2014) and traffic management for space satellite networks (Zhang et al, 2018). (Jirapanthong 2012) proposed the use of a social network to represent software product line artefacts and relationships between those artefacts to apply centrality metrics for analysing the dependencies between software artefacts and stakeholders to improve software processes.

(Bagheri et al, 2011) showed that structural metrics in an SPLE feature model can be used to predict its maintainability. Thresholds for implementation metrics were examined in (Vale et al 2015). In (Bagheri et al, 2010) a Stratified Analytic Hierarchy Process (S-AHP) method is presented for prioritizing (ranking) and filtering the features based on the judgments of users of a product line, to enhance and expedite the feature selection and product configuration process. An algorithm was described in (Peng et al, 2016) to identify the relative importance of a feature in a feature model assumed to be a directed acyclic weighted graph. Relative importance was calculated as a function of weighted degree centrality i.e. the weighted in-degree divided by the weighted out-degree. The weight values allocated were 1 to mandatory, 0.5 to optional, $1/N$ for XOR where N is the total number of features that are mutually exclusive and for I-OR the weight is some value between $1/N$ and 1 where N is the total number of features that can be included. Another approach to weight allocation was presented in (Mannion et al, 2023), where features were allocated weights based on their variability type and where the calculations relied on designated start and end vertices i.e. a directed graph was assumed.

In object-oriented software engineering, the connections between classes and objects can be used to build a dependency graph of classes from which

centrality measures can be extracted. This type of graph was used in (Ouellet et al, 2023) to show that using centrality measures in combination with object-oriented metrics can improve the prediction of fault-prone classes as well as the prediction of the number of faults in a class. Centrality measures when combined with object-oriented metrics can also be shown (Levasseur et al, 2024) to better predict the unit testing effort and help prioritize unit tests.

8 CONCLUSION

During product line feature model analysis, the more important a feature, the more attention it receives and the more influence it has on the analysis outcome. Over time, as a product line evolves, features' relative importance values change and need to be recalculated. We show how a small number of centrality metrics drawn from social network analysis can be used to establish a feature's relative importance for feature model analysis. The metrics selected were: degree centrality, closeness centrality, eccentricity centrality, eigenvector centrality and between-ness centrality. The metrics provide some insight into a feature's contribution to a model's cohesiveness and the information flows between features. We acknowledge that a feature's *relative importance* refers here only to its structural prominence within a feature model and does not include its value from other perspectives. We recommended comparing how a feature ranks across several metrics rather than just one metric.

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APPENDIX

GSMA Mobile Phone Specification

! Mandatory ✕ Inclusive_OR ⇄ Exclusive-OR ? Optional

