Forecasting Demand of Shared Bikes Based on ARIMA Model

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Abstract: This research uses the ARIMA model to analyse and predict the hourly demand of shared bikes in Seoul, for the model is a better time series model and is suitable for studying the relationship between hours and bicycle demand. Firstly, the researcher processes the data and selects the data sets needed for the study from the original data. Secondly, the researcher conducts ADF testing on the data to detect whether differentiation is needed. Furthermore, through the ACF and PACF images, the p value and q value are determined. Finally, this paper plots against the fitted model and predicts five periods backward. The prediction results are consistent with the trend of the curve based on ARIMA model. The experiment yields hourly changes, which can help enterprises adjust bicycles' number deployed in a timely manner. However, this research only studies the relationship between time and demand for shared bicycles, and do not consider the short-term impact of other factors, like weather and special events on demand. Subsequent researchers can conduct further research based on this paper.

1 INTRODUCTION

Currently, many factors affect the demand of shared bikes. Based on this problem, different scholars have established different models to predict it. Li et al. (Li et al., 2024) proposed a Multi-scale Spatiotemporal Graph Convolutional Network (MSTGCN) model. They noticed that travel demand has different spatial dependencies at different scales, which can effectively mine the multi-scale spatiotemporal characteristics of shared bicycle demand and offer direction for the future. Accurately forecast public transportation travel demand. To accurately grasp the number around the subway station, Yang and Jin (Yang and Jin, 2023) proposed a prediction method based on ridge regression. The demand for bicycles at the three test sites exhibited a pattern of being higher on vacations than on working days, according to the forecast findings. Using data mining approaches, Sathishkumar et al. (Sathishkumar et al., 2020) predicted and discovered that the temperature and hour were thought to be the most significant variables in the hourly rental bicycle count.

Yang et al. (Yang et al., 2020) improved shortterm demand forecasting for shared bicycle systems using traffic graph structure data. This method may

be readily applied to various applications such as predicting the dynamics of public transportation systems, and it can be expanded to many current models that use geographical data. Some restrictions and potential areas for more research are also covered. Wei et al. (Wei et al. 2023) considered how the built environment interacts with demand for shared bicycles. They employed the Gradient Boosting Decision Tree (GBDT) model and the Shapley Additive Explanation (SHAP) method to forecast demand for shared bicycle travel, analyse the factors that influence it, and make recommendations for future developments in the shared bicycle space. To strengthen the prediction analysis of bicycle demand, Ramkumar and Saideep (Ramkumar and Saideep, 2023) proposed a quantum computing algorithm and used quantum Bayesian network to anticipate. Compared with the classic algorithm, it provides calculation acceleration and can speed up the calculation of the request of shared bikes.

Based on the clustering and prediction analysis of Dynamic Time Warping (DTW), Le and Leung (Le and Leung, 2023) performed a spatiotemporal analysis of shared bicycle demand. Following this, they employed Bike-share Service (BSS) to carry out an extensive investigation of the spatiotemporal

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pattern and its influence on land use in urban areas. Cycle station clusters with varying attributes and use trends were found by using time series clustering. Moreover, it is shown that different machine learning models can accurately predict site kinds based on surrounding characteristics. Using the demand of previous identical cases as additional characteristics, César Peláez-Rodríguez et al. (César Peláez-Rodríguez et al., 2024) solved the demand prediction problem by predicting the urging of shared bikes using machine learning and deep learning multivariable time series approaches. In order to answer questions like how to evaluate many models and choose the best model for prediction in various locations, as well as if there is a best prediction model that is applicable everywhere, Zhang et al. (Zhang et al., 2023) employed the Latent Dirichlet Allocation (LDA) model and a computation approach: Area2vec, a novel approach to urban spatial area similarity, creates a multi-model visual comparison analysis system. For forecasting how many people would check out and how many will come in at each bike station, a new deep model of a graph convolutional network (GCN) was proposed by Zi et al. (Zi et al., 2021). On four actual data sets of bicycle sharing, the suggested model reliably produced results. Beats the latest cutting-edge techniques.

Various researchers have achieved varying degrees of breakthroughs using different models or methods. However, all the above studies have the problem of small amount of data and single data type.

In view of this, the following research will use the AutoRegressive Integrated Moving Average (ARIMA) model to predict the demand for shared bicycles, introducing more data and more diverse data types, to obtain a more accurate demand curve for shared bicycles.

2 METHODOLOGY

2.1 Data Source and Description

The information is derived from the Kaggle platform and shows how many bicycles were leased in Seoul each hour between December 2017 and November 2018. The original data includes temperature, humidity, wind speed, visibility and other variables. To facilitate the conduct of this study, only two variables, rental volume and time, are retained.

2.2 Indicator Selection and Description

The researcher first screened the selected categories from the original data, as shown in Table 1. In this study, the researcher used the hourly bicycle demand as an indicator to explore changes in the hourly bicycle demand. The variations in the number of people using shared bicycles at different times correspond to variations in the population in the same area, which can be used to timely change the number of shared bicycles and increase the deployment efficiency of bicycles.

Table 1: Attribute information for raw data.

Field	Instruction	Value Range
ВA	Bicycle Amount	[0, 3556]
	Interval	1 hour

2.3 Method Introduction

The AutoRegressive Integrated Moving Average (ARIMA) model will be used in this study's forecasts. A statistical model used for forecasting and time series analysis is the ARIMA model. The term ARIMA refers to the combination of an AutoRegressive (AR), a Differential (I), and a Moving Average (MA) component. The ARIMA model consists of three primary parts:

Autoregressive (AR) component: This refers to the linear combination of previous observations included in the model. This means that there is a relationship between observations at the current moment and observations at past moments. The AR part is denoted by p, which represents the number of past moments considered in the model. The formula is:

$$
X_t = c + \varphi_1 X_{t-1} + \varphi_2 X_{t-2} + \dots + \varphi_p X_{t-p} + \epsilon_t (1)
$$

Differential (I) component: This refers to the difference operation taken to make the time series stationary. A stationary time series is one in which the variance and mean do not change over the course of the series. The I part is represented by d, which represents the number of times of differentiation. The formula is:

$$
(X_t) = X_t - X_{t-1}
$$
 (2)

Moving Average (MA) Component: This refers to the linear combination of previous period errors in the model. The MA part is represented by q, which represents the number of past errors considered in the model. The formula is:

$$
X_t = \mu + \epsilon_t + \theta_1 \epsilon_{t-1} + \theta_2 \epsilon_{t-2} + \dots + \theta_q \epsilon_{t-q} \tag{3}
$$

 $ARIMA(p, d, q)$ is a representation of the ARIMA model, where p, d, and q stand for the orders of moving average, difference, and autoregression, respectively. The equation is:

$$
X_{t} = c + \varphi_{1} X_{t-1} + \varphi_{2} X_{t-2} + \dots + \varphi_{p} X_{t-p} -
$$

$$
\theta_{1} \varepsilon_{t-1} - \theta_{2} \varepsilon_{t-2} - \dots - \theta_{q} \varepsilon_{t-q}
$$
 (4)

The value of the time series at time t is represented by X_t , and the constant term (intercept) c . The AutoRegressive coefficients, $\varphi_1, \varphi_2, \dots, \varphi_p$, indicate the weights based on previous data. The previous time series observations are denoted by X_{t-1}, X_{t-2}, \cdots , X_{t-p} . The white noise error term, ε_t , denotes the portion of the model that is random and not explained. The Moving Average coefficients $\theta_1, \theta_2, \dots, \theta_q$ indicate the weights based on previous mistakes. The previous mistakes are $\varepsilon_{t-1}, \varepsilon_{t-2}, \dots, \varepsilon_{t-a}$.

3 RESULTS AND DISCUSSION

3.1 ADF Test

When determining whether a time series is stationary, the Augmented Dickey-Fuller (ADF) test has as its null hypothesis that it is not. To begin with, the sequence is stationary if the p value is less than 0.1 (0.05 is an acceptable criteria as well). This suggests that at the 0.1 level, the null hypothesis is rejected. Second, before executing the test, a first-order or second-order difference can be made if the sequence is not stationary. Test up until the sequence reaches a stop. Thirdly, utilize the second-order difference as the ultimate difference order if it is still not stationary.

According to Table 2, the volume of hourly shared bicycle rentals has a t statistic of -6.947, a p

value of 0.000, and critical values for the 1%, 5%, and 10% of the rental cycle that are -3.431, -2.862, and - 2.567. When the p value is less than 0.000, it is clear that the null hypothesis is rejected with greater than 99% confidence, suggesting that the series is now stationary.

Table 2: ADF test.

Differencing Order		р	Critical Value		
			1%	5%	10%
	-6.94	0.000		-3.43 -2.86 -2.56	

3.2 ACF and PACF Test

Analyzing the ACF and PACF graphs is necessary to determine the autoregressive order (p) and the moving average order (q).

Firstly, if the PACF graph is uncensored and the ACF graph is censored at order q (ACF is 0 after a certain lag order), the model may be simplified to MA(q). Secondly, if the ACF chart is uncensored and the PACF graph is at p censored at the order (PACF is 0 after a specified lag order), the model may be simplified to AR (p). Thirdly, you must select the proper ARIMA order if both of the two charts are greatly uncensored. The most important order in the PACF can be designated as the p value, and for ACF, it's q value. Fourthly, the data will be white noise and unusable if the two graphs are both suppressed. ARMA modelling methodology. Drawing on the numerical data and the ACF and PACF graphs, SPSSAU determines and suggests that the moving average order should be 1 and the autoregressive order should be 1.

Figure 1: ACF plot.

Figure 3: Numerical model actual value and fitted value.

3.3 Model Evaluation

In order to further increase the rigor of the experiment, the researcher compares models by taking different p values and q values to select the optimal model, as shown in Table 3.

Table 3: Model Evaluation.

Model	RMSE.	AIC	BIC.
ARIMA(1,0,1)	90.9250	25776.341	25799.077
ARIMA(2,0,1)	90.7170	25768.389	25796.808
ARIMA(1,0,2)	90.5979	25762.705	25791.125
ARIMA(2,0,2)	90.580	25763.822	25797.925

From Table 3, it can be seen that $ARIMA(1,0,2)$ has the smallest comprehensive value of RMSE, AIC, and BIC, so p=1, q=2 is selected.

3.4 ARMA Prediction

3.4.1 Model Building Results

As shown in Table 4 (SE is the abbreviation of Standard Error), all of the components are clearly to be seen.

First, even when the p value is higher than 0.05, the table presents the model construction results and often doesn't need much attention.

Second, while comparing various analytical models, the information criteria AIC and BIC values are employed. It is preferable if the two numbers are lower. The changes in these two values may be compared if multiple analysis is carried out in order to fully understand the optimization process of model creation.

3.4.2 Model Formula

According to ARMA(1,2) Model Parameter Table, the available model formula is: $y(t) = 51.131 +$ $0.771 \times y_{t-1} + 0.181 \times \varepsilon_{t-1} - 0.135 \times \varepsilon_{t-2}$.

3.4.3 Type Q Statistic Information

According to Table 5, which also includes the p-value and statistical magnitude: First, in order to use the ARMA model, the model residual must be white noise, meaning it cannot include any autocorrelation. The Q statistic test may be used for the white noise test (null hypothesis: the residual is white noise). To verify whether the residual's first six-order autocorrelation coefficients fulfill white noise, for instance, Q6 is utilized in the second scenario. When there is a larger than 0.1 matching p value, the white noise test is passed, proving that the data is not white noise. Q6 may frequently be answered immediately. Just finish the analysis. Thirdly, if the white noise assumption is not supported $(p<0.05)$, the model does not fit well; otherwise, it is frequently regarded as normally applicable.

Table 5: Model Q statistics table.

Item	Statistics	p value
Q1	0.042	0.837
Q2	0.502	0.778
Q ₃	0.748	0.862
Q4	9.117	0.058
Q5	12.105	$0.033*$
$\overline{26}$	12.140	0.059

3.4.4 Model Fitting and Prediction

Judging from the fitting and prediction of the numerical model results in figure 3, the numerical model has a high degree of fitting and is close to the distribution state of the true value. Therefore, this model can meet the prediction requirements and can be used to predict the number of shared bicycle rentals in Seoul every hour in the future.

The results show that Q6's p-value is greater than 0.05, which means that at the significance level of 0.05, the null hypothesis cannot be ruled out. White

noise makes up the model's residual, and it essentially satisfies the conditions.

According to the forecast value in the next five days in Table 6, the number of shared bicycle rentals in Seoul will gradually decrease from 327.841 units to 256.539 units in the next five periods.

Table 6: Prediction in five periods.

Prediction $T=1$ $T=2$ $T=3$ $T=4$ $T=5$			
		Value 327.841 295.981 279.305 266.449 256.539	

4 CONCLUSION

This study conducted a univariate prediction of the hourly shared bicycle demand in Seoul based on the ARIMA model and obtained relatively accurate results. This shows that future bicycle demand can be predicted through time series models. And the more data samples, the stronger the prediction accuracy. Based on this, time expansion can be carried out, such as extending the study of hourly bicycle demand to studying daily, monthly, and yearly bicycle demand. In addition, comparative analysis in different locations can also be conducted, such as studying the difference in demand between Suzhou and Singapore at the same time to conduct comparative analysis and draw conclusions.

On the one hand, this can help companies adjust the amount of bicycles deployed in a timely manner to reduce maintenance costs. On the other hand, it can avoid the situation where too many shared bicycles affect the appearance of the city and improve the cleanliness of the city. However, this study only considered the impact of time on shared bicycles, and did not consider the short-term impact of other weather factors such as temperature, precipitation, wind speed, or special events such as concerts and marathons on the demand for bicycles. Follow-up researchers' further research can be carried out based on this.

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