Hyperspectral Image Compression Using Implicit Neural Representation and Meta-Learned Based Network

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Abstract:

Hyperspectral images capture the electromagnetic spectrum for each pixel in a scene. These often store hundreds of channels per pixel, providing significantly more information compared to a comparably sized RGB color image. As the cost of obtaining hyperspectral images decreases, there is a need to create effective ways for storing, transferring, and interpreting hyperspectral data. In this paper, we develop a neural compression method for hyperspectral images. Our methodology relies on transforming hyperspectral images into implicit neural representations, specifically neural functions that establish a correspondence between coordinates (such as pixel locations) and features (such as pixel spectra). Instead of explicitly saving the weights of the implicit neural representation, we record modulations that are applied to a base network that has been "meta-learned." These modulations serve as a compressed coding for the hyperspectral image. We conducted an assessment of our approach using four benchmarks—Indian Pines, Jasper Ridge, Pavia University, and Cuprite—and our findings demonstrate that the suggested method posts significantly faster compression times when compared to existing schemes for hyperspectral image compression.

1 INTRODUCTION

Hyperspectral images differ from grayscale images in that they record the electromagnetic spectrum for each pixel rather than just storing a single value per pixel in the case of grayscale images or three values per pixel in the case of RGB images (Goetz et al., 1985). Consequently, every pixel in a hyperspectral image comprises 10s or 100s of values, which indicate the measured reflectance in different frequency bands. Hyperspectral images give more extensive opportunities for item recognition, material identification, and scene analysis compared to a standard color RGB image. The costs linked to acquiring high-resolution hyperspectral images, which include both spatial and spectral data, are steadily declining. Consequently, hyperspectral images are finding increased use in diverse fields, such as remote sensing, biotechnology, crop analysis, environmental monitoring, food production, medical diagnosis, pharmaceutical industry, mining, and oil & gas exploration (Liang, 2012; Carrasco et al., 2003; Afromowitz et al., 1988; Kuula et al., 2012; Schuler

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et al., 2012; Padoan et al., 2008; Edelman et al., 2012; Gowen et al., 2007; Feng and Sun, 2012; Clark and Swayze, 1995). Hyperspectral images necessitate storage space that is orders of magnitude more than that required for a color RGB image of the same size. Therefore, there is much interest in devising effective strategies for obtaining, storing, transmitting, and evaluating hyperspectral images. With the understanding that compression plays a significant role in the storage and transmission of hyperspectral images, this work studies the problem of hyperspectral image compression.

Specifically, we develop a new approach for hyperspectral image compression that stores a hyperspectral image as modulations that are applied to the internal representations of a base network that is shared across hyperspectral images. This work is inspired by (Dupont et al., 2022) that studies data agnostic nueral compression, and applies the scheme that Dupont et al. proposed to the problem of hyperspectral image compression. This approach offers two advantages over methods that use implicit neural representations for hyperspectral image compression: 1) since the base network is shared between multiple hyperspectral images, the method is able to exploit spatial and spectral structural similarities be-

tween different hyperspectral images, reducing encoding (or compression) times; and 2) modulations require much less space to store than the space needed to store the "weights" of the implicit neural. While we still need to store the weights of the base network, this cost is amortized between multiple hyperspectral images. The intuition behind this approach is that the base network captures the overarching structure that is common among multiple hyperspectral images while the modulations store image specific details. Compared to the previous approaches for hyperspectral image compression using implicit neural representations, this method proposed in this work achieves savings both in terms of computation and storage (Rezasoltani and Qureshi, 2024).

The proposed method is evaluated using four standard benchmarks: Indian Pines, Jasper Ridge, Pavia University, and Cuprite. The results show that the method presented here achieves significantly faster compression times as compared to a number of existing methods at similar compression rates. Furthermore that the compression quality, as measured using Peak Signal-to-Noise Ratio (PSNR), is comparable to that achieved by other approaches.

The rest of the paper is organized as follows. We discuss the related work in the next section. Section 3 describes the proposed method along with the evaluation metrics. Datasets, experimental setup, and compression results are discussed in Section 4. Section 5 concludes the paper with a summary.

2 RELATED WORK

There has been much work in the field of hyperspectral image compression. In the interest of space, we will restrict the following discussion to learningbased schemes for hyperspectral image compression. The discussion presented herein is by no means complete and we refer the kind reader to (Zhang et al., 2023; Dua et al., 2020) that list various hyperspectral image compression methods found in the literature.

Learning based schemes rely upon model training in order to reduce both rate and distortions. Almost all learning based methods suffer from slow encoding (or compression) speeds. Oftentimes this cannot be avoided since encoding involves at least some sort of model training. Within the space of learning-based schemes, autoencoders have been employed to compress hyperspectral images (Ballé et al., 2016). In its simplest form, autoencoders construct lower-dimensional latent representations of pixel spectra. The original pixel spectra is reconstructed from these representations to arrive at the source hyperspectral

images. Methods proposed in as (Mentzer et al., 2018; Minnen et al., 2018) enhance an autoregressive model to enhance entropy encoding. Ballé *et al.* subsequently expand these works by using *hyperpriors* (Ballé et al., 2018).

Implicit neural network representations have also been studied for data compression (Dupont et al., 2021; Dupont et al., 2022). Davies et al., for example, uses such representations to compress 3D meshes (Davies et al., 2020). They show that implicit neural representations achieve better results than decimated meshes. Similarly (Strümpler et al., 2022) and (Chen et al., 2021) uses such representations to compress images and videos, respectively. Zhang et al. also studies video compression using implicit neural representations (Zhang et al., 2021). In our previous work, we have used implicit neural representations to compress hyperspectral images (Rezasoltani and Qureshi, 2024). Approaches that employ implicit neural representations for "data compression" suffer from slow encoding times.

In their 2021 paper, (Lee et al., 2021), Lee et al. demonstrate that meta-learning sparse and parameterefficient initializations for implicit neural representations can significantly reduce the number of parameters required to represent an image at a given reconstruction quality. Paper (Strümpler et al., 2022) achieves significant performance improvements over (Dupont et al., 2021) by meta-learning an MLP initialization, followed by quantization and entropy coding of the MLP weights fitted to images. As stated earlier, this work is inspired by the approach discussed in (Dupont et al., 2022) that improves upon implicit neural network learning as presented in (Dupont et al., 2021) by employing meta learning. Specifically, we extends our prior work (Rezasoltani and Qureshi, 2024) by exploiting metal learning framework. We show that it is indeed possible to lower encoding times and reduce storage needs by using implicit neural representations within a metal learning setting.

3 METHOD

Consider a hyperspectral image $\mathbf{I} \in \mathbb{R}^{W \times H \times C}$, where W and H denote the width and the height of this image and C denotes the number of channels. $\mathbf{I}(x,y) \in \mathbb{R}^C$ represents the spectrum recorded at location (x,y) where $x \in [1,W]$ and $y \in [1,H]$. In our prior work, we demonstrate that it is possible to learn implicit neural representations that map pixel locations to pixel spectra. Specifically, we can learn a function $\Phi_{\Theta}: (x,y) \mapsto \mathbf{I}(x,y)$. Here, Θ represent function parameters. The

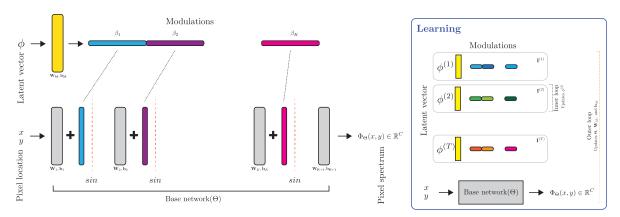


Figure 1: The base network captures the shared structure between multiple hyperspectral images; whereas, the modulations (or latent vector) stores image-specific information. Meta learning is used to learn both the shared parameters (Θ, \mathbf{W}_M) , and \mathbf{b}_M) and the image specific latent vectors ϕ . Once an image is compressed, it is sufficient to store the latent vector associated with this image.

implicit neural network is trained by minimizing the loss

$$\mathcal{L}(\mathbf{I}, \Phi_{\Theta}) = \sum_{\forall x, y} \|\mathbf{I}(x, y) - \Phi_{\Theta}(x, y)\|.$$

Others (Tancik et al., 2020; Sitzmann et al., 2020b) have shown that SIREN networks—multi-layer perceptrons with Sine activation functions—are particularly well-suited to encode high-frequency data that sits on a grid. SIREN networks are widely used to learn implicit neural representations. For our purposes, a SIREN network (Φ_{Θ}) comprises of K hidden layers. Each layer uses a sinosoidal activation function. The K hidden features at each layer are $\mathbf{h}_1, \mathbf{h}_2, \mathbf{h}_3, \cdots, \mathbf{h}_K$. Specifically, we define the SIREN network as:

$$\mathbf{h}_{i} = \sin(\mathbf{W}_{i}\mathbf{h}_{i-1} + \mathbf{b}_{i}),$$

where $\mathbf{h}_0 \in \mathbb{R}^2$ denotes the 2D pixel locations, $\mathbf{W}_1 \in \mathbb{R}^{d \times 2}$, $\mathbf{b}_1 \in \mathbb{R}^d$, and for $i \in [2,K]$, $\mathbf{W}_i \in \mathbb{R}^{d \times d}$ and $\mathbf{z}_i, \mathbf{b}_i \in \mathbb{R}^d$. The output of the network is

$$\mathbf{h}_{K+1} = \mathbf{W}_{K+1} \mathbf{h}_K + \mathbf{b}_{K+1},$$

with $\mathbf{W}_{K+1} \in \mathbb{R}^{C \times d}$ and $\mathbf{h}_{K+1}, \mathbf{b}_{K+1} \in \mathbb{R}^{C}$. \mathbf{h}_{K+1} is the output of the model, in our case pixel spectrum. \mathbf{W}_i and \mathbf{b}_i denote the weights and biases for layer $i \in [1,K+1]$ and represent the learnable parameters of the network. Once this network is trained on a given hyperspectral image, it is sufficient to store the parameters $\Theta = \{\mathbf{W}_i, \mathbf{b}_i | i \in [1,K+1]\}$, since it is possible to recover the original image by evaluating Φ_{Θ} at pixel locations (x,y). Savings are achieved when it takes fewer bits to encode Φ_{Θ} than those required to encode the original image.

While we have successfully employed SIREN networks to compress hyperspectral images, the current scheme suffers from two drawbacks: 1) slow compression times and 2) its inability to exploit spatial

and spectral structure that is shared between hyperspectral images, not unlike how spatial structure is used when analyzing RGB images. Both (1) and (2) are due to the a fact that a new SIREN network needs to be trained for scratch for each hyperspectral image. Training is time consuming process that often requires multiple epochs, and no information is shared between multiple images.

3.1 Modulated SIREN Network

In this work we address the two shortcomings by using a meta learning approach that employs a SIREN network (henceforth referred to as the base network) that is shared between multiple hyperspectral images. Image specific details are stored within modulations—scales and shifts—applied to the features \mathbf{h}_i , $i \in [0,N]$ of the base network. This is inspired by the work of Perez *et al.*, which introduced FiLM layers (Perez et al., 2018)

$$FiLM(\mathbf{h}_i) = \gamma_i \odot \mathbf{h}_i + \beta_i$$

that apply scale γ_i and shift β_i to a hidden feature $\boldsymbol{h}_i.$ Here \odot denotes element-wise product. Applying shift and scale at each layer in effect allow us to parameterize family of neural networks using a common (fixed) base network. Chan et al. propose a scheme where a SIREN network is used to parameterize the generator in a generative-adversarial setting (Chan et al., 2021). There new samples are generated by applying modulations (scale γ and shift β) as follows:

$$\mathbf{h}_{i} = \sin \left(\gamma_{i} \left(\mathbf{W}_{i} \mathbf{h}_{i-1} + \mathbf{b}_{i} \right) + \beta_{i} \right).$$

Similarly, Mehta *et al.* show that it is possible to parameterize a family of implicit neural representation by applying modulations to the hidden features as

(scale α_i) (Mehta et al., 2021)

$$\mathbf{h}_{i} = \alpha_{i} \odot \sin(\mathbf{W}_{i}\mathbf{h}_{i-1} + \mathbf{b}_{i}).$$

Both of these approach show that it is possible to map a low-dimensional latent vector to the modulations that are applied to the hidden features. E.g., (Chan et al., 2021) uses an MLP to map a latent vector to scale γ_i and shift β_i . Mehta *et al.*, on the other hand, construct the modulation α_i recursively using a fixed latent vector. These schemes, however, require that the parameters of the base network, plus the parameters of the networks needed to compute the modulations are stored. As a consequence these schemes are not well-suited to the problem of data compression.

Work by Dupont *et al.* studied using modulations to improve SIREN networks (Dupont et al., 2022). They concluded that it is sufficient to just use shifts β_i s, and that using scale modulations do not result in a significant improvement in performance. Furthermore, their work also suggests that applying scale modulations alone does not result in an improvement. We follow their advice and apply shift modulations to the features of the SIREN networks:

$$\mathbf{h}_{i} = \sin\left((\mathbf{W}_{i}\mathbf{h}_{i-1} + \mathbf{b}_{i}) + \beta_{i}\right),\tag{1}$$

here $\beta_i \in \mathbb{R}^d$. It is easy to imagine that storing modulations β_0, \cdots, β_K takes less space than storing weights \mathbf{W}_i and biases \mathbf{b}_i of the base network (under the assumption that the cost of storing the base network parameters is amortized over multiple images). It is possible to achieve further savings by mapping a low-dimensional latent vector $\phi \in \mathbb{R}^{d_{latent}}$ to modulations. Dupont *et al.* also showed that it is sufficient to use a linear mapping to construct modulations β_i given a latent vector, and that using a multi-layer perceptron network offers little benefit. Therefore, we use a linear mapping to construct modulations given a latent vector as:

$$\beta = \mathbf{W}_{\mathbf{M}} \varphi + \mathbf{b}_{\mathbf{M}}, \tag{2}$$

with $\mathbf{W}_M \in \mathbb{R}^{(d)(K) \times d_{latent}}$ and $\mathbf{b}_M \in \mathbb{R}^{(d)(K)}$, the weights and biases of the linear layer used to project latent vector to modulations $\boldsymbol{\beta} = \left[\beta_0 | \cdots | \beta_K \right]$. We refer to the linear layer that maps the latent vector to modulation as the meta network. Under this setup, it is possible to reconstruct the original hyperspectral image \mathbf{I} by evaluating the modulated base network $\Phi_\Theta\left(x,y;\beta_0,\cdots,\beta_K\right)$ at image pixel locations (x,y). Similarly, when using the latent code, we can achieve the same result by evaluating $\Phi_\Theta\left(x,y;\phi,\Theta_M\right)$, where $\Theta_M=\{\mathbf{W}_M,\mathbf{b}_M\}$, at image pixel locations (see Figure 1).

3.2 Meta Learning

Model Agnostic Meta Learning (MAML) learns an *initialization* of model parameters Θ , such that, the model can be quickly adapted to a new (related) task (Finn et al., 2017). It has been shown that MAML approaches can benefit implicit neural representations by reducing the number of epochs needed to fit the representation to a new data point (Sitzmann et al., 2020a). We begin by discussing MAML within our context. Say we are given a set of hyperspectral images $\mathbf{I}^{(1)}, \cdots, \mathbf{I}^{(T)}$. Furthermore, assume we want to initialize the parameters Θ of the model Φ_{Θ} over this set of images. MAML comprises of two loops: (1) in the inner loop MAML computes image specific update

$$\Theta^{(t)} = \Theta - \alpha_{inner} \nabla_{\Theta} \mathcal{L} \left(\mathbf{I}^{(t)}, \Phi_{\Theta} \right);$$

and (2) in the outer loop it updates Θ with respect to the performance of the model (after the inner loop update) on the entire set:

$$\Theta = \Theta - \alpha_{outer} \nabla_{\Theta} \sum_{t \in [1, T]} \mathcal{L}\left(\mathbf{I}^{(t)}, \Phi_{\Theta^{(t)}}\right).$$

In practice image t is randomly chosen in the inner loop step, and it is often sufficient to sample a subset of images in the outer loop step. The result is model initialization parameters Θ that will allow the model to be quickly adapted to a previously unseen hyperspectral image, reducing encoding in times.

The approach discussed above is not directly applicable in our setting, since we seek to learn image specific modulations that are applied to a base network that is shared between multiple hyperspectral images. We follow the strategy discussed in (Zintgraf et al., 2019) where they partition the parameters into two sets. The first set, termed context parameters, are "task" specific and these are adapted in the inner loop; where as, the second set is shared across "tasks" and are meta-learned in the outer loop.

We apply this approach to our problem as follows. Given a set of hyperspectral images, parameters Θ of the base networks and image specific modulations $\beta^t = \{\beta_0^{(t)}, \cdots, \beta_K^{(t)}\}$, we first update image specific modulations in the inner loop as

$$\beta^{(t)} = \beta - \alpha_{inner} \nabla_{\beta} \mathcal{L} \left(\mathbf{I}^{(t)}, \Phi_{[\Theta|\beta]} \right);$$

and then update the parameters Θ in the outer loop

$$\Theta = \Theta - \alpha_{outer} \sum_{t \in [1,T]} \nabla_{\Theta} \mathcal{L}\left(\boldsymbol{I}^{(t)}, \boldsymbol{\Phi}_{\left[\boldsymbol{\Theta} \middle| \boldsymbol{\beta}^{(t)}\right]}\right).$$

Starting value for β is fixed and (Zintgraf et al., 2019) suggests to set the initial values for $\beta = \mathbf{0}$. $\Phi_{I \Theta | \beta 1}$

denotes the modulated SIREN network (see Equation 1).

To achieve further savings, we employ linear mapping defined in Equation 2 to construct modulations from a given latent vector φ . As before, we can initialize $\varphi = \mathbf{0}$. Here, the goal is to learn image specific latent vectors $\varphi^{(t)}$. The procedure is similar, first image specific latent vectors are updated in the inner loop as

$$\boldsymbol{\phi}^{(t)} = \boldsymbol{\phi} - \alpha_{inner} \nabla_{\boldsymbol{\phi}} \mathcal{L} \left(\boldsymbol{I}^{(t)}, \boldsymbol{\Phi}_{[\boldsymbol{\Theta}^{+} | \boldsymbol{\phi}]} \right).$$

Next, parameters Θ^+ are updated in the outer loop

$$\Theta^{+} = \Theta^{+} - \alpha_{outer} \sum_{t \in [1,T]} \nabla_{\Theta^{+}} \mathcal{L}\left(\mathbf{I}^{(t)}, \Phi_{[\Theta^{+}|\beta^{(t)}]}\right).$$

Here $\Theta^+ = \{\Theta, \mathbf{W}_M, \mathbf{b}_M\}$ denotes parameters of the base network plus the parameters of the linear mapping used to construct modulations from latent vectors. Parameters Θ^+ are shared between images and latent vectors ϕ encode information specific to corresponding image.

4 RESULTS

We selected JPEG (Good et al., 1994; Qiao et al., 2014), JPEG2000 (Du and Fowler, 2007) and PCA-DCT (Nian et al., 2016) schemes as baselines, since these methods are widely deployed within the hyperspectral image analysis pipelines. Additionally, we compare the method proposed with prior work that uses implicit neural representations for hyperspectral image compression (Rezasoltani and Qureshi, 2024). Lastly, we will also provide compression results for the following schemes: PCA+JPEG2000 (Du and Fowler, 2007), FPCA+JPEG2000 (Mei et al., 2018), RPM (Paul et al., 2016), 3D SPECK (Tang and Pearlman, 2006), 3D DCT (Yadav and Nagmode, 2018), 3D DWT+SVR (Zikiou et al., 2020), and WSRC (Ouahioune et al., 2021). We employ four commonly used hyperspectral benchmarks in this study: (1) Indian Pines (145 \times 145 \times 220); (2) Jasper Ridge (100 \times 100×224); (3) Pavia University (610 × 340 × 103); and (4) Cuprite $(614 \times 512 \times 224)$.

4.1 Metrics

Peak Signal-to-Noise Ratio (PSNR) and Mean Squared Error (MSE) metrics are used to capture the quality of the "compressed" image. PSNR, expressed in decibels, is a commonly employed statistic in the field of image compression. It quantifies the disparity in "quality" between the original image and its

compressed reproduction. A higher PSNR number indicates that the compressed image closely resembles the original image, meaning that it retains more of the original image's information and has superior quality. Furthermore, we employ MSE to compare the compressed image with its original version to capture the overall differences. Smaller values of MSE indicate a higher quality of reconstruction. MSE is computed as follows

$$MSE = \sum_{i} \frac{|I[i] - \tilde{I}[i]|^2}{i},$$
 (3)

where \tilde{I} denotes the compressed image and i indices over the pixels. MSE is used to calculate PSNR

$$PSNR = 10 \log_{10} \left(\frac{R^2}{MSE} \right), \tag{4}$$

where R is the largest variation in the input image in the previous Equation.

Furthermore, the value of bits-per-pixel-per-band (bpppb) represents the degree of compression attained by a model. Smaller values of bpppb correspond to greater compression rates. The bpppb of an uncompressed hyperspectral image can be either 8 or 32 bits, depending on the storage method used for the pixels. Hyperspectral pixel values are typically stored as 32-bit floating point numbers for each channel. The parameter bpppb is calculated as follows:

$$bpppb = \frac{\#parameters \times (bits per parameter)}{(pixels per band) \times \#bands}.$$
 (5)

4.2 Practical Matters

We utilize PyTorch (Paszke et al., 2019) to implement all of our models. In the inner loop, we employ Stochastic Gradient Descent (SGD) with a learning rate of 1e-2. In the outer loop, we utilize the Adam optimization algorithm with a learning rate of either 1e-6 or 3e-6. Pixel locations (x,y) are converted to normalized coordinates, i.e., $(x,y) \in [-1,1] \times [-1,1]$. Pixel spectrum values are scaled to be between 0 and 1. When the base network is shared between hyperspectral images having a different number of channels, we simply discard the unused channels during loss computation.

4.3 PSNR vs. bpppb

Figure 2 plots PSNR values achieved by JPEG, JPEG2000, PCA_DCT, and INR approaches at various bpppbs. Meta_learning refers to the method developed here. The plots suggest the proposed approach achieves highest PSNR values at lower bpppb.

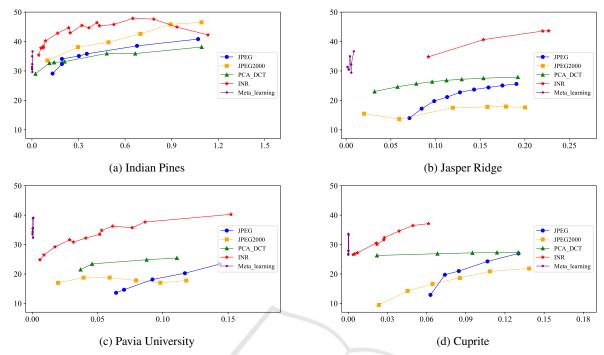


Figure 2: **PSNR vs.** bpppb **values**. PSNR values achieved at various bpppb for our method (Meta_learning), along with those obtained by JPEG, JPEG2000, PCA-DCT, and INR schemes. x-axis represents bpppb values and y-axis represents PSNR values.

Table 1: Compression rates on four benchmarks. For each benchmark, the first row lists the actual size (in KB) of the original hyperspectral image. For each method, the first column shows the size of the compressed image (in KB), the second column shows the PSNR achieved by comparing the decompressed image with the original image, and the third column shows the bpppb achieved. For approaches that rely upon implicit neural representations, the structure of the network is described by show the number of hidden layers n_h and the width of these layers w_h . Please note that previously K is used to denote the number of hidden layers and d is used to denote the width of these layers, i.e. $n_h = K$ and $n_w = d$.

Indian Pine	Jasper Ridge								
Method	Size (KB)	PSNR	bpppb	nh, wh	Method	Size (KB)	PSNR	bpppb	nh, wh
-	9251		16	-,-	-	4800		16	-,-
JPEG (Good et al., 1994; Qiao et al., 2014)	115.6	34.085	0.2	-,-	JPEG (Good et al., 1994; Qiao et al., 2014)	30	21.130	0.1	-,-
JPEG2000 (Du and Fowler, 2007)	115.6	36.098	0.2	-,-	JPEG2000 (Du and Fowler, 2007)	30	17.494	0.1	-,-
PCA-DCT (Nian et al., 2016)	115.6	33.173	0.2	-,-	PCA-DCT (Nian et al., 2016)	30	26.821	0.1	-,-
PCA+JPEG2000 (Du and Fowler, 2007)	115.6	39.5	0.2	-,-	PCA+JPEG2000 (Du and Fowler, 2007)	30	-	0.1	-,-
FPCA+JPEG2000 (Mei et al., 2018)	115.6	40.5	0.2	-,-	FPCA+JPEG2000 (Mei et al., 2018)	30	-	0.1	-,-
HEVC (Sullivan et al., 2012)	115.6	32	0.2	-,-	HEVC (Sullivan et al., 2012)	30	-	0.1	-,-
RPM (Paul et al., 2016)	115.6	38	0.2	-,-	RPM (Paul et al., 2016)	30	-	0.1	-,-
3D SPECK (Tang and Pearlman, 2006)	115.6	-	0.2	-,-	3D SPECK (Tang and Pearlman, 2006)	30	-	0.1	-,-
3D DCT (Yadav and Nagmode, 2018)	115.6	-	0.2	-,-	3D DCT (Yadav and Nagmode, 2018)	30	-	0.1	-,-
3D DWT+SVR (Zikiou et al., 2020)	115.6	-	0.2	-,-	3D DWT+SVR (Zikiou et al., 2020)	30	-	0.1	-,-
WSRC (Ouahioune et al., 2021)	115.6	-	0.2	-,-	WSRC (Ouahioune et al., 2021)	30	-	0.1	-,-
INR (Rezasoltani and Qureshi, 2023)	115.6	40.61	0.2	15,40	INR (Rezasoltani and Qureshi, 2023)	30	35.696	0.1	10,20
HP_INR (Rezasoltani and Qureshi, 2023)	57.5	40.35	0.1	15,40	HP_INR (Rezasoltani and Qureshi, 2023)	15	35.467	0.06	10,20
INR_sampling (Rezasoltani and Qureshi, 2024)	115.6	44.46	0.2	15,40	INR_sampling (Rezasoltani and Qureshi, 2024)	30	41.58	0.1	15,20
HP_INR_sampling (Rezasoltani and Qureshi, 2024)	57.5	30.20	0.2	15,40	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	15	21.48	0.06	15,20
Meta_learning	2.4	36.6	0.004	5,20	Meta_learning	2.3	36.6	0.008	10,60
Pavia University					Cuprite				
Method	Size (KB)	PSNR	bpppb	nh, wh	Method	Size (KB)	PSNR	bpppb	nh, wh
-	42724	000	16	-,-	-	140836	∞	16	-,-
JPEG (Good et al., 1994; Qiao et al., 2014)	267	20.253	0.1	-,-	JPEG (Good et al., 1994; Qiao et al., 2014)	880.2	24.274	0.1	-,-
JPEG2000 (Du and Fowler, 2007)	267	17.752	0.1	-,-	JPEG2000 (Du and Fowler, 2007)	880.2	20.889	0.1	-,-
PCA-DCT (Nian et al., 2016)	267	25.436	0.1	-,-	PCA-DCT (Nian et al., 2016)	880.2	27.302	0.1	-,-
PCA+JPEG2000 (Du and Fowler, 2007)	267	-	0.1	-,-	PCA+JPEG2000 (Du and Fowler, 2007)	880.2	27.5	0.1	-,-
FPCA+JPEG2000 (Mei et al., 2018)	267	-	0.1	-,-	FPCA+JPEG2000 (Mei et al., 2018)	880.2	-	0.1	-,-
HEVC (Sullivan et al., 2012)	267	-	0.1	-,-	HEVC (Sullivan et al., 2012)	880.2	31	0.1	-,-
RPM (Paul et al., 2016)	267	-	0.1	-,-	RPM (Paul et al., 2016)	880.2	34	0.1	-,-
3D SPECK (Tang and Pearlman, 2006)	267	-	0.1	-,-	3D SPECK (Tang and Pearlman, 2006)	880.2	27.1	0.1	-,-
3D DCT (Yadav and Nagmode, 2018)	267	-	0.1	-,-	3D DCT (Yadav and Nagmode, 2018)	880.2	33.4	0.1	-,-
3D DWT+SVR (Zikiou et al., 2020)	267	-	0.1	-,-	3D DWT+SVR (Zikiou et al., 2020)	880.2	28.20	0.1	-,-
WSRC (Ouahioune et al., 2021)	267	-	0.1	-,-	WSRC (Ouahioune et al., 2021)	880.2	35	0.1	-,-
INR (Rezasoltani and Qureshi, 2023)	267	33.749	0.1	20,60	INR (Rezasoltani and Qureshi, 2023)	880.2	28.954	0.1	25,100
HP_INR (Rezasoltani and Qureshi, 2023)	133.5	20.886	0.05	20,60	HP_INR (Rezasoltani and Qureshi, 2023)	440.1	24.334	0.06	25,100
INR_sampling (Rezasoltani and Qureshi, 2024)	267	40.001	0.1	10,100	INR_sampling (Rezasoltani and Qureshi, 2024)	880.2	37.007	0.1	25,100
HP_INR_sampling (Rezasoltani and Qureshi, 2024)	133.5	27.49	0.05	10,100	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	440.1	24.96	0.06	25,100
Meta_learning	2.1	39.1	0.0008	10,60	Meta_learning	0.8	33.6	0.0001	5,60

Table 2: Compression and decompression times for various methods.	The proposed method (Meta_learning) achieves the
fastest compression times of any method on the four benchmarks.	

Dataset	Method	bppppb	compression time (Sec)	decompression time (Sec)	PSNR ↑
Indian Pines	JPEG (Good et al., 1994; Qiao et al., 2014)	0.1	7.353	3.27	27.47
	JPEG2000 (Du and Fowler, 2007)	0.1	0.1455	0.3115	33.58
	PCA-DCT (Nian et al., 2016)	0.1	1.66	0.04	32.28
	INR (Rezasoltani and Qureshi, 2023)	0.1	243.64	0	36.98
	HP_INR (Rezasoltani and Qureshi, 2023)	0.05	243.64	0	36.95
	INR_sampling (Rezasoltani and Qureshi, 2024)	0.1	132.87	0.0005	39.20
	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	0.05	132.87	0.0005	29.94
	Meta_learning	0.004151	0.014	0.000518	36.64
Jasper Ridge	JPEG (Good et al., 1994; Qiao et al., 2014)	0.1	3.71	1.62	24.39
	JPEG2000 (Du and Fowler, 2007)	0.1	0.138	0.395	16.75
	PCA-DCT (Nian et al., 2016)	0.1	1.029	0.027	25.98
	INR (Rezasoltani and Qureshi, 2023)	0.1	235.19	0.0005	35.77
	HP_INR (Rezasoltani and Qureshi, 2023)	0.06	235.19	0.0005	35.70
	INR_sampling (Rezasoltani and Qureshi, 2024)	0.1	126.33	0.0005	40.20
	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	0.06	126.33	0.0005	19.58
	Meta_learning	0.0085	0.014	0.0004	36.67
Pavia University	JPEG (Good et al., 1994; Qiao et al., 2014)	0.1	33.86	14.61	20.86
	JPEG2000 (Du and Fowler, 2007)	0.1	0.408	0.628	17.02
	PCA-DCT (Nian et al., 2016)	0.1	6.525	0.235	25.121
	INR (Rezasoltani and Qureshi, 2023)	0.1	352.74	0.0009	33.67
	HP_INR (Rezasoltani and Qureshi, 2023)	0.05	352.74	0.0009	19.75
	INR_sampling (Rezasoltani and Qureshi, 2024)	0.1	72.512	0.0004	38.08
	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	0.05	72.512	0.0004	27.02
	Meta_learning	0.0008	0.016	0.0005	39.1
Cuprite	JPEG (Good et al., 1994; Qiao et al., 2014)	0.06	101.195	45.02	12.88
	JPEG2000 (Du and Fowler, 2007)	0.06	1.193	2.476	15.16
	PCA-DCT (Nian et al., 2016)	0.06	11.67	0.754	26.75
	INR (Rezasoltani and Qureshi, 2023)	0.06	1565.97	0.001	28.02
	HP_INR (Rezasoltani and Qureshi, 2023)	0.03	1565.97	0.001	27.90
	INR_sampling (Rezasoltani and Qureshi, 2024)	0.06	664.87	0.001	37.27
	HP_INR_sampling (Rezasoltani and Qureshi, 2024)	0.03	664.87	0.001	24.85
	Meta_learning	0.0001	0.009	0.0002	33.64

Furthermore, that the proposed approach achieves bpppb values that are less than those achieved by other schemes.

4.4 Compression Results

Results listed in Table 1 confirm that the proposed scheme (Meta_learning) achieves better PSNR and the smallest file size (in KB) on the our benchmarks. The table also includes compression results achieved by other methods. Note that compression results for every method is not available for every benchmark; therefore, the table also contain empty entries-for example, PSNR score for not available for 3D_SPECK scheme for Indian Pines. For every benchmark, Meta_learning achieves the highest compression rate, which results in the smallest storage requirements for the compressed image. The PSNR scores, however, are worse than those achieved by other methods on three of the four benchmarks: Indian Pines, Jasper Ridge and Cuprite. Meta_learning achieves PSNR that is similar to INR_sampling on Pavia University. Clearly, there is more work to be done in order to improve the PSNR scores. It is worth noting, however, that these PSNR scores are achieved at a fraction of the storage requirements needed by other schemes.

The key impetus of this work was to address

the slow compression times associated with implicit neural network based hyperspectral image compression methods. Table 2 displays the compression and decompression times plus PSNR values for various methods. The fourth column shows compression times for various methods. Meta_learning achieved fastest compression times of any method on this list. More importantly, the proposed approach achieves compression times that are a fraction of those posted by previous implicit neural representation based schemes.

5 CONCLUSIONS

We proposed a meta-learning approach for using implicit neural representations for hyperspectral image compression. The proposed approach shares a base network between multiple hyperspectral images. Image specific modulations store image details and these modulations are applied to the base network to reconstruct the original image. The results confirm that the proposed method achieves much faster compression time when compared to existing approaches that use implicit neural representations. We have also compared our approach with a number of other schemes for hyperspectral image compression, and the results

confirm the suitability of the method developed here for the purposes of hyperspectral image compression. In the future, we plan to focus on improving compression quality, i.e., achieving higher PSNR scores, while maintaining fast compression times.

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